

JMJ COLLEGE FOR WOMEN (AUTONOMOUS) :: TENALI-522202

I Year B.Com(CBCS),General I Semester

Paper-101

Fundamentals of Accounting-I

PPW :06 Hours

Unit-I – Introduction to Accounting

Need for Accounting – Definition – Objectives, Advantages – Book keeping and Accounting– Accounting concepts and conventions - Accounting Cycle - Classification of Accounts and its rules - Double Entry Book-keeping - Journalization - Posting to Ledgers, Balancing of ledger Accounts (problems).

Unit –II: Subsidiary Books:

Types of Subsidiary Books - Cash Book, Three-column Cash Book- Petty cash Book (Problems).

Unit-III: Trail Balanceand Rectification of Errors:

Preparation of Trail balance - Errors – Meaning – Types of Errors – Rectification of Errors (Problems)

Unit-IV- Bank Reconciliation Statement:

Need for bank reconciliation - Reasons for difference between Cash Book and Pass Book Balances- Preparation of Bank Reconciliation Statement- Problems on both favorable and unfavourable balances.

Unit -V: Final Accounts:

Preparation of Final Accounts: Trading account – Profit and Loss account – Balance Sheet – Final Accounts with adjustments (Problems).Final Accounts with tally.

Reference Books

1. T.S.Reddy&A. Murthy, Financial Accounting , Margham Publications
2. R L Gupta & V. K Gupta, Principles and Practice of Accounting, Sultan Chand & Sons
3. S.P. Jain & K.L Narang, Accountancy-I, Kalyani Publishers
4. Tulasian, Accountancy -I,Tata McGraw Hill Co.
5. V.K.Goyal, Financial Accounting, Excel Books
6. K. Arunjothi, Fundamentals of Accounting; Maruthi Publications

JMJ COLLEGE FOR WOMEN TENALI (AUTONOMOUS)

I B.Com General

Fundamentals of Accounting - I

Semester I

Time:3Hrs.

Max.Marks:70

Section – A

I. Answer All of the following

10 x 1 = 10M

1. $\forall x \{ (x > 0 \vee x = 0) \rightarrow \exists y (y < x) \}$
2. $\exists x \{ (x > 0 \vee x = 0) \rightarrow \exists y (y < x) \}$
3. $\mu < T \sigma \tau \mid \mu < T \uparrow \theta T \mid \sigma \tau \wedge \equiv \mid \vee \varepsilon T T.$
4. $\forall \delta \mid \therefore T \equiv \{ "... \vee + \phi \} \equiv \exists T \{ \mid ?$
5. $\vee + \downarrow \leq \Delta " \theta T \mid \sigma \tau \wedge \equiv \mid \vee \varepsilon T T.$
6. $\psi \mid \delta \mid \mid \exists \downarrow \leq Y^{TM} \mid \oplus \leq \mid > \bullet \therefore \delta \mid \vee \mid^{TM} \langle + \mid \psi \mid \varphi \langle T T \varepsilon T T.$
7. B.R.S. $\theta T \mid \sigma \tau \wedge \equiv \mid \vee \varepsilon T T.$
8. $\mid \mid \geq T ... \mid \& \mid \varepsilon \leftrightarrow \varphi \langle T + \vee \theta > \pm H \mid \exists T ?$
9. $\delta \leftarrow \mid \uparrow +^{TM} \langle \downarrow^{TM} \langle \leftrightarrow < \varphi \chi \subseteq \mid \mid \sigma \tau \wedge \equiv \mid \vee \varepsilon T T.$
10. $\& \mid _ \{ \wedge H \varphi \{ \wedge \vee \theta > \pm H \mid \exists T ?$

Section - B

II. Answer any two of the following

2 x 10 = 20M

11. $\mid \downarrow \mid + \sim \varepsilon \leftrightarrow \varepsilon \zeta \mid^{TM} \sigma \tau \therefore \theta T \vee \varepsilon \delta \mid \sigma \tau \psi \mid T \rightarrow \theta \delta \mid \zeta \mid^{TM} \varphi \langle T \equiv \{ "... : \} \varphi \# \mid \varphi \langle T + \& \mid .$
2007
- $\cup \theta \varepsilon \mid \quad 1$
- $\beta \subseteq \{ \mid \wedge \theta T + \& \mid \delta \mid \sigma \tau T \oplus \leq \mid \sigma \tau \vee \sqrt{1,00,000}, \varepsilon \sigma \tau \mid \downarrow \leq \mid \vee \& \mid \kappa \Sigma \neg + \geq T 10\%$
- $3 \quad \sigma \tau \psi \mid T \omega \tau \vee \exists T \mid \theta \delta \mid \sigma \tau T \oplus \leq \mid \sigma \tau \vee \sqrt{20,000}$
- $10 \quad \infty \varepsilon \mid \mid + \mid \theta \delta \mid \sigma \tau T \oplus \leq \mid \sigma \tau \vee \sqrt{80,000}$
- $19 \quad \vee \theta T \mid \mid \varepsilon T \oplus \leq \mid \vee \exists T \mid \theta \delta \mid \sigma \tau T \oplus \leq \mid \sigma \tau \vee \sqrt{24,000}$
- $20 \quad \beta \subseteq \{ \mid \wedge \oplus \leq \mid \delta \mid \sigma \tau T \oplus \leq \mid \psi \mid \mid \delta \mid T \therefore T \sigma \tau \vee \sqrt{10,000}$
- $24 \quad \vee \varepsilon T \sigma \Psi \oplus \leq \mid \mid + \mid \theta \delta \mid \sigma \tau T \oplus \leq \mid \sigma \tau \vee \sqrt{12,000}$
- $31 \quad \sigma \mid \zeta \mid \Theta \wedge \oplus \leq \mid \vee \exists T \mid \theta \delta \mid \sigma \tau T \oplus \leq \mid \sigma \tau \vee \sqrt{16,000}$
12. $\mid \mid \downarrow \mid + \sim \exists \varepsilon \sigma \mid \therefore \delta \mid \zeta \mid^{TM} \varphi \langle T +^{TM} \varphi \equiv \therefore ' \sigma \tau \theta > \bullet < \mid T \equiv \{ "...^{TM} \langle \varphi \langle \vee \sigma \tau T \# \mid \delta \leftarrow$
, $\mid \therefore \cap^{TM} \mid \therefore \varepsilon + \& \mid .$
2007

$\pi H \square 1 \quad \varepsilon \equiv \subset \theta \theta > \bullet < \square T \sigma \mathfrak{Z} \sqrt{.1,000}$
 $2 \quad {}^{\text{TM}} \langle \beta \subseteq \therefore K \sigma \mathfrak{Z} T \subset \therefore T \sigma \mathfrak{Z} \sqrt{.80}$
 $5 \quad \square \delta \dots \omega \square \theta \downarrow \lhd = \theta T > \wp \therefore T \sigma \mathfrak{Z} \sqrt{.50}$
 $8 \quad | | \square \lhd \leq \geq \theta \therefore \lhd = \sigma \mathfrak{Z} \oplus \leq \square \# \lfloor *' + \equiv \theta \sim \sigma \mathfrak{Z} \sqrt{.100}$
 $12 \quad \varepsilon \Pi^{\text{TM}} \langle H \square \therefore \# \lfloor *' + | \square \vee \sigma \mathfrak{Z} \sqrt{.40}$
 $16 \quad \sigma \mathfrak{Z} \psi \square \Delta'' K \sigma \mathfrak{Z} T \subset \therefore T \sigma \mathfrak{Z} \sqrt{.30}$
 $20 \quad \lhd \leq H \rfloor \cap \wp \langle T H \square \diamond K \sigma \mathfrak{Z} T \subset \therefore T \sigma \mathfrak{Z} \sqrt{.44}$
 $25 \quad | | \square \wp \langle \sqrt{\Delta} K \sigma \mathfrak{Z} T \subset \therefore T \sigma \mathfrak{Z} \sqrt{.160}$
 $27 \quad {}^{\text{TM}} \langle \beta \subseteq \wr'' K \sigma \mathfrak{Z} T \subset \therefore T \sigma \mathfrak{Z} \sqrt{.100}$
 $28 \quad \psi \rfloor^{\text{TM}} \langle H \square \therefore \# \lfloor *' + | \square \vee \sigma \mathfrak{Z} \sqrt{.20}$
 $29 \quad \wp \supset * | > \pm \varepsilon T T K \sigma \mathfrak{Z} T \subset \therefore T \sigma \mathfrak{Z} \sqrt{.40}$
 $30 \quad {}^{\text{TM}} \langle \beta \subseteq \wr'' K \sigma \mathfrak{Z} T \subset \therefore T \sigma \mathfrak{Z} \sqrt{.6}$

$13. | \lhd [+ \sim {}^{\text{TM}} \langle | \square \square \therefore \theta T \delta \square \varepsilon] + \equiv \vee H \square \varepsilon T^{\text{TM}} \Psi Y''^{\text{TM}} \square \theta T {}^{\text{TM}} \langle \wp \langle \sqrt{\sigma \mathfrak{Z} T} \# \rfloor \wp \langle T + \&$
 $\square .$

(μ)
 $\sigma \mathfrak{Z} \exists \theta T + \& \square \delta \square \sigma \mathfrak{Z} T \oplus \leq \square \lhd = \theta T > = \therefore T \sigma \mathfrak{Z} \sqrt{.3,000} \vee \varepsilon T \square \lhd \pm \therefore | \square \vee \delta \square | \lhd$
 $\leq + \wr \wp \theta \psi \lfloor \sqrt{< \square T \# \rfloor \Xi (\sigma \mathfrak{Z} T).$

(\sqcup)
 $\vee \sigma \mathfrak{Z} T \Delta \Psi \theta T + \& \square \varepsilon \equiv \subset \theta _ \therefore T' \sigma \mathfrak{Z} \sqrt{.1,000}, \# \lfloor *' + | \square \vee _ \therefore T' \therefore T | \square \vee \delta \square |$
 $\lhd \leq + \wr \wp | \psi \square \delta \text{---} H \square \sigma \mathfrak{Z} T.$

$(\delta \text{---})$
 $\varepsilon T T + < \square T > \pm \# \lfloor *' + \equiv \theta \vee < \rfloor \uparrow \sigma \mathfrak{Z} \sqrt{.500} \varepsilon T T + < \square T \oplus \leq \square \rho \delta \square T \lhd = \square \psi \lfloor \therefore'$
 $\& \square + \varepsilon T] \equiv H \square \sigma \mathfrak{Z} T.$

$(\& \square)$
 $\varsigma \square ''] \lhd \rfloor \# \lfloor *' + \equiv \theta \vee < \rfloor \uparrow \sigma \mathfrak{Z} \sqrt{.5,000} \angle] Y''^{\text{TM}} \square \oplus \leq \square \& \lfloor _ \{ \wedge \# \rfloor \delta \text{---} H \square \sigma \mathfrak{Z}$
 $T.$

$(\square) \vee \varepsilon T \square \lhd \pm \therefore | \square \vee \delta \square | \lhd \leq + \sigma \mathfrak{Z} \sqrt{.2,000} \mu \oplus \leq \square \neg \varepsilon > \pm \oplus \leq \Lambda \& \square H \square \sigma \mathfrak{Z} T.$

$(\mu | \square \tau)$
 $\sigma \mathfrak{Z} \varepsilon T \Delta \oplus \leq \square \delta \square \sigma \mathfrak{Z} T \oplus \leq \square \varepsilon \mathbb{T} \square \lhd \pm \therefore T \sigma \mathfrak{Z} \sqrt{.4,300} \theta T \sigma \mathfrak{Z} \sqrt{.3,400} > \pm | \Re$
 $\lhd \& \square \{ \wedge \# \rfloor \delta \text{---} H \square \sigma \mathfrak{Z} T.$

(□)

$\mathfrak{g}^{\text{TM}} \square \therefore T \sigma \mathfrak{Z} \sqrt{.8,900} \# \lfloor *' + \equiv, \mathfrak{g}^{\text{TM}} \square \therefore Y''^{\text{TM}} \square \oplus \leq \square \sigma \mathfrak{Z} \sqrt{.9,800} > \pm \mid \psi \square \delta$
 $\text{---} H \square \sigma \mathfrak{Z} T.$

Section - C

III. Answer any two of the following

2 x 20 = 40M

14. $\mid \sqcup \mid + \sim \exists \varepsilon \sigma \square \therefore \theta T + \& \square \quad 31.3.2007 \quad H \square \{ \mid \sqcup \mid \varepsilon \sigma \mathfrak{Z} \mid \sqcup \leq \mid \square \vee, \mathfrak{z}'' v \int \square \theta \chi \subseteq \dots \therefore$
 $Y''^{\text{TM}} \square \varepsilon T \rfloor \varphi \langle T T \square^{\text{TM}} \rfloor \sim \theta \mid \square \{ Y \dots \therefore \theta T^{\text{TM}} \langle \varphi \langle \sqrt{\sigma \mathfrak{Z} T} \# \rfloor \varphi \langle T + \& \square .$

$\exists \varepsilon \sigma \square \therefore T$	$\sigma \mathfrak{Z} \sqrt{.}$	$\sigma \mathfrak{Z} \sqrt{.}$
$\varepsilon T \sqrt{.} \therefore < \int \square \theta +$		8,500
$\beta \subseteq ' + \geq T$	1,900	
$\mid \beta \subseteq \sigma \mathfrak{Z} + v \int \square \mid \square \sigma \mathfrak{Z} T \oplus \leq \square$	2,920	
$\sqcup = \theta T > \Rightarrow \rfloor \square \Downarrow \varepsilon T \rfloor \varphi \langle T T \vee \varepsilon T \square \sqcup \pm \therefore T$	20,724	23,812
$\kappa \rfloor +^{\text{TM}} \langle \psi \square \& \square \sqcup \pm \therefore T$	1,420	
$\sqcup = \theta T \{ / \therefore T \psi \square \mid \square \delta \square T \therefore T \varepsilon T \rfloor \varphi \langle T T \vee \varepsilon T \square \sqcup \pm \therefore T$	420	582
$\square \mid \square \delta \square T \therefore T$	880	
$\kappa \subseteq < \int \square \sigma \mathfrak{Z} \Delta K \sigma \mathfrak{Z} T \subset \therefore T$	240	
$v < \lfloor \uparrow$	400	
$\neq \sigma \geq T \dots, \mid \square \theta T \square \therefore T$		160
$v \mid \square \mid + \mid \{ \mid \delta \square T \mid \mid \odot \exists T \varphi \langle T +$		480
$v'' + \oplus \leq \square \zeta \varepsilon \sigma \Psi \mid \& \square \mid \square . \pi$	344	
$\sigma \square \square v'' \sqcup Y \therefore T$	8,400	4,000
$\square T T \Delta \mid > \bullet \delta \square T \mid \therefore T \varepsilon T \rfloor \varphi \langle T T \square T T \Delta < \square^{\text{TM}} \langle \therefore T$	96	
$\# \rfloor \leftarrow \mathfrak{z} \varphi \theta > \bullet < \square T$		210
$\sigma \square \square v'' \sqcup Y \therefore \rfloor \cup \sigma \mathfrak{Z} T \cap$		
	37,744	37,744

$v < \square \theta \mid \square \vee \delta \square \varepsilon \sqrt{\# \square \sigma \mathfrak{Z} \varepsilon T T \exists}$

- $\beta \subseteq ' + \geq T \square \mid \Pi^{\text{TM}} \langle \sigma \mathfrak{Z} T > \bullet \mathbb{K} \square \therefore 10\% \delta \square + \varepsilon^{\text{TM}} \langle \diamond \sigma \square \square \sqcup \mid$
- $\square T T \Delta \mid > \bullet \delta \square T \mid \therefore \square \mid \Pi 5\% \sigma \square \square v'' \sqcup Y \therefore \square \sim \int \square \cong \sigma \square \in \geq T \# \rfloor \varphi \langle T + \& \square .$

3. $\# \lfloor *' + \# \langle \varepsilon \vdots \delta \text{---} \theta \vee < \lfloor \uparrow \sigma \mathfrak{Z} \vee .80$
4. $\varepsilon \text{TT} + < \square \text{ T} > \pm \# \lfloor *' + \equiv \theta \mid \square \theta \text{T} \square \vdots \text{T} \sigma \mathfrak{Z} \vee ..160$
5. $\delta \square \sigma \mathfrak{Z} \text{T} \oplus \leq \square \square \vdots \cap \varepsilon \vee] \subset 31\theta \sigma \mathfrak{Z} \vee .3,400$
6. $\varepsilon \text{TT} + < \square \text{ T} > \pm \varepsilon \equiv \subset \theta \vee \mid \square \mid + \{ \mid \delta \tau \mid \mid \odot \exists \text{T} \varphi \langle \text{T} + \sigma \mathfrak{Z} \vee .40$

15. $\sim > \bullet \text{T} \varepsilon \square \equiv \subset \theta \exists \varepsilon \sigma \mathfrak{Z} \varepsilon \text{TT} \vdots \text{TM} \wp 30.6.2006 \text{ H} \square \{ \mid \sqsubset \mid \vee'' + \oplus \leq \square \square \vdots \cap \vdots \delta \square \varepsilon \text{T}$
 $\theta \cap \varphi \langle \text{T} \mid \square \{ \Upsilon \dots \square \text{TM} \langle \varphi \langle \vee \sigma \mathfrak{Z} \text{T} \# \rfloor \varphi \langle \text{T} + \& \square +.$
 $(\mu) \theta > \bullet < \square \text{ T} \equiv \{ " \dots \mid \mid \square \sqsubset \pm \sigma \mathfrak{Z} + \& \lfloor \wedge \square \vdots \cap \sigma \mathfrak{Z} \vee .10,000$
 $(\sqsubset) \text{X}'' \downarrow \# \rfloor \delta \text{---} \theta \mid \square \in \{ \mid \sqsubset \mid , \vee'' + \oplus \leq \square \} \not\subset < \square \text{K} \vdots \text{T} \sqsubset \pm \square \# \lfloor \oplus \leq \square \neg \vdots \text{T} \sigma \mathfrak{Z} \vee .1,500$
 $(\delta \text{---}) \vee'' + \oplus \leq \square \} \not\subset \psi \rfloor \delta \text{---} \text{H} \square \varepsilon \delta \square \vee \vdots \text{T} \sqsubset \pm \square \# \lfloor \oplus \leq \square \neg \vdots \text{T} \sigma \mathfrak{Z} \vee .1,000$
 $(\& \square) \beta \subseteq \delta \square \text{T} \mid \square \vee \delta \square \mid \sqsubset \leq + \} \not\subset \varepsilon \vee \mid \text{TM} \langle \psi \rfloor \text{T} \mid \mathfrak{R} \sqsubset \& \square \sqsubset \pm \square \& \square \theta \varepsilon \& \square f \sigma \mathfrak{Z} \vee .100$
 $(\square) \theta > \bullet < \square \text{ T} \equiv \{ " \dots \} \not\subset \mid \psi \square \delta \text{---} \varepsilon \delta \square \vee \vdots \text{T} \oplus \leq \square \vee'' + \oplus \leq \square \oplus \leq \square \mid \square + \mid \square \square \# \lfloor \oplus \leq \square \neg \sigma$
 $\mathfrak{Z} \vee .500$
 $(\varphi \langle \text{T} \mid \square \tau) \varepsilon \delta \square \vee \vdots \text{T} \vee \sigma \text{TT} \theta _ \vdots \text{T}' \vdots \text{T} \beta \subseteq \delta \square \text{T} \mid \square \vee \theta \mid \sqsubset \leq + \} \not\subset \varepsilon \vee \mid \text{TM} \langle \psi \rfloor \text{T} \mid \mathfrak{R} \sqsubset \& \square \{$
 $\wedge \vee \sigma \text{TT} \theta \sim \sigma \mathfrak{Z} \vee .200$
 $(\square) \beta \subseteq \delta \square \text{T} \mid \square \vee \delta \square \mid \sqsubset \leq + \} \not\subset \varepsilon \vee \mid \text{TM} \langle \psi \rfloor \text{T} \& \lfloor \wedge \vee \sigma \text{TT} \theta \sqsubset \leq \text{MT} \omega \square \text{H} \square \sigma \mathfrak{Z} \vee .150$
 $(\square \varsigma'' \# \Psi) \beta \subseteq \delta \square \text{T} \mid \square \vee \delta \square \mid \sqsubset \leq + \} \not\subset \beta \rfloor \sigma \mathfrak{Z} \beta \theta \& \lfloor \wedge \# \rfloor \delta \text{---} \theta \psi \lfloor \text{TT}^{\text{TM}} \langle \mid + \sigma \mathfrak{Z}$
 $\vee .800$

16.

$\sim > \bullet \text{T} \varepsilon \square \equiv \subset \theta \exists \varepsilon \sigma \square \vdots \theta \text{T} + \& \square \varepsilon \text{T} \vee \& \square \text{T} \varepsilon \sigma \mathfrak{Z} \text{T} \delta \square \vdots \theta > \bullet < \square \text{ T} \equiv \{ " \dots \theta \text{T}^{\text{TM}} \langle \varphi \langle \vee \sigma$
 $\mathfrak{Z} \text{T} \# \rfloor \varphi \langle \text{TT} \varepsilon \text{TT}.$

2003

- $\varepsilon \vee] \subset 1 \quad \# \rfloor \Leftarrow \} \not\subset \theta > \bullet < \square \text{ T} \sigma \mathfrak{Z} \vee . \quad 15,000$
- $1 \quad \vee'' \leftrightarrow + \oplus \leq \square \} \not\subset \theta > \bullet < \square \text{ T} (\zeta \varepsilon \sigma \Psi \mid \& \square \mid \square \tau \dots) \sigma \mathfrak{Z} \vee .8,000$
- $3 \quad \theta > \bullet < \square \text{ T} \vee \varepsilon \text{T} \square \sqsubset \pm \vdots \text{T} \sigma \mathfrak{Z} \vee .8,000$
- 5

$\varsigma \square "]" \theta \text{T} + \& \square \sigma \mathfrak{Z} \vee .9,000 \vdots \oplus \leq \square \lfloor \oplus \leq \square \neg \sigma \square > \pm \vee \theta \text{T} \varepsilon \text{T} \Leftarrow + \equiv \theta$
 $\& \square \kappa \sum \neg + \geq \text{T} \sigma \mathfrak{Z} \vee .100$
 7

$\square \mid \prod \theta \square \mid \sigma = \neg \theta \text{T} \square \# \lfloor \oplus \leq \square \neg \varepsilon \delta \square \vee \vdots \text{T} \square \exists \text{T}^{\text{TM}} \langle \mid + \vee'' \leftrightarrow + \oplus \leq \square \oplus \leq \square$
 $\mid \square + \mid \square \& \square \psi \lfloor \text{T} \rightarrow \theta \sim$

10 $\mid \square \square \downarrow \square \# \langle \sigma \mathfrak{Z} \text{T} \sqsubset = \theta \text{T} > \wp \vdots \text{T} \sigma \mathfrak{Z} \vee .1,000$

15

$\lceil \pm \sigma \leftrightarrow \therefore \varphi \langle T + \square \exists T^{\text{TM}} \langle | + v'' \leftrightarrow + \oplus \leq \theta T + \& \rho \delta \text{---} \theta \sim \sigma \mathfrak{I} \sqrt{.3,0}$

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20

$\lceil \leq \omega \square \square H \rfloor \sigma \mathfrak{I} T > \pm \# \lfloor \oplus \leq \neg < \cap \sigma v'' \leftrightarrow + \oplus \leq \wr \not\subset \cup \varepsilon T \# \rfloor \delta$
 $\text{---} + \sim \sigma \mathfrak{I} \sqrt{.2,000}$

24 $v'' \leftrightarrow + \oplus \leq \wr \not\subset \cup \varepsilon T \# \rfloor \delta \text{---} \theta \theta > \bullet < T \sigma \mathfrak{I} \sqrt{.1,000}$

30 $\mathfrak{I}^{\text{TM}} \therefore \# \lfloor *' + \rfloor \vee \sigma \mathfrak{I} \sqrt{.2,500}$

30 $v'' \leftrightarrow + \oplus \leq \# \int \downarrow \blacklozenge \therefore T \sigma \mathfrak{I} \sqrt{.200}$

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JMJ COLLEGE FOR WOMEN (AUTONOMOUS) :: TENALI-522202
I Year B.Com (CBCS), General & Restructured (Computer Applications)

I Semester

Paper-102

Business Organization

PPW :06 Hours

Unit-I – Introduction

Concepts of Business, Trade, Industry and Commerce – Features of Business -Trade
Classification - Aids to Trade – Industry – Classification – Relationship of Trade, Industry and
Commerce .

Unit II- Business Functions and Entrepreneurship

Functions of Business and their relationship - Factors influencing the choice of suitable form of
organization – Meaning of Entrepreneurship – Characteristics of a good entrepreneur - Types –
Functions of Entrepreneurship.

Unit –III – Forms of Business Organizations

Sole Proprietorship – Meaning – Characteristics – Advantages and Disadvantages – Partnership -
Meaning – Characteristics- Kinds of partners – Advantages and Disadvantages – Partnership
Deed – Hindu-undivided Family – Cooperative Societies.

Unit-IV- Joint Stock Company

Joint Stock Company – Meaning – Characteristics –Advantages – Kinds of Companies -
Differences between Private Ltd and Public Ltd Companies.

Unit-V- Company Incorporation

Preparation of important Documents for incorporation of Company – Memorandum of
Association – Articles of Association – Differences Between Memorandum of Association and
Articles of Association - Prospectus and its contents.

Reference Books

1. C.D.Balaji and G. Prasad, Business Organization - Margham Publications, Chennai.
2. R.K.Sharma and Shashi K Gupta, Business Organization - Kalyani Publications.
3. C.B.Guptha, Industrial Organization and Management, Sultan Chand.
4. Y.K.Bushan, Business organization and Management, Sultan Chand.
5. Sherlekar, Business Organization and Management, Himalaya Publications.

JMJ COLLEGE FOR WOMEN TENALI (AUTONOMOUS)

I B.Com General & Computers

Business Organisation

Semester I

Time:3Hrs.

Max.Marks:70

Section – A

I. Answer All of the following

10 x 1 = 10M

1. What is meant by Business?

$\psi \square \leftrightarrow \beta \subseteq \sigma \mathfrak{S} \varepsilon \text{TT} \vee \theta > \pm H \rfloor \exists \text{T}?$

2. Write about foreign trade?

$\exists < \rfloor o \varepsilon \sigma \mathfrak{S} \rfloor \lrcorner \leq + > \bullet \text{T} \rfloor + \equiv \rfloor \psi \square \varphi \langle \text{T} + \& \square .$

3. Mention the procedure of registration of partnership.

$\vee \rfloor \text{"} > \bullet \kappa \subseteq \cap \varepsilon \text{T} \leftrightarrow \delta \square + \delta \square \emptyset \rfloor \square \rfloor \square \delta \dots \omega \square H \square \# \rfloor \sigma \text{TT} + \# \langle \text{T} \lrcorner = H \rfloor \exists < \rfloor \square \theta \varepsilon \text{TT}^{\text{TM}}$
 $\rfloor \therefore \text{T} \rfloor \square \vee \varepsilon \text{TT}.$

4. What is public limited Company?

$\rfloor \square _ \lrcorner \lrcorner \rfloor * \exists \text{T} \phi \supset \& \square \lrcorner \leq + \square \rfloor \rfloor \vee \theta > \pm H \rfloor \exists \text{T}?$

5. Write types of Companies.

$\lrcorner \leq + \square \rfloor \rfloor \rfloor \not\subseteq \sigma \mathfrak{S} \lrcorner \pm \therefore \theta \text{T} \rfloor \psi \square \varphi \langle \text{T} + \& \square .$

6. Write two features of joint Hindu family?

$\vee \exists \vee \rfloor \square \lrcorner \leq \rfloor \zeta \text{---} \text{"} + < \square \vee \oplus \leq \square \geq \text{T} + \square + \varphi \rfloor \text{TT} \lrcorner \leq \neg \mathfrak{R} \sigma + \& \square \text{T} \therefore \lrcorner \leq \square \Delta \text{"} \therefore \theta \text{T} \rfloor \psi$
 $\square \varphi \langle \text{TT} \varepsilon \text{TT}.$

7. Define Prospectus.

$\rfloor \square \rfloor \# \langle \varphi \langle \text{T} \rfloor \square \rfloor^{\text{TM}} \langle + \theta \text{T} \square \sigma \mathfrak{S} \cap \equiv + \rfloor \square \vee \varepsilon \text{TT}.$

8. Who is active partner?

$\delta \square \rfloor \lrcorner \varphi \langle \text{T} \vee \rfloor \text{"} > \bullet \delta \square \text{T} \rfloor \& \square \text{T} \vee \theta > \pm \mu \varepsilon \sigma \mathfrak{S} \text{T}?$

9. Define entrepreneur.

10. How is the liability of Sole Trader.

Section - B

2 x 10 = 20M

$$\bullet \therefore \varepsilon \leftrightarrow^{\text{TM}} \square \leftrightarrow \kappa \subseteq \therefore \theta T \exists \varepsilon] + \# \langle + \& \square .$$
$$\cup \{''\rangle \bullet \kappa \subseteq \cap \varepsilon \mathsf{T} \leftrightarrow \psi \sqsubseteq \leftrightarrow \beta \subseteq \sigma \mathfrak{Z} + \varphi \mid \mathsf{TT} \lhd \leq \neg \therefore \lhd \leq \sqsubseteq \Delta'' \therefore \mathsf{T}, \mathfrak{I}'' \cup \{ \sqsubseteq \theta \chi \subseteq \dots \therefore \theta \exists \varepsilon \} + \# \langle + \& \sqsubseteq .$$
$$\kappa \mathcal{J}^{+TM} \langle \psi \square \leftrightarrow \beta \subseteq \sigma \mathfrak{I} \varepsilon \mathbb{T} \mathbb{T} \mathfrak{I}^{\mathfrak{u}} \mathfrak{v} \int^{\mathfrak{u}} \theta \chi \subseteq \dots \vdash \theta \mathbb{T} \exists \varepsilon \rangle + \# \langle + \& \square .$$

2 x 20 = 40M

$$\begin{aligned} & \vee [\text{"} > \bullet \delta \square \text{ T} | :. \} \not\subseteq \sigma \mathfrak{I} \downarrow \pm :. \theta \text{ T } \exists \varepsilon] + \equiv, \vee [\text{"} > \bullet \kappa \subseteq \cap \varepsilon \text{ T} \leftrightarrow \square \mid \square \in + < \square + > \bullet \text{ T}] + \equiv \\ & \exists \varepsilon] + \# \langle + \& \square . \end{aligned}$$

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J.M.J.College for Women (A), Tenali- 522202

I Year B.Com (CBCS)., General II Semester

Paper -104 Fundamentals of Accounting-IIPPW :06 Hours

Unit-I:Depreciation

Meaning of Depreciation - Methods of Depreciation: Straight line - Written Down Value– Sum of the Years' Digits - Annuity and Depletion (Problems).

Unit-II:Provisions and Reserves

Meaning – Provision vs. Reserve – Preparation of Bad debts Account – Provision for Bad and doubtful debts – Provision for Discount on Debtors – Provision for discount on creditors - Repairs and Renewals Reserve A/c (Problems).

Unit-III: Bills of Exchange

Meaning of Bill –Features of bill – Parties in the Bill – Discounting of Bill – Renewal of Bill – Entries in the books of Drawer and Drawee (Problems).

Unit-IV: Consignment Accounts

Consignment - Features - Proforma invoice - Account sales – Del-credreCommission - Accounting treatment in the books of consigner and consignee - Valuation of closing stock - Normal and Abnormal losses (Problems).

Unit-V: Joint Venture Accounts

Joint venture - Features - Differences between Joint-venture and consignment – Accounting procedure - Methods of keeping records (Problems).

Reference Books:

1. R.L. Gupta & V.K. Gupta, Principles and Practice of Accounting, Sultan Chand
2. T. S. Reddy and A. Murthy - Financial Accounting, Margham Publications.
3. S.P. Jain & K.L. Narang, Accountancy-I, Kalyani Publishers.
4. Tulsan, Accountancy-I, Tata McGraw Hill Co.
5. V.K. Goyal, Financial Accounting, Excel Books
6. T.S. Grewal, Introduction to Accountancy, Sultan Chand & Co.
7. Haneef and Mukherjee, Accountancy-I, Tata McGraw Hill
8. Arulanandam, Advanced Accountancy, Himalaya Publishers
9. S.N. Maheshwari & V.L. Maheshwari, Advanced Accountancy-I, Vikas Publishers.

JMJ COLLEGE FOR WOMEN TENALI (AUTONOMOUS)

I B.Com General

Fundamentals of Accounting - II

Semester II

Time: 3Hrs.

Max. Marks: 70

Section – A

I. Answer All of the following

10 x 1 = 10M

1. $\delta \rightarrow \square \uparrow + \text{TM} \langle \downarrow \text{TM} \langle \leftrightarrow \rangle \chi \subseteq \square \square \square \sigma \cap \equiv + | \square \vee \varepsilon \text{TT}.$
2. $\downarrow \leq H \square \square \delta \sqcap H \square \psi \setminus (T + \geq T \vee \theta > \pm \square | \exists T?$
3. $\square \varepsilon T \square \& \square \psi \square \leftrightarrow \beta \subseteq \sigma \cap \varepsilon \text{TT} \theta T \square \sigma \cap \equiv + | \square \vee \varepsilon \text{TT}.$
4. $\downarrow \leq H \square \square \delta \sqcap H \square \psi \setminus (T + \geq T \square \varepsilon T \square \& \square \psi \square \leftrightarrow \beta \subseteq \sigma \cap \varepsilon \text{TT} \theta T \square \sigma \cap \equiv + | \square \vee \varepsilon \text{TT}.$
 $\& \square \therefore T \Re \sigma + \& \square + \{ \square \text{TM} \setminus \therefore | \square + \& \square .$
5. $\delta \rightarrow \emptyset \sigma \cap \psi \square \sigma \text{TT} < \square \therefore | \square < \square \uparrow \leftarrow \setminus \not\subseteq \text{TM} \langle \sigma \cap T > \bullet T < \square \therefore \oplus \leq \square > \bullet \therefore \delta \square \vee | \text{TM} \langle \psi \setminus T$
 $\sim ?$
6. $\vee \varepsilon T \square \downarrow \pm \therefore | \square \{ Y \dots \vee \theta > \pm H \setminus \exists T?$
7. $\zeta \varepsilon \sigma \Psi \Re \sigma \sqcap \& \square + > \times \downarrow \leq M T \omega \square H \square \theta T \square \sigma \cap \equiv + | \square \vee \varepsilon \text{TT}.$
8. $\text{TM} \langle \sigma \cap T > \bullet T < \square \therefore \cong \sigma \square \in \geq T \oplus \leq \square > \bullet \therefore \downarrow \pm \sigma \cap \Delta'' \therefore \theta \Re \sigma + \& \square + \{ \square \text{TM} \setminus \therefore | \square + \& \square .$

9. $E \& O.E \vee \theta > \pm H \downarrow \exists T?$

10. ${}^{TM}\langle \sigma \mathfrak{Z} T \rangle \bullet T < \square \therefore \theta T \square \mathfrak{D} \cap \equiv + | \square \vee \varepsilon T T.$

Section - B

II. Answer any two of the following

2 x 10 = 20M

11. $| \downarrow [+ \sim {}^{TM}\langle | \square \square \therefore \theta T \delta \square \varepsilon] + \equiv \vee H \square \varepsilon T {}^{TM} \Psi Y'' {}^{TM} \square \theta T {}^{TM} \langle \varphi \langle \sqrt{\sigma \mathfrak{Z} T \#} \downarrow \varphi \langle T + \&$
 $\square .$

(μ)

$\sigma \mathfrak{Z} \exists \theta T + \& \square \delta \square \sigma \mathfrak{Z} T \oplus \leq \square \downarrow = \theta T > = \therefore T \sigma \mathfrak{Z} \sqrt{.3,000} \vee \varepsilon T \square \downarrow \pm \therefore | \square \vee \delta \square | \downarrow$
 $\leq + \downarrow \varphi \theta \psi | \sqrt{< \square T \#} \downarrow \Xi (\sigma \mathfrak{Z} T.$

(\square)

$\vee \sigma \mathfrak{Z} T \Delta \Psi \theta T + \& \square \varepsilon \equiv < \theta _ \therefore T' \sigma \mathfrak{Z} \sqrt{.1,000}, \# \{ *' + \# \vee _ \therefore T' \therefore T | \square \vee \delta \square |$
 $\downarrow \leq + \downarrow \varphi | \psi \square \delta - H \square \sigma \mathfrak{Z} T.$

($\delta -$)

$\varepsilon T T + < \square T > \pm \# \{ *' + \equiv \theta \vee < | \uparrow \sigma \mathfrak{Z} \sqrt{.500} \varepsilon T T + < \square T \oplus \leq \square \rho \delta \square T \downarrow = \square \psi | \therefore '$
 $\& \square + \varepsilon T] \equiv H \square \sigma \mathfrak{Z} T.$

($\& \square$)

$\varsigma \square "] \downarrow | \# \{ *' + \equiv \theta \vee < | \uparrow \sigma \mathfrak{Z} \sqrt{.5,000} \angle] Y'' {}^{TM} \square \oplus \leq \square \& _ \{ \wedge \# \} \delta - H \square \sigma \mathfrak{Z}$
 $T.$

(\square) $\vee \varepsilon T \square \downarrow \pm \therefore | \square \vee \delta \square | \downarrow \leq + \sigma \mathfrak{Z} \sqrt{.2,000} \mu \oplus \leq \square \neg \varepsilon > \pm \oplus \leq \Lambda \& \square H \square \sigma \mathfrak{Z} T.$

($\mu | \square \tau$)

$\sigma \mathfrak{Z} \varepsilon T \Delta \oplus \leq \square \delta \square \sigma \mathfrak{Z} T \oplus \leq \square \vee \varepsilon T \square \therefore \mathbb{E} \sigma \mathfrak{Z} \sqrt{.4,300} \theta T \sigma \mathfrak{Z} \sqrt{.3,400} > \pm | \Re$
 $\downarrow \& \square \{ \wedge \# \} \delta - H \square \sigma \mathfrak{Z} T.$

(\square)

$\mathfrak{G} {}^{TM} \square \therefore T \sigma \mathfrak{Z} \sqrt{.8,900} \# \{ *' + \equiv, \mathfrak{G} {}^{TM} \square \therefore Y'' {}^{TM} \square \oplus \leq \square \sigma \mathfrak{Z} \sqrt{.9,800} > \pm | \psi \square \delta$
 $- H \square \sigma \mathfrak{Z} T.$

12. $\Xi \otimes K \sigma \Psi \downarrow \leq + \square | | \square \downarrow \leq \varphi \langle T + | {}^{TM} \square \square \square \sigma \mathfrak{Z} \sqrt{.50,000} \therefore \oplus \leq \square \equiv | - \varphi \langle T \rangle \wedge 1,$
 $2001 \downarrow = \theta T > \wp \therefore T \# \downarrow \delta - \kappa \subseteq \emptyset | \square \theta \Re \downarrow \Pi \sigma \mathfrak{Z} \sqrt{.1,000} K \sigma \mathfrak{Z} T \subset \# \downarrow \delta - + \sim. < \square$
 $\square \mathfrak{G} \exists {}^{TM} \langle \downarrow \pm \therefore + 10 \delta \square + \varepsilon {}^{TM} \langle \diamond \sigma \square \therefore T > \neq \# \langle H \square \psi \downarrow \varphi \langle T \square \& \square + \sim. \varphi \langle T + | {}^{TM} \langle + \varphi$
 $| T T \downarrow \leq \neg \exists \therefore T \varepsilon \sigma \mathfrak{Z} \sqrt{.2,000}. | \square \leftarrow \delta \square + \varepsilon {}^{TM} \langle \diamond \sigma \mathfrak{Z} + \psi \square \leftrightarrow \beta \subseteq \sigma \mathfrak{Z} + Y'' {}^{TM} \square \therefore T$
 $\& \square \square \delta + \square \sigma \mathfrak{Z} T 31 {}^{TM} \wp \varepsilon T T > \bullet T \kappa \subseteq | \varphi \langle T \square {}^{TM} \langle \therefore T \delta \square \sqrt{ | \delta - \emptyset \sigma \mathfrak{Z} \psi \square \sigma T T < \square$

$\therefore \lfloor \square < \square \uparrow \Leftarrow \rfloor \nsubseteq 5 \delta \square + \varepsilon^{\text{TM}} \langle \diamond \sigma \square \therefore \oplus \leq \square \varphi \langle T + \rfloor^{\text{TM}} \langle + Y''^{\text{TM}} \square \theta T, \rfloor'' \cup \rfloor \square \theta \chi \subseteq \dots \therefore$
 $Y''^{\text{TM}} \square \theta T \# \langle \sqrt{\rfloor \square + \& \square} .$

13. $\sigma \square \rfloor \wedge \rfloor \wp \Re \rfloor \exists T \rfloor \leq \rfloor \wedge \diamond * \exists T \wp \supset \& \square \psi \square \sigma \mathfrak{Z} T \wp \langle \sqrt{\psi \square T \psi \rfloor \Re \rfloor \leq \rfloor \wedge \diamond *}$
 $\exists T \wp \supset \& \square \rfloor \leq + \square \rfloor \rfloor \psi \square \rfloor \rfloor \rfloor 2000 \neq \rfloor \rfloor \therefore \sigma \mathfrak{Z} \kappa \subseteq \wp \langle T \mathsf{H} \square \square \square \rfloor \leq \mathsf{H} \square \square \delta \rfloor \mathsf{H} \square \psi \rfloor T$
 $+ \{ \wedge \square \rfloor \rfloor \square \rfloor + \rfloor \text{---} \mathsf{H} \square \sigma \mathfrak{Z} T. \square \sigma \mathfrak{Z} \kappa \subseteq \wp \langle T \theta + \wp \rfloor T T \rfloor \leq \neg < \rfloor \square \sigma \mathfrak{Z} \varepsilon T \rfloor \wp \langle T T < \square \square \square$
 $\rfloor \square + \rfloor \square \& \square \square \rfloor \rfloor \rfloor \vee \sigma T T \theta \rfloor \square \rfloor \square \{ \wedge \square \rfloor \leq \neg \rfloor \leq \neg \neq \rfloor \rfloor \rfloor \sigma \mathfrak{Z} \sqrt{.18 \varepsilon T \rfloor \wp \langle T T \sigma \mathfrak{Z} \sqrt{.1.}$
 $\rfloor \leq \mathsf{H} \square \square \delta \rfloor \rfloor \rfloor \theta T + \& \square \varepsilon \equiv \subset \theta \vee \rfloor \square + \{ \wedge \square \delta \rfloor \wedge \diamond \rfloor \rfloor \square \rfloor \pm \sigma \mathfrak{Z} + 1,000 \neq \rfloor \rfloor \therefore \sigma \mathfrak{Z} \kappa \subseteq$
 $\wp \langle T \mathsf{H} \square \square \square \rfloor \leq \neg \rfloor \leq \neg \neq \rfloor \rfloor \rfloor \sigma \mathfrak{Z} \sqrt{.32 \# = \rfloor \square \square \theta \vee \exists T \square \theta \geq T' \text{ }^{\text{TM}} \rfloor * \delta \text{---} + \sim. \vee \varepsilon T \square \rfloor$
 $\leq \rfloor \square \vee \mathsf{K} \sigma \mathfrak{Z} T \subset \therefore T \square \rfloor \leq \neg \rfloor \leq \neg \neq \rfloor \rfloor \rfloor \sigma \mathfrak{Z} \sqrt{.1, ; \rfloor \varepsilon \sqrt{(\sigma \mathfrak{Z} \psi \square \Delta'' \Re \rfloor \rfloor \rfloor) \sigma \mathfrak{Z} \sqrt{.}$
 $1,000, \rfloor \vee \rfloor \leq \neq \sigma \square 10\% \varepsilon T \rfloor \wp \langle T T \rfloor \leq \mathsf{H} \square \square \delta \rfloor \rfloor \rfloor \rfloor \leq \mathsf{M} T \omega \square \mathsf{H} \square 2 \frac{1}{2}\% . \square \sigma \mathfrak{Z} \kappa$
 $\subseteq \wp \langle T \theta + \wp \rfloor T T \rfloor \leq \neg \varepsilon T \sqrt{. \therefore \delta \square \cap \cup \rfloor'' \varepsilon + \varepsilon \therefore \theta \rfloor \leq \mathsf{H} \square \square \delta \rfloor \mathsf{H} \square \psi \rfloor T + \geq T \square \rfloor \rfloor \square$
 $+ \rfloor \circ \theta \psi \rfloor T T^{\text{TM}} \langle \rfloor + \delta \square \sigma \mathfrak{Z} T \oplus \leq \square \rfloor \nsubseteq 40 \neq \rfloor \rfloor \therefore \square \sigma \mathfrak{Z} T \varepsilon \vee \theta T \rfloor \wp \langle \varepsilon \& \square +$
 $\cup \rfloor \angle \theta \sim.$

$\rfloor \leq \mathsf{H} \square \square \delta \rfloor \mathsf{H} \square \sigma \Psi \rfloor \square \vee \delta \square \rfloor \rfloor \pm \therefore \rfloor \nsubseteq \rfloor \leq \mathsf{H} \square \square \delta \rfloor \mathsf{H} \square \psi \rfloor T + \geq T Y''^{\text{TM}} \square \theta T \varepsilon T \rfloor \wp \langle$
 $T T \rfloor \leq \mathsf{H} \square \square \delta \rfloor \rfloor \rfloor Y''^{\text{TM}} \square \theta T^{\text{TM}} \langle \wp \langle \sqrt{\sigma \mathfrak{Z} T \# \rfloor \wp \langle T + \& \square} .$

Section - C

III. Answer any two of the following

2 x 20 = 40M

14. $\square \varsigma \rfloor \rfloor'' < \square \sigma \square \vee'' < \square T \oplus \leq \square \# \rfloor + \sim \theta \varepsilon T \sqrt{\rfloor \rfloor} \Leftarrow \sigma \mathfrak{Z} T \rfloor \rfloor \Leftarrow \rfloor \nsubseteq \varepsilon \vee \theta \square \varepsilon \sqrt{ < \rfloor \square \psi \square \oplus$
 $\leq \square \geq \theta T \square \sigma \mathfrak{Z} \sqrt{.1,000 \# = \rfloor \square \square \theta 100 \geq \theta T \delta \square \sigma \mathfrak{Z} T \oplus \leq \square \therefore \theta T < \rfloor \square \sigma \mathfrak{Z} \square \rfloor \rfloor 25$
 $\% \rfloor \leq * \rfloor \text{---} \rfloor \leq \mathsf{H} \square \square \delta \rfloor \mathsf{H} \square \# \rfloor \Xi \rfloor \& \square T. \varepsilon T \sqrt{\rfloor \rfloor} \sigma \mathfrak{Z} \psi \square \Delta'' \oplus \leq \square \sigma \mathfrak{Z} \sqrt{.2,000, ; \rfloor \varepsilon \sqrt{}$
 $\sigma \mathfrak{Z} \sqrt{.3,000 \mathsf{K} \sigma \mathfrak{Z} T \subset \# \rfloor \Xi \rfloor \& \square T.$

$\sigma \mathfrak{Z} \psi \square \Delta'' \rfloor \nsubseteq 10 \geq \theta T \square \therefore \delta \square \sigma \mathfrak{Z} T \oplus \leq \square \beta \subseteq \& \square \varepsilon > \pm, \varepsilon T \sqrt{\rfloor \rfloor} ; \rfloor \varepsilon \sqrt{ \rfloor \leq + \square \rfloor \rfloor \theta T + \&$
 $\square \sigma \mathfrak{Z} \sqrt{.6,000 \Re \rfloor' \sigma T T \psi \square T \# \rfloor \Xi \rfloor \& \square T. \vee + < \square T \oplus \leq \square ; \rfloor \varepsilon \sqrt{ \rfloor \leq + \square \rfloor \rfloor \vee + \perp \rfloor \leq \rfloor +$
 $\equiv \theta \sim. \varepsilon \sqrt{ < \rfloor \square \psi \square \rfloor \square + \rfloor \circ \theta \vee \rfloor \square + \geq T \rfloor \wp \langle \varepsilon \sigma \square \therefore T \rfloor \rfloor + \sim \exists < \rfloor \square + > \pm \varepsilon \vee \mathsf{H} \square$
 $\square \sigma T T.$

$80 \geq \theta T \square \therefore \delta \square \sigma \mathfrak{Z} T \oplus \leq \square \square \mathsf{H} \square \cap \sigma T T \delta \tau < \rfloor \square \sigma \mathfrak{Z} \oplus \leq \square \vee \varepsilon T \square \rfloor \leq +$

$1 \geq \theta T \square \delta \square \sigma \mathfrak{Z} T \oplus \leq \square \kappa \subseteq < \rfloor \square \sigma \mathfrak{Z} \Delta \rfloor \pm \sigma \mathfrak{Z} \Delta'' \therefore \varepsilon \therefore \theta \beta \rfloor \sigma T T + \sim.$

$9 \geq \theta T \square \therefore T \rfloor \leq \mathsf{H} \square \square \delta \rfloor \rfloor \rfloor \varepsilon < \square \uparrow \square \mathsf{H} \square \square \sigma T T$

$\vee \varepsilon T \square \rfloor \leq + \mathsf{K} \sigma \mathfrak{Z} T \subset \therefore T \sigma \mathfrak{Z} \sqrt{.2,500, \text{ }^{\text{TM}} \langle \theta \rfloor \leq \mathsf{M} T \omega \square \mathsf{H} \square 3\%$

$\square \rfloor \pm \sigma T T \psi \rfloor T T^{\text{TM}} \langle \rfloor + \& \square . \& \square . < \square \cap \sigma \square \rfloor \square + \rfloor \text{---} \mathsf{H} \square \& \square T.$

$\varepsilon T \vee] | \varepsilon T] \varphi \langle T T \varepsilon \vee < \int \square \psi \square \mid \vee \delta \square \mid \perp \pm \therefore \} \not\subset \vee \varepsilon \delta \square \sigma \mathfrak{Z} \psi \mid (T \rightarrow \theta Y''^{TM} \square \therefore \theta T \mid \psi$
 $\square \varphi \langle T T \varepsilon T T$.

15. $\sigma \mathfrak{Z} \psi \mid T \omega \tau \varepsilon T] \varphi \langle T T \delta \square T \neq \sigma \omega \tau \therefore T \square \varepsilon T \square \& \square \psi \square \leftrightarrow \beta \subseteq \sigma \mathfrak{Z} \varepsilon T T \theta T \mid \beta \subseteq \sigma \mathfrak{Z}$
 $+ _ \int + \equiv \}'' \cup \int \square \theta \chi \subseteq \dots \therefore \theta T \exists \exists 2 \square \omega \square \in \Leftarrow \mid \} \not\subset \mid \square + \# \langle T \perp = + \{'' \sigma \mathfrak{Z} T. \sigma \mathfrak{Z} \psi \mid T \omega \tau$

$\sigma \mathfrak{Z} \vee . 7,500 \therefore \delta \square \sigma \mathfrak{Z} T \oplus \leq \square \theta T \delta \square \sigma \mathfrak{Z} \mid \square \square \sigma \square \# \} \delta \text{---} \sigma \mathfrak{Z} \vee . 500 K \sigma \mathfrak{Z} T \subset \therefore T \# \mid *$
 $' + \equiv H \square \& \square T. \delta \square T \neq \sigma \omega \tau \sigma \mathfrak{Z} \vee \theta \theta \therefore \delta \square \sigma \mathfrak{Z} T \oplus \leq \square \therefore \theta T \delta \square \sigma \mathfrak{Z} \mid \square \square \sigma \square \# \} \delta \text{---}$
 $\sigma \mathfrak{Z} \vee . 400 K \sigma \mathfrak{Z} T \subset \therefore T \# \mid *' + \# \mid \theta T. \square \varepsilon T \square \& \square \exists \leftrightarrow \beta \subseteq \sigma \mathfrak{Z} +^{TM} \langle \sigma \mathfrak{Z} \mid \square \vee \theta \delta \square T \neq \sigma$
 $\omega \tau \delta \square \sigma \mathfrak{Z} T \oplus \leq \square \theta T \sigma \mathfrak{Z} \vee . 18,000 \therefore \oplus \leq \square \vee \exists T \square H \square \& \square T. \delta \square T \neq \sigma \omega \tau \oplus \leq \square \vee \varepsilon T \square$
 $\perp \pm \therefore M T < \square 5 \% \perp \leq M T \omega \square H \square \square \varepsilon \cap \varepsilon \} \theta T. \square \varepsilon \cap \varepsilon \therefore \delta \text{---} \theta \psi \mid T T^{TM} \square \mid \square \perp \int \delta \square T$
 $\neq \sigma \omega \tau \cup'' + \oplus \leq \square \mid \& \square \mid \square \tau \dots \mid \square + \mid \text{---} H \square \& \square T. \sigma \mathfrak{Z} \psi \mid T \omega \tau \mid \square \vee \delta \square \mid \perp \pm \therefore \} \not\subset \equiv \{'' \dots$
 $\mid \square < \square \hat{\Pi} \therefore T \mid \psi \square \delta \text{---} \vee \varepsilon \delta \square \sigma \mathfrak{Z} \psi \mid (T \rightarrow \theta Y''^{TM} \square \therefore \theta T^{TM} \langle \varphi \langle \vee \sigma \mathfrak{Z} T \# \} \varphi \langle T + \& \square .$

16. 1.4.2005 $\exists \cup \varphi \Psi T \square \perp \leq \varphi \langle T + \mid^{TM} \square \square \square \sigma \mathfrak{Z} \vee . 47,000 \therefore \oplus \leq \square \perp = \square < \square \square \kappa \subseteq$
 $\emptyset \mid \square \theta K \sigma \mathfrak{Z} T \subset \oplus \leq \square > \pm \theta T \sigma \mathfrak{Z} \vee . 3,000 \# \mid *' + \# \mid \theta T. 1$
 $\pi \} \supset \Pi 2006 \theta \varepsilon T] \varphi \mid T T \perp \leq \varphi \langle T + \mid^{TM} \square \square \square \sigma \mathfrak{Z} \vee . 30,000 \therefore \oplus \leq \square \perp = \theta T > = \therefore T \# \mid$
 $\square \delta \theta T. 30 \pi H \square 2007 \theta \vee^{TM} \langle \& \square T 1 \equiv \mid \text{---} \varphi \langle T \} \wedge 2005 \theta \perp = \varphi \langle T + \mid^{TM} \square \square \square \sigma$
 $\mathfrak{Z} \vee . 35,000 \therefore \oplus \leq \square \vee \exists T \square \vee < \mid \sigma \wp E \theta \varepsilon T] \varphi \mid T T \perp \leq \varphi \langle T + \mid^{TM} \square \square \square \sigma \mathfrak{Z} \vee . 40,000$
 $\therefore \oplus \leq \square \perp = \theta T > = \therefore T \# \mid \square \delta \theta T. ^{TM} \langle > \bullet T Z^{TM} \langle T \theta \square \square \therefore \cap \therefore \mid \square < \square \hat{\Pi} \Leftarrow \} \not\subset 10 \% \# = \mid$
 $\square \square \theta ^{TM} \langle \sigma \mathfrak{Z} T > \bullet T < \square \therefore \theta T \} \supset \perp \int \text{---} + \# \langle \varepsilon \} \supset \theta T. Y''^{TM} \square \mid \square \vee \delta \square \mid \perp \pm \therefore \theta T$
 $\& \square \square \delta + \square \sigma \mathfrak{Z} T 31 \varepsilon T T \angle + \mid \square \vee \# \mid \kappa \subseteq \mid \& \square \square \cup \int'' \exists + \equiv 31 \& \square \square \delta + \square \sigma \mathfrak{Z} T 2007 \varepsilon$
 $\sigma \mathfrak{Z} \oplus \leq \square \varphi \langle T + \mid^{TM} \langle + Y''^{TM} \square \theta T \wp \langle \vee \sigma \mathfrak{Z} T \# \} \varphi \langle T T \varepsilon T T.$

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J.M.J.College for Women(A), Tenali - 522202

I Year B.Com (CBCS).,General

II Semester

Paper -105 Principles of Management PPW :06 Hours

Unit-I: Introduction to Management

Management - Meaning - Significance - Management vs. Administration – Functions of management – Leadership – Leader vs. Manager - Fayol's Principles of Management.

Unit-II: Planning

Planning - meaning - significance –Steps in Planning - Decision making –Steps in decision making process.

Unit-III: Organization

Organizing - meaning – Principles of organization– Line and Staff Organization -Organization chart.

Unit-IV: Delegation of authority

Delegation - meaning - elements - principles - difficulties in delegation – guidelines for making delegation effective - Centralization vs. Decentralization

Unit-V: Staffing, Controlling, Communication

Staffing – selection procedure –Coordination - Control – meaning – Qualities of Good Control - Communication Types - Barriers.

Reference Books

1. C.D.Balaji and G.Prasad, Business Organization and Management-Margham Publications.
2. R.K.Sharma&Shashi K Gupta, Business Organization&Management, Kalyani Publishers.
3. C.B.Gupta, Industrial Organization and Management, Sultan Chand.
4. Y.K.Bushan, Business organization and Management, Sultan Chand.
5. Sherlekar, Business Organization and Management , Himalaya Publications.

JMJ COLLEGE FOR WOMEN TENALI (AUTONOMOUS)

I B.Com General

Principles of Management

Semester II

Time:3Hrs.

Max.Marks:70

Section – A

I. Answer All of the following

10 x 1 = 10M

1. $\square \sigma \mathfrak{S} \cap \zeta \square \text{"} \Delta \vee \theta > \pm H \rfloor \exists T?$
2. $H \square \varphi \langle T \downarrow \leq^{\text{TM}} \langle \cap + \varphi \lfloor TT \downarrow \leq \neg \mathfrak{R} \sigma + \& \square T \therefore \downarrow \leq \square \Delta'' \therefore \theta T \mid \psi \square \varphi \langle T + \& \square .$
3. $\mid \square \Delta'' \lfloor \downarrow \Upsilon \downarrow \leq \sigma \mathfrak{S} \Delta \varphi \lfloor TT \downarrow \leq \neg \mathfrak{R} \sigma + \& \square T \therefore \downarrow \leq \square \Delta'' \therefore \theta T \mid \psi \square \varphi \langle T + \& \square .$
4. $\downarrow + \mid \sim \downarrow \leq \sigma \mathfrak{S} \Delta \vee \theta > \pm H \rfloor \exists T?$
5. $\vee \sim \int \downarrow \pm \sigma \mathfrak{S} \mid \square < \int \square \theta + \vee \theta > \pm H \rfloor \exists T?$
6. $\exists \neq \downarrow + \mid \sim \downarrow \leq \sigma \mathfrak{S} \Delta \theta T \vee \theta > \pm H \rfloor \exists T?$
7. $\varepsilon \leftrightarrow \varepsilon \delta \odot \emptyset \downarrow \leq \sigma \mathfrak{S} \Delta \vee \theta > \pm H \rfloor \exists T?$
8. $\square X'' \odot \cong \downarrow \leq^{\text{TM}} \langle \cap \varepsilon TT \vee \theta > \pm H \rfloor \exists T?$
9. $\delta \square + \delta \square \emptyset < \int \rfloor \leftrightarrow \varphi \langle \sqrt{\therefore} \theta T \mathfrak{R} \sigma + \& \square + \{ \int \square \mid \psi \square \varphi \langle T + \& \square .$
10. $\mid \square \Delta'' \lfloor \downarrow \leq \theta T \square \sigma \mathfrak{S} \cap \equiv + \# \langle + \& \square .$

Section - B

II. Answer any two of the following

2 x 10 = 20M

11. $\varepsilon \leftrightarrow \varepsilon \delta \odot \emptyset \downarrow \leq \sigma \mathfrak{S} \Delta \varphi \lfloor TT \downarrow \leq \neg \therefore \downarrow \leq \square \Delta'' \therefore T, \mid \square \mid \downarrow \Upsilon \varphi \langle T \exists \varepsilon \rfloor + \# \langle + \& \square .$
12. $\square \sigma \mathfrak{S} \cap \zeta \square \text{"} \Delta \exists < \int \square T \therefore > \bullet \sqrt{\rfloor} \subset \oplus \leq \Lambda \therefore + \downarrow \leq \omega \square + > \pm \mid \psi \square \varphi \langle T + \& \square .$
13. $\exists \neq \downarrow + \mid \sim \downarrow \leq \sigma \mathfrak{S} \Delta \square \varepsilon \Xi \rfloor \leftrightarrow \downarrow \leq^{\text{TM}} \langle \theta T^{\text{TM}} \lfloor * \rfloor \text{---}, < \square \square \varphi \lfloor TT \downarrow \leq \neg \theta \chi \subseteq \dots \therefore \theta T \# \langle \rfloor \subset + \# \langle + \& \square .$

Section - C

III. Answer any two of the following

2 x 20 = 40M

14. $\vee \sim \int \downarrow \pm \sigma \square \square \square \mid \square < \int \square \theta + \# \rfloor \varphi \langle T \varepsilon \therefore \delta \text{---} \theta \square \varepsilon \Xi \rfloor \leftrightarrow \downarrow \leq^{\text{TM}} \langle \cong \exists T^? \downarrow \pm \sigma \mathfrak{S} + \mid \square < \int \square \theta + \varepsilon \therefore \theta \downarrow \leq * \neq > \mid \square \varphi \lfloor \sqrt{\cup} H \square \therefore \theta T, \theta \chi \subseteq \dots \therefore \theta T^{\text{TM}} \lfloor \therefore \mid \square + \& \square .$
15. $\varepsilon \leftrightarrow \varepsilon \delta \odot \emptyset \downarrow \leq \sigma \mathfrak{S} \Delta \varphi \lfloor TT \downarrow \leq \neg \therefore \downarrow \leq \square \Delta'' \therefore \theta T, \varepsilon T \rfloor \varphi \langle TT \mid \square \mid \downarrow \rfloor \varphi \langle T \theta T \exists \varepsilon \rfloor + \# \langle + \& \square .$
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J.M.J.College for Women (A), Tenali – 522202

I Year B.Com (CBCS), General

II Semester

Paper-106

Business Economics- II

PPW : 06 Hours

Unit-I: Production and Costs: Techniques of Maximization of output, Minimization of costs and Maximization of profit - Scale of production - Economies and Dis-economies of Scale - Costs of Production –Cobb-Douglas Production Function.

Unit-II: Market Structure-I: Concept of Market - Market structure - Characteristics - Perfect competition -characteristics equilibrium price - profit maximizing output in the short and long run Monopoly- characteristics - Profit maximizing out-put in the short and long run - Defects of Monopoly – Distinction between Perfect competition and Monopoly.

Unit-III Market Structure-II: Monopolistic Competition - Characteristics - Product differentiation - Profit maximization- Price and output in the short and long - run – Oligopoly - characteristics - Price rigidity - Kinked Demand Curve - Distribution - Concepts - Marginal Productivity - Theory of Distribution.

Unit-IV National Income And Economic Systems: National Income - Definition Measurement - GDP - Meaning Fiscal deficit - Economic systems - Socialism - Mixed Economic System - Free Market economy.

Unit-V Structural Reforms: Concepts of Economic liberalization, Privatization, Globalization - WTO Objectives Agreements - Functions - Trade cycles - Meaning - Phases - Benefits of International Trade - Balance of Trade and Balance of payments.

Reference Books:

1. Aryasri and Murthy, Business Economics, Tata McGraw Hill
2. H.L Ahuja, Business Economics, Sultan Chand& Sons
3. KPM Sundaram, Micro Economics
4. Mankiw, Principles of Economics, Cengage Publications
5. Mithani, Fundamentals of Business Economics, Himalaya Publishing House
6. DAR Subrahmanyam &V Hari Leela, A Text Book on Business Economics, Maruthi Publishers.
7. A.V. R. Chary, Business Economics, Kalyani Publishers, Hyderabad.

J.M.J.COLLEGE FOR WOMEN, TENALI:.(Autonomous)

Advanced Accounting – II B.Com General& Computers

III SemesterSyllabus

Max.Marks:70M

Objectives:

- 1.To appraise the students about the application of accounting knowledge in special business activities.
2. To impart the skills of preparation of final accounts of non-trading concerns,partnership, organizations.

UNIT – I: Accounts from Incomplete Records

Single Entry: Features – books and accounts maintained -Recording of transactions-Ascertainmentof Profit. – (Statement of Affairs method only).

UNIT – II:Hire purchase and installment purchase system

Hire Purchase System - Features –Accounting Treatment in the Books of Hire Purchaser and Hire Vendor - Default and Repossession - Installment Purchase System - Difference between Hire purchase and Installment purchase systems - Accounting Treatment in the books of Purchaser andVendor.

UNIT - III: Accounting of Non-Profit Organizations

Non-Profit entities – Features of nonprofit entities – Accounting process Preparation of summaries Receipts and Payments Account meaning and special features – Procedure for preparation – usesand limitations.

Income and Expenditure Account–features procedure for preparation – preparation of Balance Sheet.

UNIT- IV: Partnership Accounts I

Legal provisions in the absence of Partnership Deed Fixed and Fluctuating Capitals –Preparation of final accounts. Accounting Treatment of Goodwill and Admission of a partner.

Accounting treatment of Retirement and Death of a Partner Dissolution of Firm (Excluding Sale to Firm, Company and Amalgamation) – Recording of partnership transaction and preparation of final accounts using computers.

Books Recommended:

1. Advanced Accounting-R.L.Gupta,M.Radhaswamy ,Sultan Chand & Sons, 12th Edition-1998
2. Financial Accounting- Dr.SakshiVasudeva,Himalaya Publishers-2008
3. Financial Accounting- S.P.Jain, K.L.Narang, Kalyani Publications -2009
4. Financial Accounting – K.V.Kumar, K.S.R.K.Prasad, Jai Bharat – 2009

Unit wise Weightage	1Marks Theory	10Marks Problems	20Marks Problems
Unit I – Single Entry System	2	1	-
Unit II – Hire purchase & Installment System	2	1	-
Unit III – Non-Profit Organizations	3	-	1

Unit IV – Partnership Accounts I Admission or Retirement and Dissolution	3	1	2
Total	10	3	3

J.M.J.COLLEGE FOR WOMEN, TENALI: (Autonomous)
Advanced Accounting – IIB.Com General, III Semester
Model Question Paper

Time: 3Hrs.

Max.Marks: 70M

Section – A

I. Answer all of the following.

10 x 1 = 10M

1. Write any two features of single entry system.

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2. Differences between Balance Sheet and Statement of affairs?

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3. What are the differences between hire purchase method and installment method?

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4. Define partnership?

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5. What is goodwill?

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6. What is fixed capital and fluctuating capital?

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7. What is non-trading organization accounts?

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8. What is donations and subscriptions?

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9. What is partnership deed?

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10. Write any two differences between receipts and payments a/c and income and expenditure a/c.

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Section - B

II. Answer any Two of the following

2 x 10 = 20M

11. Reddy keeps his books by single entry system. On 01-04-2005 his financial position was as follows:

	Rs.		Rs.
Cash in hand	1,250	Cash at bank	2,000
Stock in trade	7,500	Fixtures	350
Sundry debtors	9,800	Plant	15,100
Sundry creditors	9,000	Drawings	5,900

On 31-03-2005 his financial position was as follows:

	Rs.		Rs.
Sundry Creditors	7,500	Plant	18,100
Fixtures	320	Debtors	13,300
Stocks in trade	14,000	Cash in hand	1,150
Bank overdraft	3,600		

You are required to prepare a statement of profit or loss and closing statement of affairs.

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12. M/s A and B purchased on 1st Jan 2003 from X and Co. a machine whose cash price was Rs.7450.

Payment was to be made in four installments of Rs.2,000 each the first payment to be made immediately and the other three at the end of 2003, 2004, 2005. Interest as taken to be 5% p.a. depreciation is 10% p.a. on the diminishing value. Give the Ledger A/c in the books of A & B on Hire Purchase System.

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13. Sarma and Sastry are running a partnership business on the following terms.

- They are to share profits and losses in the ratio of 2:3.
- Interest on capital is to be allowed at 5% per annum.
- Interest on drawings is to be charged at 6% for the whole year.
- Sarma who is also acting as a manager of the firm, is to get a commission of 3% on profits after charging such commission.

Partnership business resulted in a profit of Rs.55,600 before adjusting partner's transactions. Capital balance of partners are Rs.50,000 and Rs.40,000, respectively. Their drawing amounted to Rs.5,000 and Rs.8,000 respectively. You are required to prepare profit and loss appropriation account for the year ended 31st December, 2002 and Partners capital accounts, when

- Capitals are fixed and
- Capitals are fluctuating.

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Section - C

III. Answer any Two of the following

2 x 20 = 40M

14. The following are the Receipts and Payments account of Warangal Cricket Club for the year ending 31st December, 2006

	Rs.		Rs.
To Opening Balance		By Establishment expenses	
Cash	400	(Rs.1,400 for 2006)	16,000
Bank balance	20400	By Telephone charges	600
To Subscriptions (including Rs.750 for 2006)	24,400	By Purchase of Books for library	14,200
To Rent for Hall	1,600	By Rent	5,000
To interest on investments	1,000	By Travelling	200
To Donations	12,500	By Stamps, Stationary	800
		By Closing balances:	
		Cash	300
		Bank balance	22,600
	60,300		60,300

The following additional information is provided.

- On 01-01-2005, the club held Government Securities fetching 6% interest for Rs.40,000
- The values of books in library was Rs.25,000 on 01-01-2005.
- Hall rent is still receivable for Rs.400 and office rent outstanding is Rs.1,000 on 01-01-2005 Rs.250; On 31-12-2005 Rs.400
- Prepare Income and Expenditure account and the balance sheet relating to the year.

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15. A and B partner's in a business share profits and losses in the ratio of 3:1. Their Balance Sheet as on 31-12-2005 was as under:

	Rs.		Rs.
Creditors	37,500	Bank	22,500
General Reserve	4,000	Bills receivable	3,000
Capitals:		Debtors	16,000
A 30,000		Stock	20,000
B 16,000	46,000	Furniture	1,000
-----		Buildings	25,000
	87,500		87,500

On 01-01-2006 they admit C on the following terms:

- That C pays Rs.10,000 as his capital for 1/5 share of profits
- That goodwill account be raised to Rs.20,000
- That stock and furniture be reduced by 10% and provision of 5% be made for doubtful debts.

- d. That the value of buildings be appreciated by 20%
- e. That the capital accounts of all the partners be readjusted on the basis of their profit sharing arrangements and any additional amount to be credited to their current accounts.

Prepare Revaluation account and capital accounts and the opening Balance Sheet of the firm.

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- |□ vθσT√□ } " ↔+↓≤θ Y"TM□ ∴.T, εT√∴< |□ θ Y"TM□ ∴.T, υ | " >•κ≤∩εT↔ □
δ—| v|□ □ ∴. |□ { |... TM<φ<√σT #|φ<TTεTT.

16. Sri Ram, Jai Ram, Sita Ram are partners in a business, sharing profits and losses in the ratio 3:2:1. Their Balance sheet as on 30th June, 2002 was as follows,

Balance Sheet as at 30-06-2002

Liabilities	Rs.	Assets	Rs.
Sundry Creditors	2,200	Cash in hand	1,200

3. $\beta \sqsubseteq \leftrightarrow \downarrow \leq \dots \downarrow \vee \int \sqsubseteq \varepsilon H \sqsubseteq \sqsubseteq \sqsubseteq \sigma \mathfrak{I} \sqrt{.30,200} > \pm \varepsilon \vee \theta \sigma \mathfrak{I} \sqrt{\sqsubseteq} \wr \leftrightarrow + \downarrow \leq \theta \# \setminus \varphi \langle$
 $\sqrt{\leftrightarrow} *$.
 $\sqsubseteq \vee \theta \sigma \mathfrak{I} \sqrt{\sqsubseteq} \wr \leftrightarrow + \downarrow \leq \theta Y'''^{\text{TM}} \sqsubseteq \vee \wr \bullet \sqsubseteq \vee \sqsubseteq \vdots \varepsilon T \sqrt{\vdots} < \int \sqsubseteq H \sqsubseteq \vdots Y'''^{\text{TM}} \sqsubseteq \vdots T$
 $\pi \wr \supset \prod 1, 2002 H \sqsubseteq \{ \wr \psi \sqsubseteq \leftrightarrow \beta \sqsubseteq \sigma \mathfrak{I} + \wr \not\subseteq \downarrow = \theta \kappa \sqsubseteq \bullet T^{\text{TM}} \langle T \theta \sqsubseteq \vee \wr \bullet \delta \sqsubseteq T$
 $\wr \vdots T \sqsubseteq \delta \text{---} \emptyset \vee \sqsubseteq \sqsubseteq \vdots \sqsubseteq \{ \wr \dots^{\text{TM}} \langle \varphi \langle \sqrt{\sigma \mathfrak{I} T} \# \sqcup \varphi \langle T T \varepsilon T T.$

J.M.J.COLLEGE FOR WOMEN, TENALI:.(Autonomous)

Advanced Accounting – II B.Com General& Computers

IV SemesterSyllabus

Max.Marks:70M

Objectives:

To develop the skills of recording of transactions relating to issue of shares and debentures, branches and departments manually and using computers.

UNIT I : Branch Accounts:

Dependent Branches: features –Books of accounts – methods of accounting of dependent branches –Debtors System, Stock and debtors system –Recording of transaction relating to branch accounts using computers.

UNIT 2: Departmental Accounts:

Departmental Accounts: need, features, Basis for Allocation of Expenses, treatment of Inter Departmental Transfer at cost or Selling Price Treatment of Expenses that cannot be allocated – Preparation of departmental profit and loss

UNIT 3: Company Accounts: Shares

Issue of Shares at par, Premium and at Discount Forfeiture and Reissue of Shares Rights issue (Theory Only) Recording of transactions relating to issue of shares using computers.

UNIT 4: Company Accounts: Debentures

Issue and Redemption of Debentures- Redemption out of profits –sinking fund method. Recording of transaction relating to issue and redemption of debentures using computers
Underwriting of Issue of Shares(Simple Problems)

Books Recommended:

1. Advanced Accounting-R.L.Gupta,M.Radhaswamy ,Sultha Chand & Sons, 12th Edition-1998
2. Financial Accounting- Dr.SakshiVasudeva,Himalaya Publishers-2008
3. Financial Accounting- S.P.Jain, K.L.Narang, Kalyani Publications -2009
4. Financial Accounting – K.V.Kumar, K.S.R.K.Prasad, Jai Bharat - 2009

Unit wise Weightage	1Marks Theory	10Marks Problems	20Marks Problems
Unit I – Branch Accounts	2	1	1
Unit II – Departmental Accounts	2	1	-
Unit III – Company Accounts: Shares	3	-	1

Unit IV – Company Accounts: Debentures	3	1	1
Total	10	3	3

J.M.J.COLLEGE FOR WOMEN, TENALI:: (Autonomous)
Advanced Accounting – IIB.Com General, IV Semester
Model Question Paper

Time: 3Hrs.

Max.Marks: 70M

Section – A

I. Answer all of the following.

10 x 1 = 10M

1. What are preference shares and equity shares?

$\forall \sim \int \downarrow \leq \leftrightarrow | \square \vee \psi \square \{ " \therefore T \varepsilon T \} \phi \langle T T \kappa \subseteq < \int \square \sigma \Im \Delta \psi \square \{ " \therefore T \vee \theta > \pm H \} \exists T ?$

2. What is forfeiture?

$\psi \square \{ " \therefore \cup | \square \vee | \vee \theta > \pm H \} \exists T ?$

3. What is debenture?

$\& \square \cup \supset + \# \langle \sigma \Im T \vee \theta > \pm H \} \exists T ?$

4. How the allocation of costs to different departments?

$\exists \exists < \int \square \sigma \Im \downarrow \pm \therefore \varepsilon \leftrightarrow \phi \langle \sqrt{\therefore} \theta T \exists \exists < \int \square \vee \theta > \pm \therefore \oplus \leq \square \cong \exists < \int \square + > \pm \neq \downarrow \{ " \sigma T T \kappa \subseteq | \sigma \Im T ?$

5. What is bad debts and bad debts reserve?

$\sigma \square \square \vee \theta \downarrow Y \therefore T \varepsilon T \} \phi \langle T T \sigma \square \square \vee \theta \downarrow Y \therefore \square \sim \int \vee \theta > \pm H \} \exists T ?$

6. What are the types of capital?

$\varepsilon T \sqrt{\therefore} < \int \square \theta \sigma \Im \downarrow \pm \therefore T^{\text{TM}} \downarrow \therefore T \in \varepsilon T T ?$

7. What is meant by independent branches?

$\delta \square \cap^{\text{TM}} \langle + |^{\text{TM}} \langle | \vee \theta + N \therefore T \vee \theta > \pm H \} \exists T ?$

8. What is meant by issue of shares by premium?

$| | \odot \exists T \phi \langle T \varepsilon T T \therefore^{\text{TM}} \wp \psi \square \{ " X \downarrow \vee \theta > \pm H \} \exists T ?$

9. What is Par value?

$\psi \{ \delta \in T \vdash \cdot \leftrightarrow \epsilon T T \vee \theta > \pm H \} \exists T?$

10. What is meant by stock debtors system?

$\delta \sigma T \oplus \leq \square \square T T \Delta | > \bullet \delta T | \therefore | \square < \square \uparrow * \vee \theta > \pm H \} \exists T?$

Section – B

II. Answer any Two of the following.

2 x 10 = 20M

11. A Company issues 1000 debentures of Rs.1000 each pass the necessary entries for the issue of Debentures in each of the following cases:

- Debentures issued at Rs.950 repayable at Rs.1000
- Debentures issued at Rs.950 repayable at Rs.1050
- Debentures issued at Rs.1000 repayable at Rs.1050 and
- Debentures issued at Rs.1050 repayable at Rs.1000 you may assume that all the amounts due on the issue of debentures have been received.

$\square \downarrow \leq \downarrow \leq + \square \mid \mid \square \downarrow = \neg \downarrow \leq \neg \{ \mid \sigma T \vee .1,000 / \neg \exists \therefore T \epsilon > \bullet \therefore 100 \& \square \vee \supset + \# \langle \sigma T' \theta T X$
 $" \downarrow \# \downarrow \delta \neg + \sim, \square \delta \square + < \square \sigma \square \otimes \neg . \& \square \vee \supset + \# \langle \sigma T' X " \downarrow \neg \downarrow \mid \delta \square + \square + \sim + \equiv \theta \equiv \{ "...$
 $\mid \square < \square T \uparrow \therefore T \mid \psi \square \varphi \langle T T \epsilon T T.$

$\mu. \& \square \vee \supset + \# \langle \sigma T \sigma T \vee .950 / \neg \downarrow \mid X " \downarrow \# \downarrow \delta \neg \sigma T \vee .1,000 / \neg \Leftarrow \neg \angle \# \mid *' \delta \square T \mid \theta \square$
 $\geq ' \sigma T T^{\text{TM}} \rfloor.$

$_ . \& \square \vee \supset + \# \langle \sigma T \sigma T \vee .950 / \neg \downarrow \mid X " \downarrow \# \downarrow \delta \neg \sigma T \vee .1,050 / \neg \Leftarrow \neg \angle \# \mid *' \delta \square T \mid \theta \square$
 $\geq ' \sigma T T^{\text{TM}} \rfloor.$

$\delta \neg . \& \square \vee \supset + \# \langle \sigma T \sigma T \vee .1,000 / \neg \downarrow \mid X " \downarrow \# \downarrow \delta \neg \sigma T \vee .1,050 / \neg \Leftarrow \neg \angle \# \mid *' \delta \square T$
 $\mid \theta \square \geq ' \sigma T T^{\text{TM}} \rfloor.$

$\& \square . \& \square \vee \supset + \# \langle \sigma T \sigma T \vee .1,050 / \neg \downarrow \mid X " \downarrow \# \downarrow \delta \neg \sigma T \vee .1,000 / \neg \Leftarrow \neg \angle \# \mid *' \delta \square T$
 $\mid \theta \square \geq ' \sigma T T^{\text{TM}} \rfloor.$

$X " \downarrow \# \downarrow \delta \neg \theta \& \square \vee \supset + \# \langle \sigma T' \square \mid \Pi \sigma \square \epsilon \therefore \delta \neg \theta \psi \mid T T^{\text{TM}} \langle \mid + \epsilon \equiv C + < \square \square \vee \mid " \exists + \# \langle +$
 $\& \square .$

12.

	Rs.	Rs.
Stock at Branch on 01-04-2000		30,800
Debtors at Branch on 01-04-2000		16,500
Cash at Branch on 01-04-2000		500
Goods supplied to Branch		1,51,200
Remittances by Branch		
Cash sales	10,500	
Cash received from debtors	1,57,740	
	-----	1,68,240

Cash sent to the Branch

Salaries	7,400
Rent	2,400
Petty cash	3,000

12,840

Stock at Branch on 01-04-2000

23,150

Debtors at Branch on 01-04-2000

50,450

Cash at Branch on 01-04-2000

750

Show Branch A/C in the Books of H.O.

H □ φ<TT&□ T | □ <□ σΨ⊕≤□ ←σℑT|□ ←}ϕ | | □ < ∫ □ θ ⊥±σ □ ↔ ∴ φ<TεTT # |
H | □ }ϕ □ | □ ⊙δ □ T □ +~.. 31 ε√] ⊂ 2001 ™ ϑ v+™<ψ | T→θ δ □ +ε™<⊙σ □ □ ⊥ |
| | □ < ∫ □ θ ⊥±σ □ ↔ ∴ φ<T+ | v''+≡™ ϑ #]δ—θ ε↔εζ □ ™σ □ ∴ T | ⊥ | +~ □ ε∩ □ &
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σℑ√.

01 04 2000θ | v''+≡ ε<□ ↑ □ θ □ δ □ σℑT⊕≤□ 30,800

01 04 2000θ | v''+≡ □ TTA|>•δ □ T | ∴ T

16,500

01 04 2000θ ≡ ∴ 'σℑ θ>•<□ T 500

| v''+≡⊥ | δ □ | □ 'φΨT #]δ—θ δ □ σℑT⊕≤□

1,51,200

| v''+≡ θT+&□ | □ +|—θ∃

θ>•<□ T vεT □ ⊥± ∴ T

10,500

□ TTA|>•δ □ T | ∴ T θT+&□ εδ □ √ ∴ T

1,57,740

1,68,240

| v''+≡⊥ | | □ +|—θ θ>•<□ T

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7,400

v< | ↑

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3,000

12,840

31 01 2001 θ | v''+≡ ε<□ ↑ □ θ □ δ □ σℑT⊕≤□

23,150

31 03 2001θ | v''+≡ □ TTA|>•δ □ T | ∴ T

50,450

31 03 2001θ ≡ ∴ 'σℑ θ>•<□ T

750

13. From the following particulars given by M/s Ravi Chemicals and Pharmaceuticals prepare a Departmental, Trading and Profit and Loss account for their two departments, viz, Chemicals Department and Pharmaceuticals Department for the year ended 31-03-2006

You are also given the following additional information.

- $$\begin{aligned} & \sigma \mathfrak{S} \exists \mathfrak{R} \lrcorner \exists T \delta \tau \dots \diamond \supseteq | \& \square \angle \delta \tau \dots \diamond \psi \square \sigma \mathfrak{S} T \square \equiv \lrcorner \theta | \lrcorner | + \sim \delta \square \varepsilon \sqrt{\# \square \sigma \mathfrak{S} + \theta T +} \\ & \& \square \ 31 \ \bar{0}3 \ \bar{2}001 \ H \square \{ \lceil^{\text{TM}} \wp \ v +^{\text{TM}} \langle \varepsilon T \wp \rceil T \leftrightarrow \delta \square + \rangle \rceil \square \lrcorner | \psi \square \rfloor \lrcorner | \delta \square + \square + \sim + \equiv \\ & \theta \ \mathfrak{R} \lrcorner \exists T \lrcorner \leq \lrcorner \wedge \exists v \lceil^{\text{TM}} \rceil^{\text{TM}} \bullet +, \varepsilon T + \lrcorner \square T \therefore \exists v \lceil^{\text{TM}} \rceil^{\text{TM}} \pm \therefore \wp \lceil TT \lrcorner \leq \lrcorner \varepsilon \sigma \mathfrak{S} | \lrcorner \leq | \square v, \lrcorner \\ & \text{"} v \lceil \square \theta \omega \square \dots \therefore Y^{\text{TM}} \square^{\text{TM}} \langle \wp \lceil \sqrt{\sigma \mathfrak{S} T \# \rfloor} \wp \lceil T + \& \square . \\ & \qquad \qquad \qquad \sigma \mathfrak{S} \sqrt{\cdot} \end{aligned}$$

$\beta \sqsubseteq \sigma \mathfrak{I} + v \mid \delta \sqsubseteq \sigma \mathfrak{I} T \oplus \leq \square$	
$\varepsilon T + < \square \quad T \vdash T$	5,000
$\sigma \mathfrak{K} \sqsubseteq \varphi \langle \text{TH} \square \quad \vdash T$	1,500
$\exists \square \quad \varphi \mid \sqrt{\angle + \equiv \theta} \quad \varepsilon T T \& \square \mid \square < \square \quad \sigma \square \quad \emptyset \vdash T(\sigma \mathfrak{K} \sqsubseteq \varphi \langle \text{TH} \square \quad \vdash T)$	36,000
$\exists \square \quad \varphi \mid \sqrt{\angle^{\text{TM}} \langle \kappa \rangle} \dots \sigma \mathfrak{I} T \diamond$	9,000

$\# \langle + < \square \theta \downarrow \leq + \square \mid \mid * \exists T \phi \supset \& \square \sigma \sqrt{100} / \bar{\exists} \therefore T \varepsilon > \bullet \therefore \sigma \sqrt{4000} / \bar{\square} \downarrow \cap \{ Y \psi \square$
 $\{ " \theta T, \psi \square \{ " \square \downarrow = \neg \downarrow \leq \neg \{ \{ \downarrow \mid \sigma \sqrt{10} / \bar{\neg} \therefore T \mid \mid \odot \exists T \phi \langle T + ^{TM} \wp X'' \downarrow \# \downarrow \delta \square T \mid \theta \square$
 $\sim. \psi \square \{ " \exists \therefore T \varepsilon \square \square \mid \downarrow \mid + \sim \exists < \int \square + > \pm \# \langle T *' + \# \langle \varepsilon \rangle \supset \theta T.$
 $< \square \sigma \sqrt{Y''} \delta \square T \mid \square \mid \Pi \sigma \sqrt{20} / \bar{\neg} \neq \downarrow \{ " \sigma T T + \mid \square \vee \square \mid \Pi \sigma \sqrt{40} / \bar{\neg}$
 $\psi \mid T T < \square \{ \mid \mid \neg \therefore T \mid \square \vee \square \mid \Pi \sigma \sqrt{25} / \bar{\neg}$
 $\Re \sigma + \& \square \varepsilon \mid \neg \therefore T \mid \square \vee \square \mid \Pi \sigma \sqrt{25} / \bar{\neg}$
 $70,000 \psi \square \{ " \therefore \oplus \leq \square < \square \sigma \sqrt{1} \pm \delta \square T \mid \therefore T \sigma \square > \pm 20,000 \psi \square \{ " \therefore \Re \downarrow \Pi \varepsilon \equiv \subset \theta < \square$
 $\sigma \sqrt{Y''} \delta \square T \mid \therefore \theta T \Leftarrow \sigma \sqrt{\delta} \square \neg \mid + \# \square \sigma \sqrt{T}. 30,000 < \square \sigma \sqrt{Y''} \delta \square T \mid < \square \sigma \sqrt{T} \therefore \oplus \leq \square$
 $20,000 \psi \square \{ " \therefore \oplus \leq \square \neq \downarrow \{ " \sigma T T + \# \langle \& \square \psi \mid T \rightarrow \theta \sim. \Re \sigma + \& \square T \mid \neg \therefore T \mid \square \vee \therefore T \mid \neg$
 $\therefore T \varepsilon \& \square \psi \mid T \rightarrow \theta \sim. \vee \sigma T T ^{TM} \mid 1,000 \psi \square \{ " \therefore T \downarrow \leq * \angle \phi \langle T T \theta \square \square \downarrow \leq \psi \square \{ " < \square \sigma \sqrt{$
 $T \& \square T \Re \sigma + \& \square T \mid \neg \therefore T \mid \square \vee \therefore \kappa \downarrow \varepsilon T T \square \# \mid *' + \# \langle \theta + < \square. T \varepsilon ^{TM} \langle \square \psi \square \{ " \therefore T$
 $\cup \mid \square \vee \mid \# \downarrow \kappa \subseteq \sigma \sqrt{T}. \cup \mid \square \vee \mid \# \downarrow \delta \neg \theta \psi \square \{ " \therefore \downarrow \not\subset 400 \psi \square \{ " \therefore T \psi \square \{ " \square \downarrow \mid \neg + \{ \{ \downarrow$
 $\{ \sigma \sqrt{.80} / \bar{\neg} \# = \mid \square \square \theta \mid \Pi \mid > \pm \# \mid *' + \equiv \theta \exists > \pm \Leftarrow \angle X'' \downarrow \# \downarrow \phi \langle T \& \square \psi \mid T \rightarrow \theta \sim. \downarrow \leq$
 $+ \square \mid \mid \square \vee \delta \square \mid \downarrow \pm \therefore \downarrow \not\subset \vee \varepsilon \delta \square \sigma \sqrt{\psi \mid T \rightarrow \theta \equiv \{ " \dots \mid \square < \square T \uparrow \therefore T \mid \psi \square \phi \langle T + \& \square . \theta > \bullet <$
 $\square T \mid \square \vee \delta \square \mid \downarrow \leq \varepsilon T T ^{TM} \langle \phi \langle \sqrt{\sigma \sqrt{T} \# \downarrow \phi \langle T + \& \square .$

15. A Head Office in Madras has a branch at Nellore. The H.O. send goods at invoice price. It sends goods 33 1/3% on cost. Find out the profit of the Branch on Stock debtor system.

	Rs.
Stock on 01-04-98 (Invoice Price)	1,50,800
Debtor on 01-04-98	1,14,000
Goods sent to branch (Invoice Price)	6,70,000
Branch sales	
Cash	3,10,000
Credit	3,74,000
Cash received from debtors	4,00,000
Bad debts	2,500
Discount allowed to customers	3,000
Expenses	67,000
Stock on 31-03-99 (Invoice Price)	1,34,800

$\varepsilon T \mid < \square \delta \square T \downarrow \not\subset \square \dots \oplus \leq \square H \mid \therefore \sigma \sqrt{T} \downarrow \not\subset \square \downarrow \leq \mid \vee'' + \equiv \downarrow \leq \therefore ^{TM} \langle T. \delta \square \sigma \sqrt{T} \oplus \leq \square \square$
 $\therefore \cap \square \mid \Pi \square \phi \langle T + \mid ^{TM} \langle \Delta \# \downarrow \phi \langle T T \geq \oplus \leq \square \delta \square \sigma \sqrt{T} \oplus \leq \square \theta T \mid \vee'' + \equiv \vee \varepsilon T \square \downarrow \leq \mid \square \vee < \int \square$
 $\sigma \sqrt{\oplus \leq \square \square H \square \psi \square \sigma T T \delta \tau \# \downarrow \delta \square T \mid + \sim. K \downarrow < \square T \square \mid \Pi 33 \frac{1}{3} \% \downarrow \leq * \mid \neg \vee \varepsilon T \square \downarrow \leq \mid \square$
 $\vee < \int \square \sigma \sqrt{\theta T \square \sigma \sqrt{\square} \sigma T T \delta \square T \mid + \sim. \mid \downarrow \mid + \sim \exists \varepsilon \sigma \square \therefore \theta T + \& \square \delta \square \sigma \sqrt{T} \oplus \leq \square \varepsilon T \mid \phi \langle T$
 $T \square T T \Delta \mid > \bullet \delta \square T \mid \therefore \mid \square < \square \uparrow ^{TM} \square \downarrow \not\subset \mid \vee'' + \equiv \downarrow'' \vee \int \square \varepsilon T T \theta T \downarrow \leq \theta T \varepsilon \neq \theta T$
 $\sigma \sqrt{.}$

01 04 98 H $\{ \{ \delta \square \sigma \sqrt{T} \oplus \leq \square (\square H \square \psi \square \sigma T T \delta \tau < \int \square \sigma \sqrt{) \quad 1,50,800$

01 04 98 H□ { (□ TTA >•δ□ T ∴ T	1,14,000
v''+≡⊥ (□ + —θ δ□ σT⊕≤□ (□ H□ ψ□ σTTδτ < (□ σT) 6,70,000	
v''+≡ vεT□ ⊥± ∴ T	
θ>•<□ T	3,10,000
vσTεv	3,74,000
□ TTA >•δ□ T ∴ θT+&□ εδ□ √}⊃Πθ θ>•<□ T	4,00,000
σ□ □ v''⊥Y ∴ T	2,500
Y''TM□ <□ σT ∴ ⊕≤□ vθTεT←+≡θ &□ κΣ¬+≥T	3,000
KσT⊂ ∴ T	67,000
31 03 99 H□ { (δ□ σT⊕≤□ (□ H□ ψ□ σTTδτ < (□ σT) 1,34,800	

16. On 01-01-2003 Keerti Co. Ltd. issued 7% Debentures of Rs.6,00,000 with a condition that they should be redeemed after 3 years at 10% premium. The amount set aside for the redemption of debentures is invested in 5% Government Securities. The sinking fund table shows that 0.31720856 at 5% compound interest in 3 years will become Rs.1. you are required to write the journal entries for recording the above transactions for three years.

1 1 2003 θ ⊥Y| ⊥≤+□ || *∃Tφ⊃&□ σT√.6,00,000/ ∴ ⊕≤□ 7% &□ υ⊃+ #< σT'θT 3 δ□ +εTM<∅σ□ ∴ TM<σTψ□ TM< 10% | |⊙∃Tφ<T+TM ∅ ∃ψ (√#<θ+ #] □ δ ω□ σTM<T |Π X''↓ #]δ—θ~. &□ υ⊃+ #<σT' ∃ψ (√#<θ □ ∃TTM<| +≡σ□ ∈≥ T #]□ δ ψ (TTTM□ |□ □ 5% | |□ υ (□ T TM<∩ □ δ⊕≤Λ↔] {Y ∴. }⊄ □ ≥T...□ &□ □ | {"...H□ σT. □ ≠⊥□ |□ □ ~ (□ {Y... ∴. | |□ ⊥±σT+ ε&□ fTM ∅ 3δ□ + ∴. TM<σ□ ∩ TM< σT√.1 βJ +<□ ε}⊃θθ□ | |□ ← δ□ +εTM<∅σTεTT 0.31720856 ≡σ□ ∈≥T #]φ <Tε}⊃θT. □ |Π ε↔εζ□ TMσ□ ∴ ⊕≤□ 3 δ□ ≡{⊄... |□ <□ T↑ ∴ T | ψ□ δ—□ εσ □ ♦ Y''TM□ ∴ θT TM<φ<√σT#]φ<TTεTT.

J.M.J.COLLEGE FOR WOMEN, TENALI: (Autonomous)

Financial Services-Banking – II B.Com General, III Semester

Syllabus

Max.Marks:70M

Objective: To impart knowledge on Banking and Insurance concepts and to gain an insight on Financial Services

Unit - I: Introduction to Financial Services

a. Meaning of Financial Services, Structure of Indian Financial System Importance of

Financial system for the economic development.(Financial and Banking system charts)
b. Definition of Bank, Functions of Commercial Banks and Reserve Bank of India.(Forms of various accounts and deposits)

Unit - II: Banking Systems and its Regulation

a. Banking Systems – Branch banking, Unit Banking, Correspondent banking, Group banking, Deposit banking, Mixed banking and Investment banking. An overview of banking; Banking Sector Reforms with special reference to Prudential Norms: capital adequacy norms, income recognition norms, classification of assets and NPAs;

Innovations in Banking -ATMs, E-Banking, Credit cards, Online & Offshore Banking, etc.(working and operations)

Regional Rural banks, Cooperative banks, Micro Finance, Priority Sector Lending, Indigenous banking, Role of NABARD, Development Financial institutions –SFC, SIDBI.

Unit - III: Banker and customer, loans and advances:

a. Banker and customer definition and their relationship, types of customers and modes of operations, procedure and precaution for opening an account, pass book & its features, Rights, duties and obligations of the banker (Application forms for opening accounts, Cheque Books, pass books, requisition slips for withdrawals and deposits, bank statements, etc)

c. Types of loans and advances, principles of sound lending policies, credit appraisals of various forms of loans and advances-modes of creating charges - lien, pledge, mortgage and hypothecation (Documents required for sanction of loans and advances).

Unit - IV: Negotiable Instruments:

Promissory Note and Bills of Exchange and Cheque, differences between them, types of crossing the cheque, payment of cheque and consequences of wrongful dishonor, collection of local and upcountry cheques, responsibilities and liabilities of collecting banker and statutory protection to the collecting banker.(Promissory notes, B/E, Crossed cheques-various modes)

Books Recommended:

New Country Publications

1. Financial Sector of India – Emerging Challenges , R.K.Uppal – 2009
2. Banking & Financial Market in India 1947-2007, Niti Bhasin – 2008
3. Banking Developments in India 1947-2007, Niti Bhasin – 2006
4. Banking & Insurance, Kalyani Publications - 2009

J.M.J.COLLEGE FOR WOMEN, TENALI:.(Autonomous)

Business Statistics – II B.Com General, III Semester

Syllabus

Max.Marks:70M

Objective: The objective of this paper is to impart knowledge on the application of statistical tools and techniques in business decision making & use of MS-Excel in interpretation of statistical data.

UNIT 1: Introduction to Statistics

Meaning, definition, importance and limitations of statistics. Collection of data-Primary And Secondary data –(Sampling-Random-Non Random-Census)Schedule and questionnaire – Frequency distribution –Tabulation Diagrammatic and graphic presentation of data using Computers (Excel)

UNIT 2: Measures of Central Tendency

Definition Objectives and Characteristics of measures of Central Tendency TypesOf Averages – Arithmetic Mean, Geometric Mean, Harmonic Mean, Median, Mode, Deciles,Percentiles, Properties of averages and their applications. Calculation of averages using computers.

UNIT 3:Measures of dispersion

Meaning, definitions, Properties of dispersion Range Quartile Deviation –Mean Deviation Standard Deviation Coefficient of Variation.

UNIT 4:Skewness

Skewness definition Karl Pearson's and Bowley's Measures of skewnessNormalDistribution Calculation of Dispersion and skewness using Computers.

Suggested Readings:

- | | |
|------------------------------------|---------------------------------|
| 1. Statistics Problems & Solutions | V.K.Kapoor |
| 2. Fundamentals of Statistics | D.N.Elhance |
| 3. Business Statistics | Aggarwal Bharadwaj, K.Raghuveer |
| | Kalyani Publicatons – 2009 |

J.M.J.COLLEGE FOR WOMEN, TENALI::(Autonomous)

Taxation – II B.Com General, III Semester

Syllabus

Max.Marks:70M

UNIT 1:

Income Tax Act 1961 – Important Definitions – Residential Status – Incidence of Tax Exempted Incomes – Agricultural Income.

UNIT 2: Computation of Income from Salaries

H.R.A – Entertainment Allowance – R.F.A – Perquisites –Statutory Fund – Gratuity Fund – R.P.F.

UNIT 3: Computation of Income from house property and Income from Business or Profession

Standard Rent – Actual Rent – Fair rental value – self occupied House –Unrealized Rent – Interest – deemed to be let out

Deductions allowed – section 30-35E- Other Deductions – section 36- disallowed expenses – section 40- Deemed profits – valuation of stock

UNIT 4: Computation of capital Gains and Computation of Income from other sources

Introduction – Transfer of capital Assets – Determination of cost of Acquisition of Assets and cost of improvement – Procedure for calculation of capital gain – taxation of capital gains – Exempted capital gains.

Taxable Incomes – Dividends, Lotteries, Crossword Puzzles Types of Securities – Allowed Deductions, Disallowed Deductions – Tax free securities – Less Tax Securities – Tax free commercial securities.

UNIT 5:Gross Total Income

Gross Total Income Deductions U/S 80, 80CC to 80U and problems – Assessment of individuals – Computation of Tax – Income self -Assessment of Individuals and set off and carry forward of losses – Collection and Recovery of Taxes – Tax deducted at source – Advance Tax – Format and Filling of Form-16

Suggested Readings:

1. Income Tax – Jai Bharat Publishers-2009
2. Income Tax – Kalyani Publishers-2009
3. Elementary Income Tax – V.P.Gaur & D.B.Narang -2009
4. Taxation – Appolo Publishers - 2009

J.M.J.COLLEGE FOR WOMEN, TENALI::(Autonomous)

Financial Services-Banking – II B.Com General, IV Semester

Syllabus

Max.Marks:70M

Objective: To impart knowledge on Banking and Insurance concepts and to gain an insight on Financial Services

Unit I: Introduction

Definition/ Meaning of Insurance and reinsurance, Principles of Insurance, kinds of Insurance, advantages of insurance, globalization of insurance and insurance sector reforms in India.

Unit 2: Types of Insurance and its regulation

a. Life Insurance – Practical aspects of Life Insurance, procedure for issuing a life insurance policy, issue of duplicate policies, nomination, surrender value, policy loans, assignment, revivals and claim settlement. (Formats of types of Insurance)

b. Non-Life Insurance-Types of products and scope of Fire Insurance, Marine Insurance, Health Insurance, Social Insurance and Rural Insurance. Regulation of Insurance in India Insurance Act, 1938 and IRDA 1999. (Formats of types of Non-Life Insurance)

Unit 3: Financial Markets:

a. Indian Money Market -Characteristics, Structure, composition (call and notice money, market, treasury bills market, CDs, CPs, short term bill market, MMMFs and DFHI) problems and reforms in Indian money markets (CDs, CPs, Treasury Bills)

b. Indian capital market composition and growth of primary and secondary markets, differences between primary and secondary markets, capital market reforms and NBFCs in capital markets; Stock Exchanges, NSE, OTCEI, Online Trading and role of SEBI.

Unit 4: Financial intermediaries and Services:

Financial intermediaries and services: Merchant bankers, Mutual funds, Leasing companies, Venture Capital Funds, Forfaiting, Loan Syndication, Factoring, Custodial Services, Depository Services, and Depository Participants. (Documentation)

Books Recommended:**New Country Publications**

1. Financial Sector of India – Emerging Challenges , R.K.Uppal – 2009
2. Banking & Financial Market in India 1947-2007, Niti Bhasin – 2008
3. Banking Developments in India 1947-2007, Niti Bhasin – 2006
4. Banking & Insurance, Kalyani Publications - 2009

J.M.J.COLLEGE FOR WOMEN, TENALI: (Autonomous)

Business Statistics – II B.Com General, IV Semester

Syllabus

Max.Marks:70M

Objective: The objective of this paper is to impart knowledge on the application of statistical tools and techniques in business decision making & use of MS-Excel in interpretation of statistical data.

UNIT 1: Measures of Relation - Correlation:

Meaning, definition and use of correlation – Types of correlation Karl Pearson's Correlation coefficient – Spearman's Rank correlation - probable error - Calculation of Correlation by Using Computers.

UNIT 2: Measures of Relation – Regression:

Meaning and utility of Regression analysis comparison between correlation and Regression – Regression Equations Interpretation of Regression Coefficient. Calculation of Regression by Using Computers.

UNIT 3: Analysis of Time Series & Index Numbers:

Meaning and utility of time series Analysis - Components of Time series – Measurement of trend and Seasonal Variations – Utility of Decomposition of Time Series - Decentralization of Data - Calculation of trend and seasonal variations using computers.

UNIT 4: Index Numbers

Meaning, Definition and Importance of Index Numbers - Methods of Construction of Index Numbers – Price Index Numbers – Quantity Index Numbers – Tests of Adequacy of Index Numbers – Deflating Index Numbers – Cost of Index Numbers Limitation of Index Numbers. Calculation of index numbers using computers.

Suggested Readings:

- | | |
|------------------------------------|---------------------------------|
| 1. Statistics Problems & Solutions | V.K.Kapoor |
| 2. Fundamentals of Statistics | D.N.Elhance |
| 3. Business Statistics | Aggarwal Bharadwaj, K.Raghuveer |
| | Kalyani Publications – 2009 |

J.M.J.COLLEGE FOR WOMEN, TENALI: (Autonomous)

Taxation – II B.Com General, IV Semester

Syllabus

Max.Marks:70M

UNIT I : Introduction

Taxes – Meaning – Need for and Rationale of taxes – Direct and Indirect Taxes Constitutional Provisions on Taxation – Union List -State List – Tax Rates – Blanket Rate Method – Slab Rate Method – Surcharge – Cess – Progressive v/s Regressive Taxes. – An Overview of Taxation System in India.

UNIT – II: Wealth Tax

Wealth Tax Act 1957 – Charge of Wealth Tax – Valuation Date – Location of Assets- Assets – Meaning – Deemed Assets – Net Wealth – Computation of Net Wealth – Valuation of Assets- Return of Wealth and Procedure of Assessment – Time Limit for Completion of Assessment. (Including Problems)

UNIT – III: Sales Tax

Central Sales Tax –: Definitions Dealer, Declared Goods, Place of Business, Sale, SalePrice, Turnover – Inter State Trade or Commerce – Computation of Taxable Turnover- Assessment and Returns under CST Act (Including Problems)

APVAT Act, 2005 – Statement of Objectives and Reasons – Definitions: Business CasualTrader, Dealer, Input Tax, Output Tax, Place of Business, Tax Invoice, Total Turnover,Turnover Tax. – Computation of Taxable Turnover – Registration Procedure (IncludingProblems)

UNIT – IV: Service Tax

Service Tax Act, 1994 – Introduction – Meaning of Service – Classification of TaxableServices – Valuation of Taxable Services - Registration – Assessment Procedure.

UNIT – V: Central Excise & Customs

Central Excise Duty – Definitions –Types of Duties –Classification(only Theory)Customs Duty – Important Definitions – Goods, Import, Export, Importer, Exporter,Bill of Entry Import and Export Procedure(only Theory).

Suggested Readings:

1. Income Tax – Jai Bharat Publishers-2009
2. Income Tax – Kalyani Publishers-2009
3. Elementary Income Tax – V.P.Gaur & D.B.Narang -2009
4. Taxation – Appolo Publishers - 2009

J.M.J.COLLEGE FOR WOMEN,TENALI::(Autonomous)

Financial Services- Banking– IIB.Com General, III Semester

Model Question Paper

Time:3Hrs.

Max.Marks:70M

$$\square \delta \leq \square H \square \bar{\mu}$$
$$\vee \square \square \mid \square \Xi / \square \therefore \oplus \leq \square \delta \square \sqrt{\square} \square \therefore T \mid \psi \square \phi (TT \& TT.$$

10x1=10M

1. $v'' \leftrightarrow + \oplus \leq \theta T \sqcap \sigma \mathfrak{S} \cap \equiv + | \sqcap v \varepsilon T T.$
2. $v H \sqcap \vdash \sqsupset \Pi H \sqcap v'' \leftrightarrow + \downarrow [+> \times v + \phi] \cong \exists T \{ \mid ?$
3. $\# \mid \oplus \leq \sqcap \neg \theta T \sqcap \sigma \mathfrak{S} \cap \equiv + | \sqcap v \varepsilon T T.$
4. $\heartsuit H \sqcap \varsigma \sqcap " \oplus \leq \sqcap \neg v \theta > \pm H \downarrow \exists T ?$
5. $\kappa \subseteq \varepsilon T T \varsigma \text{---} " \downarrow \leq v'' \leftrightarrow + \downarrow [+> \times v + \phi] \cong \exists T \{ \mid ?$
6. $\mid \downarrow \pm \theta + > \times v \theta > \pm H \downarrow \exists T ?$
7. $\sqcap \downarrow \emptyset \downarrow \leq \sqcap \delta \varepsilon v + \phi \rangle \cong \exists T \{ \mid ?$
8. $v + {}^{\text{TM}} \langle \sigma \sqcap \blacklozenge \rho \varphi \langle T v'' \leftrightarrow + \downarrow [+> \times \theta T \sqcap \sigma \mathfrak{S} \cap \equiv + | \sqcap v \varepsilon T T.$
9. $Y''^{\text{TM}} \sqcap < \sqcap \sigma \mathfrak{S} T \nmid \not\prec \sigma \mathfrak{S} \downarrow \pm \therefore T \exists \varepsilon] + | \sqcap v \varepsilon T T.$
10. ${}^{\text{TM}} \langle \theta Y'' v \theta > \pm H \downarrow \exists T ?$

$$\begin{array}{c} \sqcap \delta \downarrow \leq \sqcap H \sqcap \text{---} \\ \mid \downarrow [+ \sim \psi \sqcap \{ \mid \nmid \not\prec \cong < \mid \Pi H \sqcap \mathfrak{R} \sigma + \& \sqcap T \mid | \sqcap \Xi \downarrow \sqcap \therefore \oplus \leq \sqcap \delta \sqcap \varepsilon \sqrt{< \int \sqcap H \sqcap \therefore T \mid \psi \sqcap \varphi \langle T} \\ T \varepsilon T T. \qquad \qquad \qquad 2 \times 10 = 20M \end{array}$$

11. $\mid v'' + \equiv v'' \leftrightarrow + \oplus \leq \sqcap \vdash'' v \int \sqcap \theta \chi \subseteq \dots \therefore T \exists \varepsilon] + \# \langle + \& \sqcap ?$
12. $\# \mid \oplus \leq \sqcap \neg \varepsilon T] \varphi \langle T T \text{---} \therefore T' \oplus \leq \sqcap > \bullet \therefore {}^{\text{TM}} \downarrow \& \sqcap \therefore T \exists \varepsilon] + \# \langle + \& \sqcap ?$
13. $v'' \leftrightarrow + \downarrow \leq \sigma \Psi \varphi \mid T T \downarrow \leq \neg \varsigma \sqcap " \oplus \leq \sqcap \neg \therefore T, \exists < \int \sqcap T \therefore T {}^{\text{TM}} \mid \therefore | \sqcap + \& \sqcap ?$

$$\begin{array}{c} \sqcap \delta \downarrow \leq \sqcap H \sqcap \text{---} \overline{\delta} \text{---} \\ \mid \downarrow [+ \sim \psi \sqcap \{ \mid \nmid \not\prec \cong < \mid \Pi H \sqcap \mathfrak{R} \sigma + \& \sqcap T \mid | \sqcap \Xi \downarrow \sqcap \therefore \oplus \leq \sqcap \delta \sqcap \varepsilon \sqrt{< \int \sqcap H \sqcap \therefore T \mid \psi \sqcap \varphi \langle T} \\ T \varepsilon T T. \qquad \qquad \qquad 2 \times 20 = 40M \end{array}$$

14. $\psi \sqcap \Delta \mid \cup \leftrightarrow v'' \leftrightarrow + \oplus \leq \sqcap \therefore \exists < \int \sqcap T \therefore \theta T \exists \varepsilon] + \# \langle + \& \sqcap ?$
15. $v'' \leftrightarrow + \downarrow [+> \times \mid | \sqcap | \sqcap + \# \langle \varepsilon T T \nmid \not\prec H \sqcap v'' \sigma \Psi f v + \sim + \# \downarrow \sqcap \delta \varepsilon \therefore \theta T \exists \varepsilon] + \# \langle + \& \sqcap ?$
16. $\varepsilon \delta \sqcap \sqrt{\therefore T v'' \leftrightarrow + \downarrow \leq \sigma \Psi \varphi \mid T T \downarrow \leq \neg \exists < \int \sqcap T \therefore \theta T v'' < \int \sqcap \leftrightarrow {}^{\text{TM}} \langle \therefore \theta T \exists \varepsilon] + \# \langle + \& \sqcap ?$

J.M.J.COLLEGE FOR WOMEN,TENALI::(Autonomous)

Taxation– IIB.Com General, III Semester

Model Question Paper

Time:3Hrs.

Max.Marks:70M

$\square \delta \leq \square H \quad \mu$

$v \square \square \mid \square \Xi \square \therefore \oplus \leq \square \delta \square \varepsilon \sqrt{< \int \square H \square \therefore T \mid \psi \square \phi \langle T \varepsilon T T.$

10x1=10M

- $\varepsilon \leftrightarrow \varepsilon K \subseteq \varphi \langle T \leq \square < \square \varphi \langle T \varepsilon T T \vee + \phi \rangle \cong \exists T \{ \mid ?$
- $\varepsilon T \sqrt{< \int \square \theta \varepsilon \leftrightarrow \varphi \langle T \varepsilon T T \vee \theta > \pm H \mid \exists T ?$
- $\Xi / \Xi \rangle \cap^{TM} \langle Y'^{TM} \square \delta \square + K \leftrightarrow v + \phi \rangle \cong \exists T \{ \mid ?$
- $\square + \{ \mid v < \mid \uparrow v \therefore \psi \mid H \mid \diamond \theta T \mid \varepsilon v \cong \exists < \int \square + > \pm \mid \supset \mid \neg + \# \mid < \square \varepsilon v ?$
- $\square \delta \leq \square H \square 24 \mid \mid \mid + < \square^{TM} \langle \angle Z + \mid \square v \therefore T \theta T^{TM} \mid \therefore T \mid \square v \varepsilon T T ?$
- $\varepsilon \delta \square \sqrt{< \int \square \mid \pm \square v < \mid \uparrow v + \phi \rangle \cong \exists T \{ \mid ?$
- $\varepsilon T \sqrt{< \int \square \theta \square \delta \text{---} \emptyset \square \square \sigma \Im \cap \equiv + \mid \square v \varepsilon T T.$
- $\square \delta \leq \square H \square 80 \square \mid \mid \mid + < \square^{TM} \langle \angle Z + \mid \square v \therefore \theta T^{TM} \mid \therefore \mid \square + \& \square .$
- $\varepsilon T \sqrt{< \int \square \theta \mid \text{"} v \mid \text{"} \square \mid \mid v \sigma \Im \emptyset \varepsilon T T \exists \varepsilon \mid + \# \langle + \& \square .$
- $\square^{TM} \langle \sigma \Im \square < \square \varphi \langle \sqrt{< \int \square \theta T \leq \square \square + \{ \mid \square \square \mid \sigma \wp \neg \theta T \varepsilon T T.$

$\square \delta \leq \square H \quad \text{---}$

$\mid \mid \mid + \sim \psi \square \{ \mid \mid \varphi \cong < \mid \Pi H \square \Re \sigma + \& \square T \mid \square \Xi \square \therefore \oplus \leq \square \delta \square \varepsilon \sqrt{< \int \square H \square \therefore T \mid \psi \square \varphi \langle T$

T\varepsilon T T. 2x10=20M

- $\sim > \bullet T \varepsilon \delta \square + < \square \sigma \Im \otimes \varepsilon T T \mid \varphi \mid \square \theta T \square \exists \sim \mid + \# \langle < \square \angle \theta \square \equiv^{TM} \langle > \bullet \square \varsigma \square \text{"} \varepsilon \delta \square \Leftarrow \exists \therefore T \varepsilon$

$\sigma \Im \sqrt{.$

$\mu. \varepsilon T \sqrt{< \int \square \psi \mid^{TM} \langle \theta \varepsilon T T H \mid \therefore \oplus \leq \square$ 4,000

$\text{---} \leq \sigma \Im T \varepsilon v \vee \int \square^{TM} \langle \leftrightarrow + H \mid \therefore \oplus \leq \square$ 1,000

$(\delta \square \downarrow \cap \delta \square T \mid \square \varphi \mid \sqrt{\cup H \square \therefore \square \exists T^{TM} \langle \mid + 50\% \Re^{TM} \langle + \mid \varphi \leq \therefore T \delta \square T \mid + \sim)$

$\delta \text{---} \square \varphi \langle \sqrt{H \square \# \mid *' + \mid \square v$ 4,000

$\& \square \leq M T \omega \square H \square$ 6,000

$\square . v \varphi \theta \delta \tau$ 5,000

$\mu \mid \square \tau. \psi \mid T < \square \mid \mid \varphi \square \square + \{ \mid \varepsilon T T \square \delta \text{---} \mid \square \mid \wedge \exists \therefore T \varepsilon \delta \square \text{---} 1.5,000$

$\exists \varepsilon \sigma \square \therefore T$	$\sigma \mathfrak{I} \checkmark$	$\exists \varepsilon \sigma \square \therefore T$	$\sigma \mathfrak{I} \checkmark$
$To^{\text{TM}} \models \sqsubset \theta \square \therefore \cap$	1,22,00	$By \varepsilon T + \langle \square T \therefore \lhd = \theta T \rangle = \therefore T$	10,000
$To v'' \leftrightarrow + \oplus \leq v \mid \square \square$	0	$By \square \mid \square \neq \sigma \omega \square H \square \mid \square \sqsupset \leq \sigma \square \therefore T$	2,000

$\kappa \downarrow +^{TM} \square \square \downarrow ()$	3,000	By $\psi \downarrow \sqrt{\{ " \sigma \mathfrak{S} T \downarrow \pm \sigma \mathfrak{S} T$	1,20,00
To	25,250	By $\downarrow \pm \sigma \mathfrak{S} T K \sigma \mathfrak{S} T \subset \therefore T$	0
$\varepsilon T + < \square T \therefore T \vee \varepsilon T \square \downarrow$	55,000	By $\mathfrak{G}^{TM} \square \therefore T$	6,000
$\leq +$	24,000	By $\& \square \square \delta \in \theta \diamond \downarrow v < \uparrow \uparrow$	4,600
To	4,500	By $\kappa \subseteq < \int \square \sigma \mathfrak{S} \Delta K \sigma \mathfrak{S} T \subset \therefore T$	1,600
$\delta \square + \mid \square \sim + \mid \square \vee \therefore \mid \square$	3,600	By $\kappa \downarrow +^{TM} \langle K \sigma \mathfrak{S} T \subset \therefore T$	300
E		By $v'' \leftrightarrow + \oplus \leq \square v \mid \square \square \square \mid \Pi \varepsilon \& \square f$	14,800
To $\exists \square \{ \mid + > \times \mid \square \odot E$		By	500
To		$^{TM} \langle ^{TM} \square \neg \uparrow \wedge \phi \supset * \beta \square \mid H \square \delta \odot \neg \psi \square$	30,000
$\square \delta \oplus \leq \Lambda \leftrightarrow \} \{ Y \square \mid \Pi \varepsilon$		$\uparrow \varphi \& \square \beta \subseteq \square \{ \wedge \# \} \delta \longrightarrow \theta \sim$	47,550
$\& \square f$	—	By $^{TM} \downarrow * \subset \theta \square \therefore \cap$	—
To	—		—
$> \bullet \square \zeta \square ^{TM} \delta \longrightarrow \emptyset \theta T +$	2,37,55		2,37,55
$\& \square v \nless \uparrow$	0		0

$\mid \downarrow \mid + \sim \delta \square \varepsilon \sqrt{\# \square \sigma \square \square \square \downarrow \supset \downarrow \leq \neg \uparrow \varphi \downarrow \mid \rho \delta \square T \oplus \leq \square + \geq \sqrt{v^{TM} \langle \square \varepsilon \square \leftarrow \mid \theta T + \& \square \square <}$
 $\square \varphi \langle \sqrt{\square \square} \ 2010 \ \bar{2}011 \ v \square \delta \delta \tau \psi \mid T + \geq T \ \delta \square + \}) \square \downarrow \mid \downarrow \supset \downarrow \neg + \# \langle + \& \square .$

$\mu. \ 1/3 \ \varepsilon + ^{TM} \langle T \downarrow \pm \sigma \mathfrak{S} T K \sigma \mathfrak{S} T \subset \therefore T \ v^{TM} \langle \square \ \kappa \downarrow + ^{TM} \langle \square \mid \square \varphi \mid \sqrt{> \pm \square \downarrow \mid \delta \square + \square + \sim + \equiv}$
 $\theta \exists .$

$_ . v \theta T \varepsilon T \leftarrow + \# \downarrow ^{TM} \langle \theta T > \bullet T < \square \therefore \downarrow \pm \sigma \mathfrak{S} T \square \mid \Pi \ 20\% \ \varepsilon T \mid \varphi \langle T T \mid \square \downarrow \downarrow \leq \sigma \square \therefore \square \mid \Pi \ 25$
 $\% .$

15. $\square \downarrow \leq * \exists T \geq T \& \square \downarrow \leq + \square \mid \square \uparrow \varphi \mid \square \square \# \downarrow \delta \square T \mid \theta \square < \square \varphi \langle \sqrt{\theta + < \square + \sim} > \bullet T \varepsilon \exists \varepsilon \sigma \square \therefore \theta T \ v$
 $+ \sim \delta \square T \mid H \square \square \& \square T. \psi \square \{ \mid \theta T + \& \square \ 2010 \ \bar{2}011 \mid \square \theta T \square \square \sigma \square \emptyset \sigma \mathfrak{S} \Delta \delta \square + \}) \square \downarrow \mid v$
 $^{TM} \langle \square \ \mathfrak{G}^{TM} \langle + \theta T + \& \square \square < \square \varphi \langle T + \downarrow \leq \theta T > = \theta T \varepsilon T$

$\mu. \varepsilon T \sqrt{\therefore} \mathfrak{G}^{TM} \langle + H \downarrow \therefore \oplus \leq \square \sigma \mathfrak{S} \sqrt{\therefore} . 11,000 .$

$_ . \theta > \bullet \sigma \mathfrak{S} \mid \square \downarrow \zeta \square ^{TM} \sigma \mathfrak{S} \ v \therefore \psi \mid \theta T \diamond H \downarrow \therefore \oplus \leq \square \sigma \mathfrak{S} \sqrt{\therefore} . 150 .$

$\delta \longrightarrow . \mid \longrightarrow \therefore ' \therefore \exists < \square \leftrightarrow v \therefore \psi \mid \theta T \diamond H \downarrow \therefore \oplus \leq \square \sigma \mathfrak{S} \sqrt{\therefore} . 400 (\varepsilon T T > \bullet T Z \sigma \mathfrak{S} T \mid \longrightarrow \therefore ' \therefore \oplus$
 $\leq \square) .$

$\& \square . \leftarrow \downarrow \angle \# \mid *' + \equiv \theta \psi \mid \Pi < \square \leftrightarrow K \sigma \mathfrak{S} T \subset \therefore T \sigma \mathfrak{S} \sqrt{\therefore} . 25,000$

$\square . \square + \{ \mid v < \uparrow \uparrow \ v \therefore \psi \mid \theta T \diamond H \downarrow \therefore \oplus \leq \square \sigma \mathfrak{S} \sqrt{\therefore} . 6,000 (\square \ v \therefore \psi \mid \theta T \diamond 1 \ \bar{4} \ \bar{0}7 \ \theta T + \& \square$

$31 \ \bar{8} \ \bar{0}7 \ \varepsilon \sigma \mathfrak{S} \oplus \leq \square \square \varepsilon \cap \square \& \square .) +$

$\square \downarrow \pm \therefore + \uparrow \varphi \ v^{TM} \langle \& \square T \# \mid *' + \equiv \theta \ v < \uparrow \uparrow \ H \downarrow \therefore \oplus \leq \square \sigma \mathfrak{S} \sqrt{\therefore} . 5,000$

$\mu \sqcap \tau. \downarrow \leq + \sqcap \mid \mid v^{TM} \langle \sqcap \downarrow \mid \sqcap \downarrow \leq \sqcap \equiv^{TM} \langle > \bullet \sqcap \zeta \sqcap " \varepsilon \delta \sqcap \leftarrow \downarrow \leq * \varepsilon + \equiv \theta \sim. \sqcap + \langle \sqcap T \oplus \leq \sqcap \rangle \pm$
 $\theta T v^{TM} \langle \& \sqcap \theta T + \& \sqcap \downarrow \leq + \sqcap \mid \sqcap \sigma \Im \sqrt{.1,000} \therefore T H \setminus \therefore \oplus \leq \sqcap \varepsilon \delta \sqcap \sqrt{\therefore T \#} \sqcup \varphi \langle T T \# \langle T \theta$
 $\sqcap \sim.$

16. $\downarrow \leq \sqcap \omega \sqcap \sqcap \sqcap \downarrow \leq \downarrow \pm \setminus \rangle \sqcap \setminus \varphi \setminus \supset \downarrow \leq \subset \sigma \Im \sigma \Im T > \pm \sqcap H \sqcap \sqcap \sigma \Im T. 2010 \bar{1}1 \mid \sqcap \theta T \sqcap \sqcap \sigma$
 $\sqcap \emptyset \sigma \Im \Delta \delta \sqcap + \rangle \rangle \sqcap \downarrow \mid \mid \downarrow \mid + \sim \exists \varepsilon \sigma \sqcap \theta T + \& \sqcap \psi \setminus (T T^{TM} \langle \mid + \sqcap \langle \sqcap \varphi \langle T + \setminus \supset \downarrow \mid \neg + \#$
 $\langle + \& \sqcap .$

$\mu. \vartheta^{TM} \langle + H \setminus \therefore \oplus \leq \sqcap \sigma \Im \sqrt{.1,800} \# = . \theta.$

$_ . \psi \sqcap \Re \sigma f H \sqcap \omega \dashv \sqcap \supseteq v \therefore \psi \setminus (H \sqcap \diamond H \setminus \therefore \oplus \leq \sqcap \sigma \Im \sqrt{.250}.$

$\delta \dashv \sqcap \sqcap \downarrow \downarrow \sqcap \pm \sim \setminus \downarrow \pm \rangle > \pm \varepsilon \equiv \subset \theta \beta \subseteq]^{TM} \wp \omega \dashv \downarrow \leq + \sigma \Im \sqrt{.6,000}$

$\& \sqcap . \sqcap \vee \delta \sqcap \mid \downarrow \pm \therefore \setminus \varphi \varepsilon \equiv \subset \theta \sigma \sqcap \varphi \langle T * \dots \sigma \Im \sqrt{.21,000}$

$\sqcap . \sqcap \mid \downarrow \pm \geq \setminus \varphi \Re > \therefore T \# \langle T \oplus \leq \sqcap \theta \sqcap \psi \setminus (T T^{TM} \langle \mid + \sigma \Im \sqrt{.6,400}$

$\mu \sqcap \tau. \mid \sqcap \sqcup \sqcap \sqcap T^{TM} \langle \cap \setminus " \geq \downarrow \therefore \setminus \varphi \Re \mathfrak{A} \# \langle T \oplus \leq \sqcap \theta \sqcap \psi \setminus (T T^{TM} \langle \mid + \sigma \Im \sqrt{.16,000}$

$\sqcap . \mid \sqcap \sqcup \sqcap \sqcap T^{TM} \langle \cap \setminus " \geq \downarrow \{ \setminus \Re \downarrow \neg \geq T' \downarrow = \theta T > = \therefore T \oplus \leq \sqcap \vee \sigma T T \theta K \sigma \Im T \subset \sigma \Im \sqrt{.6,000}.$

J.M.J.COLLEGE FOR WOMEN,TENALI::(Autonomous)
Business Statistics– IIB.Com General, III Semester
Model Question Paper

Time:3Hrs.

Max.Marks:70M

$\square \delta \downarrow \leq \square H \square \quad \overline{\mu}$
 $v \square \square \mid \square \Xi \square \therefore \Theta \leq \square \delta \square \varepsilon \sqrt{< \int \square H \square \therefore T \mid \psi \square \phi \langle TT \varepsilon TT.$

10x1=10M

1. $\kappa \subseteq +K \leftrightarrow \downarrow \leq \Xi (\gamma \varepsilon TT \theta T \square \sigma \mathfrak{S} \cap \equiv + \mid \square \vee \varepsilon TT.$
2. $< \square^{TM} \square \mid + \Xi \square \square \delta \downarrow \leq \sigma \mathfrak{S} \Delta v + \phi \rangle \cong \exists T \{ \mid ?$
3. $\delta \square > \bullet \geq T \vee \theta > \pm H \sqcup \exists T?$
4. $\psi \square \leftrightarrow \mid \text{---} \mid \vee \theta > \pm H \sqcup \exists T?$
5. $\psi \mid \prod \omega \square \varepsilon T \leftrightarrow \varepsilon TT \square \sigma \mathfrak{S} \cap \equiv + \# \langle + \& \square ?$
6. $> \bullet T \Delta \varepsilon T < \int \square \leftrightarrow \varepsilon T \varepsilon TT \phi \mid TT \downarrow \leq \neg \mid \square \sqcup \exists T^{TM} \langle T \therefore T \Re \& \square + \{ \int \square^{TM} \mid \therefore \mid \square + \& \square ?$

7. $\exists \delta \square \mid \sigma \mathfrak{S} \Delta \vee + \phi \rangle \cong \exists T \{ \mid ?$

8. $\varepsilon \{ \Upsilon \dots \lhd \leq \sigma \mathfrak{S} \Delta \vee \theta > \pm H \} \exists T ?$

9. $\delta \square > \bullet \geq T \therefore \lhd \leq \square \Delta'' \therefore T \mathfrak{R} \sigma + \& \square + \{ \mid \square^{\text{TM}} \mid \therefore \mid \square + \& \square ?$

10. $\psi \mid \Pi \omega \square \varepsilon T \leftrightarrow + \} \varphi > \bullet \therefore \sigma \mathfrak{S} \lhd \pm \therefore T^{\text{TM}} \mid \therefore \mid \square + \& \square ?$

$\square \delta \lhd \leq \square H \square \quad \overline{\delta}$

$\mid \lhd \mid + \sim \psi \square \{ \mid \} \varphi \cong < \mid \Pi H \square \mathfrak{R} \sigma + \& \square T \mid \mid \square \Xi \mid \square \therefore \oplus \leq \square \delta \square \varepsilon \sqrt{< \mid \square H \square \therefore T \mid \psi \square \varphi \langle T$
T ε TT. **2x10=20M**

11. $\sim > \bullet T \varepsilon < \square^{\text{TM}} \square \mid + \Xi \mid \square \lhd \mid \vee + \lhd \leq \varepsilon T < \mid \square \leftrightarrow \varepsilon T \varepsilon T T \theta T \} \supset \lhd \# \langle \# \& \square ?$

$\lhd \pm' \delta \tau \mathfrak{z} \quad 10 \quad \overline{2020} \quad \overline{3030} \quad \overline{4040} \quad \overline{5050} \quad \overline{6060} \quad \overline{70}$

$\mu \mid \square \tau \mathfrak{z} 6 \quad 5 \quad 11 \quad 7 \quad 8 \quad 14$

12. $\sim > \bullet T \varepsilon < \square^{\text{TM}} \square \mid + \Xi \mid \square \lhd \mid 7 \quad \overline{\varepsilon} < \square \Xi \mid + \Xi \mid \varepsilon T T, 90 \quad \overline{\varepsilon} \Xi \mid^{\text{TM}} \square + \Xi \mid \varepsilon T T \} \supset \lhd \mid \neg + \# \langle +$
 $\& \square ?$

$\varepsilon \sqrt{\sigma \Psi} \neg \diamond \mathfrak{z} \quad 10 \quad \lhd \leq + \phi \supset \text{TM} \langle \oplus \leq \square \neg \varepsilon \quad 10 \quad \overline{2020} \quad \overline{4040} \quad \overline{6060} \quad \overline{80}$

$80 \lhd \leq + \phi \supset \mu \oplus \leq \square \neg \varepsilon$

$\exists < \square \leftrightarrow \sigma \mathfrak{S} T \uparrow \therefore T \mathfrak{z} 8 \quad 10 \quad 22 \quad 25 \quad 10 \quad 5$

13. $\sim > \bullet T \varepsilon \mid \Xi \oplus \Delta T \therefore \theta T + \& \square > \bullet T \Delta \varepsilon \sqrt{< \mid \square \leftarrow \# \mid \square \square \} \supset \lhd \mid \neg + \# \langle + \& \square ?$

$\square \sigma \mathfrak{S} T \varepsilon \vee \quad \mathfrak{z} \quad 118 \quad 120 \quad 124 \quad 128 \quad 130 \quad 132 \quad 135$

$\exists < \square \leftrightarrow \sigma \mathfrak{S} T \emptyset \therefore T \delta \square + K \leftrightarrow \quad \mathfrak{z} \quad 10 \quad 15 \quad 22 \quad 25 \quad 20 \quad 12$

6

$\square \delta \lhd \leq \square H \square \quad \overline{\delta}$

$\mid \lhd \mid + \sim \psi \square \{ \mid \} \varphi \cong < \mid \Pi H \square \mathfrak{R} \sigma + \& \square T \mid \mid \square \Xi \mid \square \therefore \oplus \leq \square \delta \square \varepsilon \sqrt{< \mid \square H \square \therefore T \mid \psi \square \varphi \langle T$
T ε TT. **2x20=40M**

14. $\sim > \bullet T \varepsilon < \square^{\text{TM}} \square \mid + \Xi \mid \square \lhd \mid \# \langle^{\text{TM}} \langle T \sigma \square \emptyset + \Xi \mid \lhd \leq \exists \# \langle \therefore \theta \varepsilon T T \theta T \} \supset \lhd \mid \neg + \# \langle + \& \square ?$

$\text{TM} \langle \sigma \mathfrak{S} > \bullet \leftarrow \vee + \text{TM} \langle \sigma \mathfrak{S} + \quad \mathfrak{z} \quad 10 \quad \overline{1920} \quad \overline{2930} \quad \overline{3940} \quad \overline{4950} \quad \overline{59}$

$\beta \Sigma \theta \mathfrak{z} \mid \square \vee \theta \leftrightarrow + \quad \mathfrak{z} \quad 4 \quad 20 \quad 38 \quad 24 \quad 10$

15. $\sim > \bullet T \varepsilon < \square^{\text{TM}} \square \mid \Xi \mid \square \lhd \mid \lhd \pm \sigma \Psi' \mid \neg \varphi \langle T \sigma \mathfrak{S} \diamond H \square \psi \mid \Pi \omega \square \varepsilon T \leftrightarrow > \bullet T \Delta \lhd \leq \varepsilon T T \theta T \}$

$\supset \lhd \mid \neg + \# \langle + \& \square ?$

$\varepsilon \sqrt{\sigma \mathfrak{S} T} \neg \therefore T \quad \exists < \square \leftrightarrow \sigma \mathfrak{S} T \emptyset \therefore T$

$0 \lhd \leq + \phi \supset \mu \oplus \leq \square \neg \varepsilon \quad 150$

$10 \lhd \leq + \phi \supset \mu \oplus \leq \square \neg \varepsilon \quad 140$

$20 \lhd \leq + \phi \supset \mu \oplus \leq \square \neg \varepsilon \quad 100$

$30 \lhd \leq + \phi \supset \mu \oplus \leq \square \neg \varepsilon \quad 80$

40	$\downarrow \leq + \phi \supset \mu \oplus \leq \square \neg \varepsilon$	80
50	$\downarrow \leq + \phi \supset \mu \oplus \leq \square \neg \varepsilon$	70
60	$\downarrow \leq + \phi \supset \mu \oplus \leq \square \neg \varepsilon$	30
70	$\downarrow \leq + \phi \supset \mu \oplus \leq \square \neg \varepsilon$	14
80	$\downarrow \leq + \phi \supset \mu \oplus \leq \square \neg \varepsilon$	0
16.	$\sim > \bullet T \varepsilon < \square^{\text{TM}} \square \mid + \Xi / \square \downarrow \mid \mid \downarrow \leq \varepsilon T \exists \# \langle \therefore \theta \varepsilon T T \theta T \downarrow \leq \theta T \rangle = \theta + \& \square ?$	
	$\}'' \cup \int'' \therefore T \quad \quad \quad \ni \quad 10 \quad \bar{2}020 \quad \bar{3}030 \quad \bar{4}040 \quad \bar{5}050 \quad \bar{6}060 \quad \bar{7}0$	
	$\delta \square + \delta \square \emptyset \therefore \delta \square + K \leftrightarrow \quad \ni \quad 19 \quad 3 \quad 2 \quad 49 \quad 24 \quad 12$	

J.M.J.COLLEGE FOR WOMEN,TENALI:: (Autonomous)

Financial Services- Banking– IIB.Com General, IV Semester

Model Question Paper

Time: 3Hrs.

Max.Marks: 70M

$$\square \delta \downarrow \leq \square H \square \quad \mu$$

$$v \square \square \mid \mid \square \Xi / \square \therefore \oplus \leq \square \delta \square \varepsilon \sqrt{< \int \square H \square \therefore T \mid \psi \square \varphi \langle T T \varepsilon T T .}$$

10x1=10M

1. $\int \varepsilon \sqrt{v + \phi} \rangle \cong \exists T \{ \int ?$
2. $\mid \square \vee \theta \downarrow \emptyset \varepsilon \sqrt{v + \phi} \rangle \square \exists T \{ \int ?$
3. $\sigma \mathfrak{T} < \square T \uparrow \exists \therefore T \varepsilon v \theta > \pm H \downarrow \exists T ?$
4. $\delta \square \varepsilon T T \mid < \square \int \varepsilon \sqrt{v + \phi} \rangle \cong \exists T \{ ? \int$

5. $\vdash \ast \equiv \theta \mid < \square \varepsilon \leftrightarrow \varepsilon T T \theta T \square \sigma \mathfrak{I} \cap \equiv + \mid \square \vee \varepsilon T T.$
6. $\mid \beta \subseteq < \int \square \exists T \downarrow \leq \varepsilon \sqrt{\mathfrak{R} \sigma \neg \geq T \dots v + \phi} \rangle \cong \exists T \{ \int ?$
7. $\mid \square \sigma \mathfrak{I} \delta \square \in \sigma \mathfrak{I} \square \sim \int v + \phi \rangle \cong \exists T \{ \int ?$
8. $\square T \} \wedge v + \phi \rangle \cong \exists T \{ \int ?$
9. $\beta \square \subseteq \leftrightarrow \downarrow \leq \dots] + > \times \theta T \square \sigma \mathfrak{I} \cap \equiv + \mid \square \vee \varepsilon T T ?$
10. $v H \square \} \supset \prod H \square \mid \phi \supset \& \square + > \times v + \phi \rangle \cong \exists T \{ \int ?$
 $\square \delta \downarrow \leq \square H \square \quad \overline{\quad}$
 $\mid \downarrow \int + \sim \psi \square \{ \int \} \varphi \cong < \prod H \square \mathfrak{R} \sigma + \& \square T \mid \mid \square \Xi \int \square \therefore \oplus \leq \square \delta \square \varepsilon \sqrt{< \int \square H \square \therefore T \mid \psi \square \varphi \langle T$
 $T \varepsilon T T. \quad 2 \times 10 = 20M$
11. $;\int \varepsilon \sqrt{\varepsilon \therefore \theta \downarrow \leq \therefore T > \bullet T \mid \mid \square \varphi \sqrt{\cup H \square \therefore \theta T}^{\text{TM}} \mid \therefore \mid \square + \& \square ?$
12. $v \angle \square \quad ; \int \varepsilon \sqrt{\varphi \mid T T \downarrow \leq \neg \mid \square \mid \sim \square \exists \varepsilon] + \# \langle + \& \square ?$
13. $\varepsilon T \sigma \mathfrak{I} \subset + \{ \wedge v'' \leftrightarrow + \downarrow \leq \sigma \Psi \square \delta \varepsilon \therefore \theta T \exists \varepsilon] + \# \langle + \& \square ?$
 $\square \delta \downarrow \leq \square H \square \quad \overline{\delta} \text{---}$
 $\mid \downarrow \int + \sim \psi \square \{ \int \} \varphi \cong < \prod H \square \mathfrak{R} \sigma + \& \square T \mid \mid \square \Xi \int \square \therefore \oplus \leq \square \delta \square \varepsilon \sqrt{< \int \square H \square \therefore T \mid \psi \square \varphi \langle T$
 $T \varepsilon T T. \quad 2 \times 20 = 40M$
14. $v \int \sigma \mathfrak{I}^{\text{TM}} \langle < \int \Xi \int + \} \varphi > \bullet \therefore ; \int \varepsilon \sqrt{\sigma \mathfrak{I} + > \bullet + \} \varphi \varepsilon \equiv \subset \theta \varepsilon \sqrt{\sigma \mathfrak{I} T \in \therefore \theta T \} \rangle < \square \delta \square + \delta \square$
 $\neg \sigma \mathfrak{I} \Delta'' \therefore \theta T \exists \varepsilon] + \# \langle + \& \square ?$
15. $\exists \exists^{\text{TM}} \langle ; \int \varepsilon \sqrt{\beta \subseteq \therefore \delta \text{---} \square X'' \downarrow \# \mid \square \delta \exists < \int \square \varepsilon T T \exists \varepsilon] + \# \langle + \& \square ?$
16. $\mid < \square \varepsilon \leftrightarrow \varepsilon \sqrt{\mathfrak{R} \sigma \neg \{ \wedge \oplus \leq \square , \varepsilon T \sqrt{\therefore < \int \square \theta \varepsilon \sqrt{\mathfrak{R} \sigma \neg \{ ' \varepsilon T < \int \square \leftrightarrow > \bullet \therefore }^{\text{TM}} \mid \& \square \therefore \theta T \exists$
 $\varepsilon] + \# \langle + \& \square ?$

Taxation– IIB.Com General, IV Semester
Model Question Paper

Time:3Hrs.

Max.Marks:70M

$$\square \delta \leq \square H \quad \overline{\mu}$$

$$v \square \square \mid \square \Xi / \square \therefore \oplus \leq \square \delta \square \varepsilon \sqrt{< \int \square H \square \therefore T \mid \psi \square \varphi \langle T T \varepsilon T T.$$

10x1=10M

1. $\delta \square + \mid \square < \square \mid \square \theta \theta \geq \pm H \mid \exists T?$
2. $\& \square \therefore \sigma \mathfrak{S} T \theta T \square \sigma \mathfrak{S} \cap \equiv + \mid \square v \varepsilon T T. (\square + \mid < \int \square \mid \square < \mid \Xi \wedge \exists \therefore T \varepsilon \square < \int \square]^{TM} \langle \mid \square \theta T \square \# \langle \geq \dots + 2005 \mid \square \downarrow \pm \sigma \mathfrak{S} +)$
3. $v \varepsilon T \square \downarrow \leq + < \int \square \sigma \mathfrak{S} \} \varphi \square + \& \square \oplus \leq \Lambda \& \square \square \varepsilon \leftrightarrow \varphi \langle \sqrt{\therefore \theta T}^{TM} \mid \therefore T \mid \square v \varepsilon T T.$
4. $\mid \square \theta T \square \square \theta \cap \varphi \langle T \delta \tau v + \phi \rangle \cong \exists T \{ \mid ?$
5. $\mu + \mid \{ \mid _ \therefore T' \theta \mu \mid \square \square \& \square T \square \mid \square \varphi \mid \sqrt{\angle \kappa \subseteq \mid \sigma \mathfrak{S} T.$
6. $\psi \square \leftrightarrow \{ \wedge v \theta \geq \pm H \mid \exists T?$
7. $\} \supset \geq \sigma \Psi \square \mid \square \tau \mid \mathfrak{R} \downarrow \& \square \{ \wedge \theta T \square \sigma \mathfrak{S} \cap \equiv + \mid \square v \varepsilon T T.$
8. $v +^{TM} \langle \sigma \square \eta v \varepsilon T \square \downarrow \pm \therefore \oplus \leq \square \delta \square + \square + \sim + \equiv \mathfrak{R} \sigma + \& \square T \varepsilon T T Y'' \leftrightarrow + \Xi (\therefore \theta T \exists \varepsilon] + \# \langle + \& \square .$
9. $\delta \square + \mid \square < \square \mid \square \theta T \square \# \langle \geq \dots \mid \square \downarrow \pm \sigma \mathfrak{S} + \cup \int '' \exists^{TM} \langle \square \delta \square T \emptyset \therefore \theta T^{TM} \mid \therefore \mid \square + \& \square .$
10. $\mid \square \sigma \wp \downarrow \leq \square \mid \square \theta T \square v + \phi \rangle \cong \exists T \{ \mid ?$

$$\square \delta \leq \square H \quad \overline{\mu}$$

$$\mid \downarrow \mid + \sim \psi \square \{ \mid \} \varphi \cong < \mid \Pi H \mathfrak{R} \sigma + \& \square T \mid \square \Xi / \square \therefore \oplus \leq \square \delta \square \varepsilon \sqrt{< \int \square H \square \therefore T \mid \psi \square \varphi \langle T T \varepsilon T T.$$

2x10=20M

11. $\mid \square \delta \square T \mid^{TM} \langle \square] \emptyset \downarrow \leq \delta \square + \varepsilon^{TM} \langle \emptyset \sigma \mathfrak{S} + \} \varphi v +^{TM} \langle \sigma \square \eta v \varepsilon T \square \downarrow \pm \therefore T \sigma \mathfrak{S} \sqrt{.74,50,000 . v \varepsilon T \square \downarrow \pm \therefore \} \varphi \square \mid \downarrow \mid + \sim v + \Xi (\therefore T \downarrow \leq * \delta \text{---} \varepsilon v \theta \square \exists .$
 $\mu . \mu \mathfrak{R} \downarrow \Pi \emptyset X \wedge \delta \square T + \downarrow \leq + \sigma \mathfrak{S} \sqrt{.3,50,000$
 $_ . \psi \square \mid \square \delta \square T \# \mid \varphi \langle T \varepsilon \therefore \delta \text{---} \theta \downarrow \leq + \phi \supset \sigma T T \theta \sigma \Psi \oplus \leq \square \& \square \beta \subseteq X'' \{ \wedge \sigma \mathfrak{S} \sqrt{.28,000$
 $\delta \text{---} . v \varepsilon T \square \downarrow \leq + \# \delta \text{---} \theta 6 H \mid \therefore \therefore \} \varphi \mid \square v \psi \square \mid \square \delta \square T \# \mid \delta \text{---} \theta \delta \square \sigma \mathfrak{S} T \oplus \leq \square \sigma \mathfrak{S} \sqrt{.1,50,000$
 $\& \square . v \varepsilon T \square \downarrow \leq + \# \mid \delta \text{---} \theta 6 H \mid \therefore \therefore .^{TM} \langle < \square T \mid \square] \psi \square \mid \square \delta \square T \# \mid \delta \text{---} \theta \delta \square \sigma \mathfrak{S} T \oplus \leq \square \sigma \mathfrak{S} \sqrt{.75,000$
 $\square . v \varepsilon T \square \downarrow \leq + \# \mid \delta \text{---} \theta 6 H \mid \therefore \therefore .^{TM} \langle < \square T \mid \square] \leftarrow \sigma \mathfrak{S} \delta \square \neg] + \equiv \theta \delta \square \sigma \mathfrak{S} T \oplus \leq \square \sigma \mathfrak{S} \sqrt{.50,000$
 $\mu \mid \square \tau . \varepsilon \sigma \mathfrak{S} \mid \downarrow \leq \mid \square v \& \square \kappa \Sigma \neg + \{ \wedge \sigma \mathfrak{S} \sqrt{.30,000$
 $v \varepsilon T \square \downarrow \pm \therefore \} \varphi \downarrow \leq * \delta \text{---} \} \square v + \Xi (\therefore T \exists$

μ. θ>•<□T &□ κΣ¬+≥T' σ√.15,000

_. vεT□ ⊥≤+<□ σ√T #[*'+≡θ ; ∫ε√ Kσ√T⊂.:T σ√.8,000

δ— . ⊥=θT>=:T<□ σ√T&□ T #[*'+≡θ σ√ψ□ Δ" Kσ√T⊂.:T σ√.12,000

|□ θT□ υ"<∫□ ↔TM⟨θT ⊃⊥|¬+#+&□ . |□ θT□ ≠σ≥T 2% >± υ ∫"∃+#+&□ .

12. □ δ+|≥∧ μℜ⊥Π◇X∧ #⟨≥...+|⊥|+<□ >•.: ∃∃<∫□ δ□ T+⊥±.:θT ∃ε]+#+&□ .

13. I vH⌋ vTM⟨□ ⊥|& ∫□ ♥'⟩∄□ ⊥≤□ δ—| □ θ□ ~. <□ □ □ v<⌈⌈ ⊥=σ√⊕≤□ σ√.5

,000.: H⌋.: v<⌈⌈⊕≤□ □ ≡H□ &□ T. ⊥±□ κ⊆+εTM⟨◇⟩⊥≤ ∃.:Tε εTT□ δ—|□ ∨∧

|□ vδ□ |⊥±.: |□ ⊥±σ√+ σ√.68,000. <□ □ MT<□ εTT□ δ—β⊆*{ ∫ ∃~ ∫+≡θ

|□ θT□ .:T 12% <□ □ ∨∄ ∃Tδ□ ...σΨ I 65% #[*'+≡H□ &□ T εT]φ⟨TT 35% v<

⌈⌈⊕≤□ ρδ□ T⊕≤□ θ□ ε↔⊥| #[*'+≡# &⊂⌈⌈⊥□ σ√T&□ T σ√.62,000

↔]∠ □ #⌋⊂∃<∫□ +>± &□ β⊆□ {∧ #}δ—H□ &□ T. v<⌈⌈<□ σ√T&□ T □ |{ ∫...

θ εTσ√εT□ TM⟨T.: Kσ√T⊂.:T σ√.4,000. I □ δ⊕≤Λ↔}] { &□ κ⊆□ {∧ σ√.

65,000 MT<□ 6% ε&□ f □ #⟨T⊂#⟨TH□ □ &□ T. □ □ δ—∅⟩∄ 1000#⟨.MT. v<

⌈⌈⊕≤□ □ ≡⊂ □ σ□ □ ΔεTT #⌋φ⟨T<□ .:#□ &□ T (□ σ□ □ ΔεTT #⌋εT<□ .:≡θ υ ∫□ ∨

∃T#⟨.MT.) ♥E ⊥±.:+ 58 δ□ +εTM⟨◇σ□ .:T. □ δ⊙|□ 1995⟩∄ σ√.7,20,000.:.

⊕≤□ □ σ□ □ ΔεTT #⌋κ⊆σ√□ }ϑ—" +#⟨T⊥=□ <□ □ ∃.:Tε ⊃⊥|¬+#+&□ .

□ δ⊥≤□ H□ δ—

|⊥|+~ ψ□ { ∫ ∨∄ ≡<⌈ΠH□ ℜσ+&□ T|□ ∃/□ .:⊕≤□ δ□ ε√<∫□ H□ .:T|ψ□ φ⟨T
TεTT.
2x20=40M

14. υ ∫"σ√TM⟨<⌋E/⟩+∨∄ |□ θT□ ∃<∫□ θεTTθT ∃ε]+#+&□ ?

15. λ >•Tβ⊆| υ ∫"σ√ρφ⟨T βΣσ√T&□ T 31 03 2009TM ϑ v+TM⟨εTφ⌋T↔ δ□ +ε

TM⟨◇σ□ □ ⊥| ~>•Tε □ δ□ T| .:θT ⊥≤*∠ □ H□ □ &□ T.

μ. X⊃Π|□ ΠσΨ∨∄□ >•□ ϑ□ TMδ—∅ σ√.10,00,000

_. ∃/γ ≡⊥|TM⟨◇ |□]⊥≤σ□ .:T σ√..70,000

δ— . ψ|√{ "σ√T ⊥±σ√T κ⌋ +TM□ □ ⊥| σ√.5,35,000, ε□ ⇐↓TM□ ↔ σ√.45,000

&□ . 9∃TM <; ∫ε√ β⊆.:δ— σ√<□ T⌈ ∃.:Tε σ√.60,000

□ . θ√↔φ⟨√σΨ¬∨∄□ >•□ ϑ□ TMδ—∅ σ√.40,00,000

μ|□ τ. θ√↔φ⟨√σΨ¬∨∄□ >•□ ϑ□ TMδ—∅ □ |Π □ TTA+ σ√.5,00,000

□ . 9∃TM <; ∫ε√ β⊆.:δ⊙□ |Π □ TTA+ σ√.50,000

2010 $\bar{2011}$ $v \square \delta \delta \tau \psi \backslash T + \geq T \delta \square + \varepsilon^{TM} \langle \diamond \sigma \square \square \downarrow \mid \square \downarrow \leq \sigma \mathfrak{T} \delta \square + \mid \square < \square \wr \supset \downarrow \mid \neg + \# \langle +$
 $\& \square .$

16. $I, 11, 000 \downarrow \mid . \mid > \pm . \square^{TM} \langle \in < \square \downarrow \pm \therefore \theta T \downarrow = \theta T \rangle = \therefore T \# \wr \Xi / \& \square T . v^{TM} \langle \theta T 10, 000 \downarrow \mid .$
 $\mid > \pm . \square^{TM} \in \langle \Leftarrow \mid \mid \# \wr \Xi / \& \square T . M \{ \mid \square \varphi \langle T \vee \square \{ \wedge \oplus \leq \square \sigma \mathfrak{T} \vee . 10 \# = \mid \square \square \theta v \exists T \square H \square$
 $\& \square T .$

$\mu . \sigma \square \eta + \wr \varphi \mid \square * v \varepsilon T \square \downarrow \pm \therefore T 4, 000 \downarrow \mid . \mid > \pm .$

$_ . \sigma \square \eta + \psi \backslash \therefore T \mid \square * v \varepsilon T \square \downarrow \pm \therefore T 2, 500 \downarrow \mid . \mid > \pm .$

$\delta \text{---} . \downarrow \leq H \square \square \delta \prod H \square \psi \backslash T + \geq T \cong X \supset + \geq T \oplus \leq \square \sigma \square \eta + \psi \backslash \therefore T \mid \square \therefore \mid \square + \mid \text{---} \theta \sim 1, 000$
 $\downarrow \mid . \mid > \pm .$

$\& \square . < \wr \Xi / + \psi \backslash \therefore T \mid \square \therefore v \varepsilon T \square \downarrow \pm \therefore T (\mu > \bullet T \varepsilon T^{TM} \langle T \therefore T \rangle 1, 000 \downarrow \mid . \mid > \pm .$

$\square . \sigma \square \eta + \psi \backslash \therefore T \mid \square \therefore \wr \square \omega \square \dots \sigma \mathfrak{T} T \downarrow \pm \square \& \square \therefore \sigma \mathfrak{T} T \oplus \leq \square v \varepsilon T \square \downarrow \pm \therefore T 1, 500 \downarrow \mid .$
 $\mid > \pm .$

$\mu \mid \square \tau . \psi \square \leftrightarrow \{ \wedge \neq \sigma \geq T 12.5\%$

$\square \mid \prod \delta \square \varepsilon \vee \# \square \sigma \mathfrak{T} \varepsilon T T \square < \int \square \sigma \mathfrak{T} \varepsilon T T \rangle \pm \psi \square \leftrightarrow \{ \wedge \varepsilon T \} \varphi \langle T T \mid \square \theta T \square v'' < \square \leftrightarrow^{TM} \langle \theta T$
 $\wr \supset \downarrow \mid \neg + \# \langle + \& \square . \square^{TM} \square \in < \square \downarrow \leq \mid \square \theta T \square \sigma \mathfrak{T} \vee . 3, 000 \# \backslash *' + \# \langle T \theta \mid \square \square \& \square T \psi \square \leftrightarrow \{$
 $\wedge \mid \mathfrak{R} \downarrow \& \square \{ \wedge \theta T \wr \supset \downarrow \mid \neg + \# \langle + \& \square .$

Business Statistics– IIB.Com General, IV Semester
Model Question Paper

Time:3Hrs.

Max.Marks:70M

$$\square \delta \leq \square H \square \bar{\mu}$$

$$v \square \square \mid \square \Xi / \square \therefore \oplus \leq \square \delta \square \varepsilon \sqrt{< \int \square H \square \therefore T \mid \psi \square \phi \langle T T \varepsilon T T.$$

10x1=10M

1. $\delta \square \zeta \square " \delta \square + \square + < \int \square \varepsilon T T \theta T \square \sigma \Im \cap \equiv + \# \langle + \& \square ?$
2. $v \theta T \omega \square \leq \mid \exists \# \langle \therefore \theta + \square \sigma \Im \cap \equiv + \# \langle + \& \square ?$
3. $\mid \square \leftarrow > \bullet \varepsilon T \theta \exists \Xi \otimes ' \omega \square \Delta \varepsilon \therefore \theta \leq \therefore T > \bullet T \square \mid \square \phi \mid \sqrt{> \pm \therefore T \Re \sigma + \& \square + \{ \int \square \text{TM} \mid \therefore \mid \square + \& \square ?$
4. $\delta \square + Y'' \leftrightarrow \varepsilon \leftrightarrow \text{TM} \langle < \wp \omega \square + v + \phi \rangle \cong \exists T \{ \mid ?$
5. $\delta \square \zeta \square " \delta \square + \square + < \square + \wr \varphi > \bullet \therefore \sigma \Im \leq \pm \therefore \therefore \theta T \exists \varepsilon] + \# \langle + \& \square ?$
6. $\leq \pm \therefore \mid \Xi \otimes \Delta T \therefore \theta T \square \sigma \Im \cap \equiv + \# \langle + \& \square ?$
7. $\mid \square \varepsilon \square \leftarrow \mid v \theta > \pm H \mid \exists T ?$
8. $\delta \square \sqrt{\equiv} \delta \square + K \leftrightarrow \theta T \square \sigma \Im \cap \equiv + \# \langle + \& \square ?$
9. $\square T T^{\text{TM}} \langle T \exists \# \langle \sigma \Im \Delta v + \phi \rangle \cong \exists T \{ \mid ?$
10. $\leq \pm \sigma \Im \leq \pm \therefore \mid \square] \varepsilon \sigma \Im \mid \theta \mid \square \downarrow \leq \square v + \phi \rangle \mathbb{F} \mid ?$

$$\square \delta \leq \square H \square \bar{\mu}$$

$$\mid \leq \mid + \sim \psi \square \{ \mid \wr \varphi \cong < \mid \Pi H \square \Re \sigma + \& \square T \mid \square \Xi / \square \therefore \oplus \leq \square \delta \square \varepsilon \sqrt{< \int \square H \square \therefore T \mid \psi \square \phi \langle T T \varepsilon T T.$$

2x10=20M

11. $\sim > \bullet T \varepsilon < \square \text{TM} \square \mid + \Xi / \square \leq \mid \delta \text{---} \in \wp \langle T \sigma \Psi \delta \square H \square \sigma \square \leftrightarrow + \oplus \leq \square \delta \square \zeta \square " \delta \square + v \int \square + < \square > \bullet T \Delta \leq \pm \square \square \wr \supset \leq \mid \neg + \# \langle + \& \square ?$

X : 75 88 95 70 60 80 81 50

Y : 120 134 150 115 110 140 142 100

12. $\sim > \bullet T \varepsilon < \square \text{TM} \square \mid + \Xi / \square \leq \mid \mid \square \leftarrow T \otimes \bullet T \Delta \leq \pm \square \square \wr \supset \leq \mid \neg + \# \langle + \& \square ?$

X : 2 3 4 5 6

Y : 167 185 143 181 339

13. $\mid \leq \mid + < \square \square \varepsilon \cap \square \& \square \theta < \square \text{TM} \langle \mid + \Xi / \square \leq \mid 2004 \delta \square + \rangle \rangle \phi \mid T T \leq \neg \delta \square \sqrt{\equiv} \delta \square + K \leftrightarrow \theta T \kappa \subseteq \varepsilon \sqrt{\theta} \leftrightarrow \kappa \subseteq \square \mid \square \pm \therefore \mid \square < \square \uparrow \leftarrow v + \leq \varepsilon T < \int \square \leftrightarrow \varepsilon T \varepsilon T T \theta T \square \mid \square \phi \mid \sqrt{\angle} + \equiv \leq \theta T > = \theta T \varepsilon T T ?$

$\varepsilon \delta \square T \mid \varepsilon v \therefore T$ \ni P Q R S T

J.M.JCOLLEGE FOR WOMEN, TENALI (Autonomous)

III B.Com General

Semester - V

Elective - I

Advanced Corporate Accounting

P.P.W(4+1)

Unit – I: The Accounts of Holding Companies

The nature of holding companies – Legal requirements for a holding company – Schedule VI of the Companies Act and subsidiary companies – Preparation of consolidated balance sheet – cancellation of investment account – minority interest- cost of acquiring control or goodwill – capital reserve- preference share capital in subsidiary companies – debentures in subsidiary companies (including problems related to the single subsidiary company).

Lab: Computation of problems using Excel/Accounting packages.

Unit – II: Liquidation of companies

Scope, contributory preferential payments, preference dividend, Statement of affairs and deficiency/surplus account. Liquidators final statement of account, liquidators remuneration, receiver for debenture holders, list 'B' contributories(including problems).

Lab: Computation of problems using Excel/Accounting packages.

Unit – III: Human Resource Accounting

Human Resource Accounting: Definition, objectives, approaches, assumptions, advantages, limitations of HRA, HRA in India. Historical cost accounting, Replacement cost method, opportunity cost method.(theory only).

Suggested Readings:

1. R.L.Gupta, M.Radhaswamy : Corporate Accounting , Sultan Chand
2. M.A.Arunandam, K.S.Raman : Advances Accounting, Himalaya
3. Tulsania: Advanced Accounting, Tata Magrahills publications
4. Jain &Narang : Corporate Accounting, Kalyanipublilcations
5. S.M.Shukla: Advanced Accounting, SahityaBhavan.

J.M.JCOLLEGE FOR WOMEN, TENALI (Autonomous)

III B.Com General

Semester - VI

Elective - I

Advanced Corporate Accounting

P.P.W(4+1)

Unit – I: Accounts of Electricity Companies (Double-Accounting System)

Meaning of double-account system, revenue account and net revenue account, capital account (receipts and expenditure on capital account) and general balance sheet, Replacement of an asset. Important provisions of Indian Electricity Act 1910, Electricity supply act 1948 and the Companies Act 1956 – Formats of relevant accounts – calculation of reasonable return and disposal of surplus. Preparation of net revenue account and Balance sheet (including problems).

Lab: Computation of problems using Excel/Accounting Packages).

Unit – II: Accounting for price level changes (Inflation Accounting)

Introduction, limitations of historical cost accounting, methods of accounting for price level changes – preparation of income statement and balance sheet under current cost accounting (CCA). (Including problems.)

Lab: Computation of problems using Excel/Accounting Packages).

Unit – III: Social Responsibility Accounting

Meaning, Nature of social responsibility, need, objectives, accounting concept and objectives of social responsibility, indicators of social performance(theory only).

Suggested Readings:

1. R.L.Gupta, M.Radhaswamy : Corporate Accounting , Sultan Chand
2. M.A.Arunandam, K.S.Raman : Advances Accounting, Himalaya
3. Tulsania: Advanced Accounting, Tata Magrahills publications
4. Jain &Narang : Corporate Accounting, Kalyanipublilcations
5. S.M.Shukla: Advanced Accounting, SahityaBhavan.

J.M.JCOLLEGE FOR WOMEN, TENALI (Autonomous)

III B.Com General

Advanced Corporate Accounting

Semester - V

Section – A

Time : 3Hrs.

Max.Marks:70

I. Answer All of the following.

10 x 1 = 10M

1. $\square \zeta A * f > x \downarrow \leq + \square \mid \square \square \square \sigma \mathfrak{S} \cap \equiv + \mid \square \vee \varepsilon T T.$
2. $* \downarrow \mid \cap \& \rfloor \omega \square H \square \vee \theta > \pm H \rfloor \exists T?$
3. $\varepsilon \vee \theta \varepsilon \varepsilon \theta \sigma \mathfrak{S} T \therefore \downarrow \supset \downarrow \neg + \mid \square \vee \square \varepsilon \Xi \rfloor \leftrightarrow \downarrow \leq ^{TM} \langle \oplus \leq \square > \bullet \therefore \downarrow \pm \sigma \mathfrak{S} \Delta'' \therefore T \mathfrak{R} \sigma + \& \square + \{ \mid \square ^{TM} \rfloor \therefore \mid \square + \& \square .$
4. $\vee \downarrow'' \in \delta \square + K \leftrightarrow \downarrow \leq \varepsilon \sigma \square Z \therefore \square \delta \square \downarrow \mid \mid \vee + \phi \rangle \cong \exists T \{ \mid ?$
5. $\sigma \square \square \& \square \downarrow'' \vee \downarrow'' \therefore T \vee \theta > \pm H \rfloor \exists T?$
6. $\square \sim \downarrow \downarrow \leq \leftrightarrow \mid \square \vee \square T T \Delta < \square ^{TM} \langle \therefore T \vee + \phi \rangle \cong \varepsilon \sigma \mathfrak{S} T?$
7. $\varepsilon + ^{TM} \langle T < \square \sigma \mathfrak{S} T \& \square T \vee + \phi \rangle \cong \varepsilon \sigma \mathfrak{S} T?$
8. $\mid \square \vee \theta \exists \kappa \subseteq \emptyset \mid \square \theta \varepsilon \leftrightarrow \varphi \langle T \nmid \square \emptyset \leftarrow \vee + \phi \rangle \cong \exists T \{ \mid ?$
9. $\varepsilon \leftrightarrow \varepsilon \zeta \square'' \sigma \square \therefore \square \psi \rfloor \sim \downarrow \leq \oplus \leq \square \cup ^{TM} \langle \mid \square \sigma \mathfrak{S} \# \langle \varepsilon \therefore \delta - \theta X'' _{TM} \square \therefore T ^{TM} \rfloor \therefore \mid \square + \& \square .$
10. $> \bullet T \& \square \exists \downarrow \wedge \theta T \cong \exists < \rfloor \square + > \pm \downarrow \supset \downarrow \neg + \# \rfloor < \square \varepsilon \vee ?$

Section – B

II. Answer any Two of the following.

2 x 10 = 20M

11. $\varepsilon\sqrt{\theta\varepsilon\varepsilon\theta\sigma\mathfrak{Z}T} \therefore v\downarrow\Box + \{ \uparrow + > \times \mid \mid \Box \varphi \downarrow \sqrt{\cup} H\Box \therefore T^{\text{TM}} \downarrow \therefore \Box + \&\Box .$

12.

31.3.2003 H $\Box \{ \uparrow \Box \delta \text{---} \mid v \mid \Box \Box \therefore \mid \Box \{ Y \dots \therefore T$

$v \mid \Box \Box \therefore T$	H *. $\sigma\mathfrak{Z}\downarrow.$	S *. $\sigma\mathfrak{Z}\downarrow.$	$\Box \delta \Box T \mid \therefore T$	H *. $\sigma\mathfrak{Z}\downarrow.$	S *. $\sigma\mathfrak{Z}\downarrow.$
$\psi\Box \{ \uparrow \varepsilon T \downarrow . < \uparrow \Box \theta +$ $\sigma\mathfrak{Z}\downarrow.10/- \psi\Box \{ \uparrow \therefore T \mid$ $\Box \Pi \downarrow \mid$ $\# \downarrow *' + \equiv \theta \exists$ $\downarrow \cup \sigma\mathfrak{Z}T \cap \therefore T$ $\Box T T \Delta < \Box^{\text{TM}} \langle \therefore T$	5,00,0 00 1,00,0 00 80,000 <u>6,80,0</u> 00	2,20,0 00 50,000 60,000 <u>3,10,0</u> 00	$\exists \exists < \uparrow \Box \Box \delta \Box T \mid T$ $31 \bar{3} \bar{1} 996 \theta \downarrow = \theta \Box * . \}$ $\nsubseteq 60\%$ $\psi\Box \{ " \therefore (K \downarrow < \Box T)$ $\mid \beta \subseteq < \uparrow \Box \exists T \downarrow \leq K \sigma\mathfrak{Z}T \subset$ $\therefore T$	5,17,6 00 1,62,4 00 <u>6,80,0</u> 00	3,04,0 00 <u>6,000</u> 3,10,0 00

31.3.2003 H $\Box \{ \uparrow \equiv \downarrow Y \downarrow \leq^{\text{TM}} \langle \Box \delta \odot \mid \mid \Box \{ Y \dots \Box^{\text{TM}} \langle \varphi \downarrow \sqrt{\sigma\mathfrak{Z}T} \# \downarrow \varphi \langle T + \&\Box .$

13. $v'' \&\Box \therefore \downarrow \uparrow * . \pi \downarrow \supset \Pi 2, 2003^{\text{TM}} \langle \sqrt{\sim} \theta \cdot \equiv \subset \downarrow \leq \mid \Box \downarrow \delta \Box \varepsilon \sqrt{\mid} \text{---} \mid \downarrow \uparrow \rho \sigma \Box \leftrightarrow \Box + \equiv \theta \sim . \Box$
 $\delta \Box T \mid \therefore \Box \mid \Pi \varepsilon \delta \Box \sqrt{\therefore} A X'' \text{---}^{\text{TM}} \Box \mid \Box +^{\text{TM}} \langle T < \Box \sigma\mathfrak{Z}T \therefore \theta T + \&\Box \varepsilon \delta \Box \sqrt{\downarrow} \supset \Pi \theta \kappa \downarrow \varepsilon T$
 $T \Box \downarrow = + < \Box \sigma\mathfrak{Z}T \Box T T \Delta < \Box^{\text{TM}} \langle \therefore \oplus \# \downarrow *' + \# \langle \&\Box \Box \downarrow \uparrow \delta \Box \downarrow \beta \downarrow \varepsilon \&\Box + \downarrow \rangle < \Box T . \psi\Box \{$
 $" \therefore \Box \sim \heartsuit \therefore \oplus \leq \Box \delta \Box + \Box + \sim + \equiv \theta \exists \varepsilon \sigma \Box \therefore T \sim \bullet T \varepsilon \mid \varphi \langle T \Box \&\Box \theta \exists .$

$\Box \sim \heartsuit \# \downarrow \delta \text{---} \theta \sim \heartsuit \# \downarrow \delta \text{---} \theta \quad \psi \downarrow \Pi < = \therefore \angle \theta$

$\psi \downarrow \Pi < = \therefore \angle \theta^{\text{TM}} \downarrow \sim \theta$

$\psi\Box \{ " < \Box \sigma\mathfrak{Z}T \Box \mid \sigma\mathfrak{Z}T \quad \psi\Box \{ " \therefore \delta \Box + K \leftrightarrow \quad^{\text{TM}} \downarrow \sim$

$\Box T T \Delta < \Box^{\text{TM}} \langle \therefore \psi \downarrow T T^{\text{TM}} \langle \mid +$

$(\# \downarrow *' + \# \langle \Box \&\Box \Box \sim) \sigma\mathfrak{Z}\downarrow.$

A 1,000

$\varepsilon \sqrt{\downarrow} \subset 1, 2002 \quad 6,000$

B 1,250

$\Box > \bullet \delta \Box T \dots 1 \mathfrak{Z} 2002 \quad 8,000$

C 500

$v \downarrow \wp \dots \Box \sigma\mathfrak{Z}T 1, 2002 \quad 10,750$

D 2,000

$\&\Box \Box \delta + \Box \sigma\mathfrak{Z}T 1, 2002 \quad 13,000$

E 250

$\equiv \mid \text{---} \downarrow \wedge 1, 2003 \quad 15,000$

$\psi\Box \{ " \therefore \Box \Box + \{ \uparrow \varepsilon T T \mid \sim^{\text{TM}} \langle \exists \therefore T \varepsilon \sigma\mathfrak{Z}\downarrow.10, \psi\Box \{ \uparrow \Box \mid \Pi \sigma\mathfrak{Z}\downarrow.5 \# \downarrow *' + \# \langle \Box \&\Box \theta \sim .$

$* \downarrow \uparrow \cap \&\downarrow \geq \sigma \Psi K \sigma\mathfrak{Z}T \subset \therefore T \psi \downarrow T T < \Box \therefore > \bullet T \exists \varepsilon \sigma \Box \therefore T > \bullet \varepsilon T \Box + \# \langle \oplus \leq \Box + \&\Box \Box \mid \Pi$

$\theta \Box \mid \sigma = - \theta \Box \psi\Box \{ " < \Box \sigma\mathfrak{Z}T \therefore v'' < \Box \leftrightarrow \theta \mathfrak{X} \geq \bullet \Delta \theta \# \downarrow \varphi \langle T + \&\Box .$

Section – C

III. Answer any Two of the following.

2 x 20 = 40M

14. $\sim > \bullet T \varepsilon \square \equiv \subset \theta \square \delta \text{---} | \vee | \square \square \therefore | \square \{ Y \dots \therefore T, \vee < \square \theta | \square \vee \delta \square \varepsilon \sqrt{\# \square} \sigma \mathfrak{Z} + \square < \square \sigma \mathfrak{Z} + > \pm \cong$
 $\sqcup Y \sqcup \leq^{TM} \langle \square \delta \odot | \vee | \square \square \therefore | \square \{ Y \dots^{TM} \langle \varphi \langle \sqrt{\sigma \mathfrak{Z} T \#} \sqcup \varphi \langle T T \varepsilon T T.$

31.3.2003 H $\square \{ \sqcup \square \delta \odot | \vee | \square \square \therefore | \square \{ Y \dots$

$\vee \square \square \therefore T$	H *. $\sigma \mathfrak{Z} \sqrt{.}$	S *. $\sigma \mathfrak{Z} \sqrt{.}$	$\square \delta \square T \therefore T$	H *. $\sigma \mathfrak{Z} \sqrt{.}$	S *. $\sigma \mathfrak{Z} \sqrt{.}$
$\sigma \mathfrak{Z} \sqrt{.10/-} \square \Pi] \# (*' + \equiv \theta$	5,00,00	1,00,00	$\delta \odot \emptyset \sigma \square \delta \square T \emptyset \therefore T$	4,00,00	60,000
$\square \sqcup (\cap \{ \psi \square \{ " \therefore T$	2,00,00	60,000	$\delta \square \sigma \mathfrak{Z} T \oplus \leq \square$	3,00,00	1,20,00
$\} ". \theta. Y'''^{TM} \square$	00	30,000	$\square T T \Delta > \bullet \delta \square T \therefore T$	00	85,000
$] \cup \sigma \mathfrak{Z} T \cap \therefore T$	60,000	15,000	$\varepsilon \delta \square \sqrt{.} \therefore T _ \therefore T' \therefore T$	75,000	
$\# (*' + \square \vee _ \therefore T' \therefore T$	-	60,000	$s * . \} \not\subset 7,500 \psi \square \{ "$	20,000	
$\square T T \Delta < \square^{TM} \langle \therefore T$	1,10,00	2,65,00	$\therefore T$	75,000	2,65,00
	00	00		8,70,00	00
	8,70,00				

$\vee < \square \theta | \square \vee \delta \square \varepsilon \sqrt{\# \square} \sigma \mathfrak{Z} + \rightarrow$

1. $s * . \vee + \sqcup \sqcup \leq] + \equiv \theta _ \therefore T' \therefore T | \square H * . \oplus \leq \square \square \equiv \subset \theta \psi \sqcup$

2. $H * . \varepsilon T T \angle + | \square \vee \delta \square \sqcup \sigma \mathfrak{Z} T \oplus \leq \square \} \not\subset \sigma \mathfrak{Z} \sqrt{.25,000} \exists \therefore T \varepsilon > \bullet \therefore \delta \square \sigma \mathfrak{Z} T \oplus \leq \square$

$\theta T + \& \square \sqcup = \theta T > \wp \therefore T \# \sqcup \varphi \langle T \square \& \square \theta s * . \vee \varepsilon T \square \sqcup \pm \therefore \square | 20\% \} " \cup \{ " \square \square \exists \sim \{ \delta$
 $\square T | + \sim.$

3.

$s * . \} " \cup \{ " \therefore T | \square H * . \psi \square \sigma \mathfrak{Z} T \psi \square \{ " \therefore \theta T \sqcup = \theta T > = \therefore T \# \delta \text{---} \theta \vee \theta +^{TM} \langle \sigma \mathfrak{Z} + \delta \square +$
 $\beta \subseteq \sim + \# \langle \square \& \square \theta \psi \sqcup . \psi \square \{ | \therefore \sqcup = \theta T > \wp \therefore T$

$^{TM} \sqcup \sim H \square \{ \sqcup \sqcup [s * .] \cup \sigma \mathfrak{Z} T \cap \therefore \square \therefore \cap \sigma \mathfrak{Z} \sqrt{.30,000}$

15. $\varepsilon \sqrt{\theta \varepsilon} \varepsilon \theta \sigma \mathfrak{Z} T \therefore \vee \sqcup \square + \{ | + > \times < \{ \} \leftrightarrow \varphi \langle \sqrt{.} \therefore \theta T, | \square] \exists T^{TM} \langle T \therefore \theta T^{TM} | \therefore | \square + \& \square .$

16. $\sim > \bullet T \varepsilon \exists \varepsilon \sigma \square \therefore T \delta \square \cap \# \langle \subset \leftrightarrow + < \square | \square] \delta \square \varepsilon \sqrt{| \text{---} |} \beta \sqcup + \sim \& * \exists T \phi \supset \& \square \sqcup \leq + \square |$
 $\sqcup \sqcup \{ \delta \square + \square + \sim + \equiv \theta \exists . * \sqcup Y \cap \& \} \geq \sigma \Psi | \square \Leftarrow | \square \square \} " \square \sqcup \{ \square \delta \square T | \therefore \varepsilon \delta \square \sqrt{=} \} ' \square | \Pi 2\%$
 $, \vee \sim \{ \sqcup \leq | \square \vee \square T T \Delta < \square^{TM} \langle \therefore T \exists T \theta \zeta \square^{TM} \zeta \square^{TM} \exists T \} \square \square T T \Delta < \square^{TM} \langle \therefore \oplus \leq \square \# (*' + |$
 $\square \vee \square | \Pi 2\% \cong \sigma \square \varepsilon \geq T \# \} \delta \square \sqrt{|} * \sqcup \{ \cap \& \} \geq \sigma \Psi^{TM} \langle T \sim \square \psi \sqcup \sim \sqcup \leq^{TM} \langle \varphi \langle \sqrt{\sigma \mathfrak{Z} T$
 $\# \sqcup \varphi \langle T + \& \square .$

$\sigma \mathfrak{Z} \sqrt{.}$

$\zeta \sqsubseteq \text{TM} \exists T \rangle \sqcup \sqcup \text{TT} \Delta < \sqsubseteq \text{TM} \langle \therefore T$	2,24,000
$v \sim \int \downarrow \leq \leftrightarrow \sqcup \sqcup \sqcup \text{TT} \Delta < \sqsubseteq \text{TM} \langle T$	70,000
$\& \sqcup v \supset + \# \langle \sigma \mathfrak{S} T < \sqsubseteq \sigma \mathfrak{S} T \therefore T$	75,000
$\sqcup \delta \sqcup T \mid \therefore \sqcup \mid \prod \varepsilon \delta \sqcup \sqrt{\Rightarrow} \sqcup \Downarrow \exists$	
$\# \rfloor \leftarrow \} \not\subset \theta > \bullet < \sqsubseteq T$	20,000
$v \int \sqcup \sqrt{\exists} T, v \int \sqcup \varepsilon H \sqcup \therefore T$	1,30,000
$\beta \subseteq ' + \geq T, \varphi \langle T + \mid \text{TM} \sqcup \therefore T$	1,10,500
$\sqcup \sqcup \sqcup \# \langle \sigma \Psi$	7,500
$* \downarrow Y \cap \& \rfloor \omega \sqcup H \sqcup K \sigma \mathfrak{S} T \subset \therefore T \sigma \mathfrak{S} \sqrt{.2,000} \beta \subseteq \downarrow \int \sqcup \downarrow \leq + > \pm \# \setminus *' + \# \langle \sqcup \& \sqcup \theta 10,000$ $\psi \sqcup \{ " \therefore \sqcup \mid \prod \sigma \mathfrak{S} \sqrt{.2} \# = \mid \sqcup \sqcup \theta \text{TM} \langle T \sim \mid \text{---} \therefore T \mid \sqcup \varphi \langle \# \rangle \pm 500 \psi \sqcup \{ " \therefore T \downarrow \leq * \angle \theta \sqcup$ $\downarrow \leq \psi \sqcup \{ " < \sqsubseteq \sigma \mathfrak{S} T \exists T \theta \zeta \sqsubseteq \text{TM} \exists T > \bullet \text{TM} \sqcup \psi \sqcup \{ " < \sqsubseteq \sigma \mathfrak{S} T \therefore + < \sqsubseteq \sigma \mathfrak{S} \sqrt{\#} \setminus *' + \mid \sqcup \vee \# \rfloor \delta \text{---}$ $H \sqcup \sigma \mathfrak{S} T.$	

J.M.JCOLLEGE FOR WOMEN, TENALI (Autonomous)

III B.Com General

Advanced Corporate Accounting

Semester - VI

Section – A

Time : 3Hrs.

Max.Marks:70

I. Answer All of the following.

10 x 1 = 10M

- $\cup + \geq Y''^{\text{TM}} \sqcup \exists < \int \sqcup \theta + v + \phi \rangle \cong \exists T \{ \int ?$
- $\cup + \geq Y''^{\text{TM}} \sqcup \therefore \downarrow \leq \sqsubseteq \Delta'' \therefore \theta T^{\text{TM}} \setminus \therefore \mid \sqcup + \& \sqcup .$
- $v _ \int \varepsilon \sqcup \sim \emptyset \rfloor \cup \rfloor \cap v \theta > \pm H \rfloor \exists T ?$
- $\mid \sqcup \delta \sqcup T \mid \text{TM} \langle \varepsilon \leftrightarrow \varphi \langle T > \bullet \Delta \downarrow \leq \exists < \int \sqcup \theta \therefore \downarrow \leq \sqsubseteq \Delta'' \therefore \theta T^{\text{TM}} \setminus \therefore \mid \sqcup + \& \sqcup .$
- $\mid \sqcup \delta \sqcup T \mid \text{TM} \langle \downarrow = \theta T > = \therefore T \Xi \rfloor \downarrow \mid \mid v \downarrow \sqcup + \{ \int + > \times < \int \rfloor \leftrightarrow \varphi \langle \sqrt{\therefore} \therefore \theta T^{\text{TM}} \setminus \therefore \mid \sqcup + \& \sqcup .$
- $\angle \varphi \langle T \rfloor + > \times \delta \sqcup \sigma \mathfrak{S} T \emptyset v'' \geq T v \theta > \pm H \rfloor \exists T ?$
- $\varepsilon \leftrightarrow \varphi \langle T \cup \int '' \varepsilon \theta \theta T \exists \varepsilon \rfloor + \# \langle + \& \sqcup .$
- $\kappa \subseteq \varepsilon \sqrt{\sqcup} \downarrow \leq v \int '' < \int \sqcup \leftrightarrow \text{TM} \langle \therefore v \downarrow \sqcup + \{ \int + > \times \theta T \sqcup \sigma \mathfrak{S} \cap \equiv + \mid \sqcup v \varepsilon T T.$
- $\psi \sqcup \leftrightarrow \beta \subseteq \sigma \mathfrak{S} + \varphi \setminus T T \downarrow \leq \neg \kappa \subseteq \varepsilon \sqrt{\sqcup} \downarrow \leq < \int \rfloor \leftrightarrow \varphi \langle \sqrt{\therefore} \therefore \theta T^{\text{TM}} \setminus \therefore \mid \sqcup + \& \sqcup .$
- $\sqcup + \{ \int Y''^{\text{TM}} \sqcup \exists < \int \sqcup \theta +, \cup + \geq Y''^{\text{TM}} \sqcup \exists < \int \sqcup \theta + \therefore \varepsilon T < \int \sqcup \leftrightarrow > \bullet \therefore \text{TM} \rfloor \& \sqcup \therefore \theta T \Re$
 $\sigma + \& \sqcup + \{ \int \sqcup^{\text{TM}} \setminus \therefore \mid \sqcup + \& \sqcup .$

Section – B

II. Answer any Two of the following.

2 x 10 = 20M

11. 31 ε√]c 2008 θ δ—{ | }⊃Π{∧ δ□ □ |Π' ⊥±σ=ε≠σω□ H□ |□ ∨δ□ |⊥±∴ θT+&
□ ρδ□ T⊕≤□ θ□ □ ∴∩∴ □ <|□ σΣ+>±(μ) □ |≥T...□ &□ Y''TM□ () σ□ □ &□ Y
''TM□ ∴θT TM⟨φ⟨√σΣT #|φ⟨T+&□ .

∃εσ□ ∴T	σΣ√.	σΣ√.
□ ⊥ ∩{ ψ□ {'' ∴T		1,64,70
&□ υ⊃+#{σΣT'		0
∃ε< □ □ TTA<□ TM ⟨∴T		60,000
□ ≥T...□ &□ ε↔φ⟨T+ (31.3.2007 εσΣ⊕≤	2,85,00	300
)	0	
2007–2008 }∄ □ ≥T...□ &□ ε↔φ⟨T+	18,300	
∃<□ T↔ TM Ψ δ□ σΣ □ □ σ□ # δ—θ+<□	12,000	
□ □ TTA >•δ□ T ∴T	150	
□ TM ⟨σΣ □ TTA >•δ□ T ∴T	1,500	
κ ...σΣT◇□ ∴∩	1,500	
θ>•<□ T□ ∴∩	9,000	
∃<□ T↔ TM Ψ □ TM ⟨ε⇐ ε↔φ⟨T+	1,500	
∃<□ T↔ TM Ψ □ + —Δ ε↔φ⟨T+	1,500	
v<(↑, ≠σ≥T', □ θT□ ∴T	3,600	
□ σΣ∩ς□ "Δ KσΣT⊂∴T	6,000	
TM ⟨σΣT>•T<□ ∴.	3,000	
&□ υ⊃+#{σΣ'□ Π ε&□ f	6,000	
εT<□ ↔+ TM ⟨σΣ+ &□ ∃& +&□ T		39,000
∃<□ T↔ TM Ψ vεT□ ⊥≤+		1,500
MT≥σΣ' v<(↑		8,550
1.04.2007 □ ⊥≤σΣ σ□ □ &□ Y'' TM □ }∄ □		
∩		
	3,49,05	3,49,05
	0	0

12. κ| ω□ }∧ v⊥□ +{| +>×θT #|□ {''...{''□ ⊥| >•∴ ∃∃<|□ |□ TM⟨T.↑θT TM| ∴.|
□ +&□ .

13. $\square \downarrow \leq \delta \square + \delta \square \oslash \psi \square] \downarrow \mid 1 \bar{4} \bar{2} 008 \theta \sigma \mathfrak{Z} \sqrt{.2,00,000} \therefore \upsilon'' + \oplus \leq \square \square \therefore \cap > \bullet \therefore < \square T.$
 $\square \sigma \wp E \exists \square \varphi \mid \sqrt{< \square \sigma \mathfrak{Z}' \delta \square \sqrt{N} \therefore \delta \square + K \leftrightarrow 200 \quad \varepsilon \sqrt{]} \subset 31,2008 \theta \upsilon + {}^{\text{TM}} \langle \psi \mid T \rightarrow \theta$
 $\delta \square + \rangle \square \downarrow \mid \square \delta \square + \delta \square \oslash \varepsilon \delta \square \sqrt{\therefore T, \# \mid *' + \mid \square \vee \therefore T \sim > \bullet T \varepsilon \exists < \int \square + > \pm \theta T \theta \square \exists.$

${}^{\text{TM}} \sim$	$\varepsilon \delta \square \sqrt{\Rightarrow} \int$ $\square \downarrow$	$\sigma \mathfrak{Z} \sqrt{.}$	$\delta \square \sqrt{}$ N	${}^{\text{TM}} \sim$	$\# \mid *' + \mid \square \vee$ $\therefore T$	$\sigma \mathfrak{Z} \sqrt{.}$	$\delta \square \sqrt{}$ N
$\pi H \square$	$\ve \varepsilon T \square \downarrow \pm$	1,05,0	210	$\square \delta \square \mid \dots + \square \sigma$	$\varepsilon \leftrightarrow \varphi \langle \sqrt{\therefore}$	2,15,0	215
1	$\therefore T$	00	230	T 15	T	00	240
$\cup \theta \varepsilon]$	$\ve \varepsilon T \square \downarrow \pm$	3,45,0		$\theta \varepsilon + \square \sigma \Psi$ 30	$\varepsilon \leftrightarrow \varphi \langle \sqrt{\therefore}$	1,50,0	225
15	$\therefore T$	00		$\& \square \square \delta + \square \sigma \Psi$	T	00	
				1	$\varepsilon \leftrightarrow \varphi \langle \sqrt{\therefore}$	2,00,0	
					T	00	

$< \int \square \sigma \mathfrak{Z} \mid \varphi' \varepsilon \sqrt{\sigma \mathfrak{Z} T \in \therefore \varepsilon \therefore ' \mid \beta \subseteq \mid + \equiv \theta \mid \upsilon \int'' \square \square \mid \rangle < \square \theta \chi \subseteq \dots \square \square \downarrow \leq \theta T > =$
 $\theta + \& \square, \delta \square + \varepsilon {}^{\text{TM}} \langle \diamond \sigma \mathfrak{Z} + \equiv \varepsilon \sigma \mathfrak{Z} \delta \square \sqrt{N} \delta \square + K \leftrightarrow 240.$

Section – C

III. Answer any Two of the following.

2 x 20 = 40M

14. $\exists < \square T \leftrightarrow {}^{\text{TM}} \Psi \mu \therefore \mid \downarrow \mid \dots \downarrow \leq \mid \wedge \delta \square \mid \square ' \varphi \Psi T \downarrow \leq + \square \mid \mid * \exists T \phi \supset \& \square \psi \square] \mid \square \ve \delta \square \mid \downarrow \pm$
 $\therefore \theta T + \& \square \varepsilon \sqrt{]} \subset 31,2008 H \square \& \square T \delta \square + \mid > \bullet \varsigma \text{---}'' + \equiv \theta \sim > \bullet T \varepsilon \exists \varepsilon \sigma \square \therefore \theta T + \& \square (\mu)$
 $\square \mid \geq T \dots \square \& \square Y'' {}^{\text{TM}} \square (_) \sigma \square \square \& \square Y'' {}^{\text{TM}} \square (\text{---}) \square \downarrow \leq \sigma \mathfrak{Z} \sigma \square \square \& \square Y'' {}^{\text{TM}} \square (\& \square) \kappa$
 $\subseteq < \int \square \sigma \mathfrak{Z} \Delta \square \delta \text{---} \mid \ve \mid \square \square \therefore \mid \square \{ Y \dots \square {}^{\text{TM}} \langle \varphi \langle \sqrt{\square \square \mid \square \mid \square T + \& \square .$

$\& _ \{ \wedge \square \therefore \cap \therefore T$	$\sigma \mathfrak{Z} \sqrt{.}$	$\mid \mathfrak{R} \downarrow \& \square \{ \wedge \square \therefore \cap \therefore T$	$\sigma \mathfrak{Z} \sqrt{.}$
$\mid \supset \Pi \square \delta \theta T \diamond$	9,000	$\psi \square \{'' \varepsilon T \sqrt{\therefore} < \int \square \theta +$	75,00,000
$\upsilon \int \square \sqrt{\exists T}$	2,10,00	$(75,000 \square \downarrow \mid \cap \{ \mid \psi \mathfrak{L}$	
$(\mid \square \delta \square T \mid {}^{\text{TM}} \langle \delta \square + \varepsilon {}^{\text{TM}} \langle \diamond \sigma \mathfrak{Z}$	0	$'' \therefore T$	
$\mid \varphi \sigma \mathfrak{Z} \sqrt{.10,000 \# \mid \sigma \mathfrak{Z} T \in$		$\square \downarrow = \neg \downarrow \leq \neg \{ \mid \sigma \mathfrak{Z} \sqrt{.10$	
$\therefore T)$		$\# = \mid \theta)$	30,00,000
$\upsilon \int \square \varepsilon H \square \therefore T$	12,18,0	$\square \sim \int \downarrow \leq \leftrightarrow \mid \square \ve \psi \square \{''$	2,11,000
$\beta \subseteq' + \geq T, \varphi \langle T + \mid {}^{\text{TM}} \square \therefore T$	00	T 3,00,000	4,80,000
$\mid \{'' \theta T \diamond \beta \square \subseteq \sigma \mathfrak{Z} \square \sigma \Psi \delta \square \upsilon$	2,04,00	$\square \downarrow = \neg \downarrow \leq \neg \{ \mid \sigma \mathfrak{Z} \sqrt{.10$	2,10,000
$\square \delta \dots \omega \square H \square$	0	$\# = \mid \theta$	
$\psi \mid T \sigma T T H \square \diamond (\square \mid \square] {}^{\text{TM}} \langle \therefore$	83,70,0	$Y'' {}^{\text{TM}} \square < \square \sigma \mathfrak{Z}' \oplus \leq \square] \ve$	9,10,000
$\upsilon \int \square \sqrt{> \bullet \sigma \mathfrak{Z} \textcircled{R} + \mid \varphi$	00	$\geq T \mathfrak{R} \downarrow \Pi] \cup \sigma \mathfrak{Z} T \cap$	2,40,00,0
$\square \delta \square + \varepsilon {}^{\text{TM}} \langle \diamond \sigma \mathfrak{Z} + \mid \varphi \# \mid \sigma \mathfrak{Z} T$		$\square > \bullet + {}^{\text{TM}} \langle T \downarrow \leq] \cup \sigma \mathfrak{Z} T$	00

$\in \therefore T \sigma \mathfrak{S} \sqrt{}$ 17,70,000)		\cap	
$>\bullet \square \varsigma \square " \delta \square + \square + < \int \leq H \mid$ $\lrcorner \leq \mid \theta T'$	32,10,0 00	$< \int \square \sigma \mathfrak{S} \therefore, \& \square \exists \& \mid +$ $\& \square T \square \varphi \langle T + \mid^{\text{TM}} \langle \Delta$	22,500 49,50,000
$(\mid \square \delta \square T \mid^{\text{TM}} \langle \delta \square + \varepsilon^{\text{TM}} \langle \diamond \sigma \mathfrak{S}$ $\mid \varphi \# \mid \sigma \mathfrak{S} T \in \therefore T)$	3,30,00 0	$\& \mid \varepsilon \therefore \mid \tau \psi \mid T + \{ \wedge \mid \cup \sigma$ $\mathfrak{S} T \cap$	5,70,000 25,74,000
$\mid \square \square \mid \square \# \langle \sigma \Psi _ \angle + \mid \square v \therefore T$ $(\square \delta \square +. \mid \varphi \# \mid \sigma \mathfrak{S} T \in \therefore T \sigma$ $\mathfrak{S} \sqrt{}. 21,000)$	3,15,00 0	$\delta \square + \equiv^{\text{TM}} \langle \psi \mid T \rightarrow \theta^{\text{TM}} \langle$ $\sigma \mathfrak{S} T > \bullet T < \square \therefore$	48,00,000
$\psi \mid \sqrt{\{ " \sigma \mathfrak{S} T \} " \downarrow \therefore T$ $(\square \delta \square +. \mid \varphi \# \mid \sigma \mathfrak{S} T \in \therefore T \sigma$ $\mathfrak{S} \sqrt{}. 50,000)$	4,80,00 0	$\theta T + \& \square \varepsilon T T + < \square T \oplus \leq$ \square	2,25,000 1,74,75,0
$\square > \bullet +^{\text{TM}} \langle T \lrcorner \leq \mid \cup \sigma \mathfrak{S} T \cap \square \mid \geq$ $T \dots \square \& \square T \therefore T$	6,25,00 0	$\text{TM} \mid \equiv \subset \theta \square \lrcorner \leq \sigma \mathfrak{S} \sigma \square \square$ $\& \square Y''^{\text{TM}} \square \square \therefore \cap$	00 1,05,000
$\exists < \square T \leftrightarrow^{\text{TM}} \Psi \lrcorner = \theta T > = \therefore T$ $\mathfrak{G}^{\text{TM}} \square \therefore T, \psi \mid^{\text{TM}} \langle H \square \therefore T$ $\varepsilon T \sigma \mathfrak{S} \varepsilon T \square^{\text{TM}} \langle T \mid \therefore T, \square \sigma \mathfrak{S} \cap$	12,00,0 00	$\langle \cap + \theta T + \& \square \rho \delta \square T \oplus \leq$ $\square \theta \square \sigma \mathfrak{S} T \Delta +$	
$\varsigma \square " \Delta \mathfrak{A}$ $v \int \square \varepsilon H \square \therefore T \quad \sigma \mathfrak{S} \sqrt{}. 2$ 2,500		$(\delta \text{---} \emptyset \sigma \mathfrak{S} \square \delta \square T \mid \therefore \square$ $\Pi^{\text{TM}} \langle \theta Y''^{\text{TM}} \wp)$	
$\beta \subseteq ' + \geq T \varphi \langle T + \mid^{\text{TM}} \square \therefore T$ 7,500		$\sigma \square \mid \omega \square \dots \mid \square v \int \square T$ $\Psi v \varphi \sigma \mathfrak{S} T f \theta T + \& \square$	22,500 37,500
$\mid \{ " H \square \diamond \beta \square \subseteq \sigma \mathfrak{S} \square \sigma \mathfrak{S} T'$ 90,000	6,48,00 0	$\exists \exists < \int \square \sigma \mathfrak{S} T \Delta " < \square^{\text{TM}} \langle$ $\therefore T$	15,000
$\psi \mid T \sigma T T H \square \diamond \delta \square \downarrow \cap \delta \square T$ $\therefore T \quad 5,10,000$	19,95,0 00	$\leq \Lambda \leftrightarrow \rceil \{ Y$ $\& \square \beta \subseteq \square \geq T'$	
$\mid " \downarrow \therefore T \quad \underline{\hspace{2cm}}$ 18,000	76,500 60,000	$\mathfrak{R} \lrcorner ' \sigma T T \psi \square T \# \mid \varphi \langle T \square$ $\& \square \exists \& \mid + \& \square T'$	
$\delta \text{---} \square \textcircled{+} + \sim \square \sigma \mathfrak{S} \cap \varsigma \square " \Delta K$ $\mathfrak{S} T \subset \therefore T$	22,500 1,50,00	$\exists < \square T \leftrightarrow \# \langle \subset \leftrightarrow \lrcorner \mid \mid v$ $\varepsilon T \square \lrcorner \leq +$	
$v < \mid \uparrow, \mid \square \theta T \square \therefore T, \neq \sigma \geq T'$ $\mid \square \varphi \langle \sqrt{\Delta} + \sigma \square \lrcorner \leq \beta \mid \lrcorner \leq \therefore T$	0	$MT \geq \sigma \mathfrak{S}' v < \mid \uparrow$	

$\square \& \square \{ \wedge \mid \square \odot E$	10,50,0		
$\kappa \subseteq < \int \square \sigma \mathfrak{Z} \Delta K \sigma \mathfrak{Z} T \subset \therefore T$	00		6,71,16,0
$\exists < \square T \leftrightarrow \# \langle \subset \Leftrightarrow \lrcorner \mid \mid \delta \square T + \leftarrow$	25,500		00
$\leq +$	3,52,50		
$\& \square \left(\prod \mathfrak{R} \sigma \lrcorner \leq \dots \sigma \mathfrak{Z}' \mid \square \odot E, \vee \right.$	0	$M \sim B \beta \subseteq \therefore \square \sigma \mathfrak{Z} \cap \varsigma \square$	
$\int \square^{\text{TM}} \square \leftrightarrow \therefore T$		$\Delta \square \mid \prod \varepsilon \delta \square \sqrt{\Rightarrow} \rangle \square \downarrow$	
$B \sigma \mathfrak{Z} \lceil \lrcorner \pm * \lrcorner \leq \sigma \mathfrak{Z} T \Delta'' \therefore \square \mid$	1,20,00	$\varphi \langle T + \mid^{\text{TM}} \square \therefore \square \mid \prod v < \langle 1$	
$\prod \varepsilon \& \square f$	0	$\varepsilon \delta \square \sqrt{\therefore T}$	
$\exists \square \varphi \langle \sqrt{\rangle \bullet < \square \sigma \mathfrak{Z}' \square \delta \oplus \leq \Lambda$	33,00,0	$v'' + \oplus \leq \square Y''^{\text{TM}} \square \therefore \square \mid$	
$\leftrightarrow \rangle \{ \lceil$	00		
$\& \square \beta \subseteq \square \geq' \square \mid \prod \varepsilon \& \square f$	19,20,0		
$\mid \square \delta \square T \mid^{\text{TM}} \langle \square \delta \square T \mid \therefore T$	00		
$\lrcorner = \theta \kappa \subseteq \rangle \bullet T^{\text{TM}} \langle T \theta \square \mid \square \square$	40,50,0		
$\exists \exists < \int \square \sigma \mathfrak{Z} T \Delta \mid \rangle \bullet \delta \square T \mid \therefore T$	00		
$v'' + \oplus \leq \square \theta \rangle \bullet < \square T \square \therefore \cap \therefore$	21,00,0		
T	00		
$v \mid \square \square \therefore T, v \& \square \cap \theta T \diamond \therefore T$	10,50,0		
	00		
	6,71,16,		
	000		

- $\# \lfloor \varphi \langle T \varepsilon \therefore \delta \text{---} \theta \delta \square \sigma \mathfrak{Z} T \uparrow v'' \geq T' (\mu) \mid \square \delta \square T \mid^{\text{TM}} \langle \delta \square + \varepsilon^{\text{TM}} \langle \diamond \sigma \square \square \lrcorner \lceil^{\text{TM}} \langle \sigma \mathfrak{Z} T \rangle \bullet T$
 $< \square \therefore \sigma \mathfrak{Z} \sqrt{.17,25,000} (_) \mid \square \theta T \square \lrcorner = \sigma \mathfrak{Z} \oplus \leq \square \cong \sigma \square \varepsilon \geq T \sigma \mathfrak{Z} \sqrt{.22,80,000} (\delta \text{---}) \square$
 $> \bullet +^{\text{TM}} \langle T \lrcorner \leq \rfloor \cup \sigma \mathfrak{Z} T \cap \oplus \leq \square \varepsilon T \lceil \downarrow + \mid \square \vee \sigma \mathfrak{Z} \sqrt{.2,25,000} (\& \square) \& \lceil \varepsilon \therefore \mid \tau \psi \lceil T + \geq T \rfloor$
 $\cup \sigma \mathfrak{Z} T \cap \oplus \leq \square \varepsilon T \lceil \downarrow + \mid \square \vee \sigma \mathfrak{Z} \sqrt{.1,20,000} \sigma \mathfrak{Z} \sqrt{.11,94,000} \theta T \delta \square \varepsilon T + \cup \delta \square \psi \lceil T \rightarrow$
 $\theta \mid \mid \square \Leftarrow \square \square \therefore + > \pm \vee \int'' \exists \langle \varepsilon \# \langle T \subset.$
15. $\kappa \subseteq \varepsilon \sqrt{\square} \lrcorner \leq \vee \int'' < \int \square \leftrightarrow^{\text{TM}} \langle \therefore v \lrcorner \square + \{ \lceil + > \times \mid \square \mid \lrcorner \lceil \varphi \langle T, \mid \square \varphi \lceil \sqrt{\cup} H \square \therefore \theta T, \mid \square \rfloor \exists$
 $T^{\text{TM}} \langle T \therefore \theta T^{\text{TM}} \lceil \therefore \mid \square + \& \square .$
16. $\mid \square \delta \square T \mid^{\text{TM}} \langle \lrcorner = \theta T \rangle = \therefore T \Xi \rangle \lrcorner \mid \mid \square < \square \uparrow \Leftarrow \theta T \mid \square \varphi \lceil \sqrt{\angle + \equiv, \sim} \rangle \bullet T \varepsilon \square \equiv \subset \theta \delta \square \varepsilon \sqrt{\#}$
 $\square \sigma \mathfrak{Z} + \square < \int \square \sigma \mathfrak{Z} + > \pm (\mathfrak{F}) \mathfrak{F} \mathfrak{O} \& (_)$

$LIFO \mid \square < \square \uparrow^{TM} \langle T : \theta T \beta \subseteq \{ \mid + \equiv \theta \downarrow \leq + \square \mid \mid : \cdot \varphi \mid TT \downarrow \leq \neg (\mu) \vee \exists T \square \theta \varepsilon \delta \square T \mid \varepsilon \vee : \cdot \square \mid$
 $\prod \varepsilon \leftrightarrow \varphi \langle T + \square \rangle \varepsilon TT \angle + \mid \square \vee \delta \square \sigma \mathfrak{T} T \oplus \leq \square \exists : \cdot T \varepsilon : \cdot \theta T \downarrow \leq \theta T > = \theta T \varepsilon TT.$

	$\# \square \mid \mid^{TM} \langle \downarrow \leq$ $\varepsilon \leftrightarrow \varphi \langle T + \sigma \mathfrak{T} \downarrow.$	$\kappa \subseteq < \int \square \sigma \mathfrak{T} \Delta$ $< \int \square \sigma \mathfrak{T} : \cdot \delta \square \sqrt{N}$
1.4.2007 $\theta \delta \square \sigma \mathfrak{T} T \oplus \leq \square \exists : \cdot T$	40,000	200
2007 $\bar{0}8 \mid \not\subset \downarrow = \theta T > \wp \Rightarrow \downarrow \square \downarrow$	3,10,000	220 (2007 $\bar{0}8 \mid \not\subset \delta \square > \bullet \geq T$)
31.3.2004 $\delta \square \sigma \mathfrak{T} T \oplus \leq \square \exists : \cdot T \varepsilon$	50,000	230

J.M.JCOLLEGE FOR WOMEN, TENALI(Autonomous)

III B.Com General & Computers

Auditing

Semester – V

PPW:5

Objectives: i) To impart knowledge pertaining to basic concepts of Auditing

ii) To Acquaint oneself with Auditing procedure and report writing

Unit –I: Introduction to Auditing

Meaning-definition-evolution-objectives-importance.

Unit-II:Types of Audit

Based on ownership (Proprietorship, Partnership, Companies, Trusts, Cooperative Societies, Government Departments) – Based on time (Interim, Final, Continuous, Balance Sheet)- Based on objectives (Independent, Financial, Internal, Cost, Tax, Government, Secretarial).

Unit - III: Planning of Audit and Control

Auditor: Qualifications and disqualifications-Qualities-Appointment and reappointment-Remuneration-Removal-Rights-Duties-Liabilities.

Audit planning: Engagement letter- Audit programme-Audit notebook-Audit papers- Audit workbook-Audit contents- Audit markings- Internal check- Internal control- (Sales,Purchases, Fixed assets, Cash bank payroll)-Accounting controls and sampling in Audit.

Lab work: Preparation of Audit programme for an organization.

Unit –IV: Vouching

Meaning, Vouching of cash Trading transactions-Investigation, Verification and Valuation of assets and Liabilities-Difference between Vouching, Investigation, Verification and valuation.

Lab work:Vouching of cash book of a local business unit

Reference Books:

1. Contemporary Auditing : kamal Gupta
2. Practical Auditing : Spicer& Pegler
3. Principles and Practices of Auditing : Jagadish Prakash
4. Principles of Auditing : Ghatalia
5. Business Correspondence and report Writing: Tata M. Graw Hill
6. Business Correspondence & Report Writing : UrmilaRai& S. M. Rai
7. Business Communications and Report Writing : Kalyani Publications
8. Auditing : N.D. Kapoor

J.M.JCOLLEGE FOR WOMEN, TENALI(Autonomous)

III B.Com General & Computers

Auditing

Semester – VI

PPW:5

Objectives: i) To impart knowledge pertaining to basic concepts of Auditing

ii) To Acquaint oneself with Auditing procedure and report writing

Unit-I: Audit of Institutions

Partnership-Manufacturing and other Companies-Non trading concerns.

Unit –II: Audit Report

Contents-Preparation of Audit report-Fair report-Qualified report.

Lab Work: Collection of Model Audit Reports from Local Auditor and Preparation of Similar reports.

Unit –III:Report writing

Business Correspondence and Report writing: Basic principles-Business letters.

Unit –IV: Business Reports

Structure-Preparation of Routine reports and special reports.

Lab Work: Drafting of model business letters and Preparation of Business reports.

Reference Books:

1. Contemporary Auditing : kamal Gupta
2. Practical Auditing : Spicer& Pegler
3. Principles and Practices of Auditing : Jagadish Prakash
4. Principles of Auditing : Ghatalia
5. Business Correspondence and report Writing: Tata M. Graw Hill
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J.M.JCOLLEGE FOR WOMEN, TENALI(Autonomous)

III B.Com General & Computers

Auditing

Semester – V

Time : 3Hrs.

Max.Marks:70

Section – A

I. Answer all of the following.

10 x1 = 10M

1. What are the advantages of Auditing?

1. What is meant by Fraud?
 $\exists \delta \square H \square \text{TM} \langle \square \sqsubseteq \square \ \& \square \{ \wedge v\theta > \pm H \} \exists T?$
2. What is Statutory audit?
 $\exists / \delta \square H \square \text{TM} \langle \square \sqsubseteq \square \ \& \square \{ \wedge v\theta > \pm H \} \exists T?$
3. What is Audit Planning?
 $\square \ \& \square \{ \wedge \mid \mid \square \Delta'' \sqsubseteq v\theta > \pm H \} \exists T?$
4. What is routine checking?
 $\sigma = \{ \mid H \square \ \# \mid \sqsubseteq \mid \wedge v\theta > \pm H \} \exists T?$
5. What is meant by Voucher?
 $\zeta \# \langle \sigma \Psi \ v\theta > \pm H \} \exists T?$
6. What are the Financial Statements?
 $\square \] \emptyset \sqsubseteq \square \ \psi \mid \sim \sqsubseteq \therefore T \cong \exists?$
7. What is Internal Control?
 $\square \ + \text{TM} \langle \sigma \mathfrak{Z} Z \text{TM} \langle \square \ \phi \langle T + \mid \text{TM} \langle \Delta \ v\theta > \pm H \} \exists T?$
8. What is sampling in Auditing?
 $\square \ \& \square \{ \wedge \theta \varepsilon T \sqrt{H \square} \ v\theta > \pm H \} \exists T?$
9. What is meant by Contingent Liabilities?
 $\square \ > \bullet + \text{TM} \square \ \sqsubseteq \square \ T \Delta \cup'' < \int \square \leftrightarrow \text{TM} \langle \therefore T \ v\theta > \pm H \} \exists T?$

Section – B

II. Answer any two of the following.

2 x 10 =20M

11. What is Auditing? What are types of Audits?
 $\square \ \& \square \{ \mid \wedge > \times v\theta > \pm H \} \exists T? \square \ \& \square \geq' \} \notin \sigma \mathfrak{Z} \sqsubseteq \pm \therefore T \text{TM} \mid \therefore T \mid \square \vee \varepsilon TT.$
12. What is Internal Check? What are features of good system of internal check? What is the position of an Audit in relation to such a system?
 $v + \text{TM} \langle \sigma \mathfrak{Z} Z \text{TM} \langle \text{TM} \langle \square \notin v\theta > \pm H \} \exists T? < \square \square \therefore \sqsubseteq \square \Delta'' \} \exists T? \varepsilon T \mid \phi \langle TT \square \ \& \square \{ \wedge \delta \text{---} \emptyset \Leftarrow \square \text{TM} \mid \therefore T \mid \square \vee \varepsilon TT.$
13. Write about the auditor's appointment, Professional Qualifications and personal Qualifications.
 $\square \ \& \square \{ \wedge \square \ \phi \langle \sqrt{\varepsilon T} \sqsubseteq \varepsilon TT, \varepsilon \square \Leftarrow \mid \mid \square \sigma \mathfrak{Z} \psi \mid T \rightarrow \theta \varepsilon T \mid \phi \langle TT \varepsilon \leftrightarrow \sqsubseteq \mid \mid > \bullet \text{TM} \langle v\sigma \mathfrak{Z} \mid \text{TM} \langle \therefore T \text{TM} \mid \therefore T \mid \square \vee \varepsilon TT.$

Section - C

III. Answer any two of the following.

2 x 20 =40M

14. What are objectives and advantages of auditing?

□ &□ { [+>× ∴ ↓□ ±↔∴ ∴ T | |□ φ \ √ ∪ H□ ∴ TTM \ ∴ T | □ √ ε TT.

15. What is meant by Verification and valuation? How would you verify and value the assets and liabilities?

□ σ √ | □ Δ ε T] φ (TT ε T √ } " ↔ + ↓ ≤ θ ε TT √ θ > ± H] ∃ T ? ∃ ∃ < ∫ □ □ δ □ T | ∴ θ T √ | □

□ ∴ θ T ≅ ∃ < ∫ □ + > ± □ σ √ | □ Δ ε T] φ (TT ε TT } " ↔ + ↓ ≤ θ #] φ (TT < □ T ε √ ?

16. What is meant by Investigation? Distinguish between Auditing and investigation?

∃ ∃ < ∫ □ θ √ θ > ± H] ∃ T ? □ & □ { [+>× ⊕ ≤ □ ∃ ∃ < ∫ □ θ ⊕ ≤ □ ← T × □ ∴ ∴TM] & □ }
> ∃ ?

J.M.JCOLLEGE FOR WOMEN, TENALI(Autonomous)

III B.Com General & Computers

Auditing

Semester – VI

Time : 3Hrs.

Max.Marks:70

Section – A

I. Answer all of the following.

10 x1 = 10M

1. Write two Advantages of Audit of Partnership firm?

υ { " > • κ ⊆ ∩ ε T ↔ δ □ + δ □ ∅ □ & □ { ∧ ε ∴ ' ↓ ≤ ∴ T > • T ℔ σ + & □ T } " υ { " } } ∃ ?

2. What are the types of Capitals?

ε T √ ∴ < ∫ □ H □ ∴ } ∄ □ σ ∩ ↓ ± ∴ T ≅ ∃ ?

3. What is Debenture?

& □ □ + # < σ ∩ T v θ > ± H] ∃ T ?

4. What is Statutory report?

Ξ / δ □ H □ ™ < □ ↓ ≤ □ ψ] ~ ↓ ≤ v θ > ± H] ∃ T ?

5. What are the types of Audit report?

□ & □ { ∧] β } σ ∩ T ... } ∄ σ ∩ ↓ ± ∴ T H] ∃ T ?

6. What is a Letter?

} > K v θ > ± H] ∃ T ?

7. What is an enquiry Letter?

∃ # □ σ ∩ Δ v θ > ± H] ∃ T ?

8. What is a report?

] β } σ ∩ T ... v θ > ± H] ∃ T ?

9. Write two features of good report?

ε T + ≡] β } σ ∩ T ... φ { T T ↓ ≤ ¬ ℔ σ + & □ T ∴ ↓ ≤ □ Δ " } > ∃ T ?

10. Mention the types of Business Letter?

ψ □ ↔ β ⊆ σ ∩ } > K ∴ σ ∩ ↓ ± ∴ T ≅ ∃ ?

Section - B

II. Answer any two of the following.

2 x 10 = 20M

11. What points should an Auditor keep in mind while auditing any two non trading concerns?

$\cong < \sqcup \quad \Re \sigma + \& \quad T \psi \quad \leftrightarrow \beta \subseteq \neq \sigma^{\text{TM}} \langle \sigma \mathfrak{Z} \delta \quad + \delta \quad \emptyset Y^{\text{TM}} \quad \therefore \theta T \quad \& \quad \{ \wedge \# \sqcup \varphi \langle TT \theta \sqcup \vee$
 $\& \quad T \quad \& \quad \geq \sigma \Psi > \bullet T \sqcup \mid + \# \langle \mathfrak{T} \rangle \varepsilon \therefore \delta \text{---} \theta \vee + \Xi / \therefore T^{\text{TM}} \sqcup \therefore T \sqcup \vee \varepsilon TT.$

12. What is a report? What are types of reports?

$\sqcup \beta \sqcup \sigma \mathfrak{Z} T \dots \vee \theta > \pm H \sqcup \exists T? \sqcup \beta \sqcup \sigma \mathfrak{Z} T \dots \therefore \sqcup \varphi \quad \sigma \mathfrak{Z} \sqcup \pm \therefore T \cong \exists?$

13. Explain special points what would require the attention Auditor while conducting audit of partnership.

$\vee \sqcup^{\text{TM}} > \bullet \kappa \subseteq \cap \varepsilon T \leftrightarrow \delta \quad + \delta \quad \emptyset \quad \& \quad \{ \wedge \# \sqcup \quad \delta \geq \sqcup \vee \& \sqcup \sqcup T \geq \sigma \mathfrak{Z} > \bullet \varepsilon T \quad + \# \langle \varepsilon \therefore \delta$
 $\text{---} \theta \exists \omega \quad \varphi \langle \sqrt{\therefore T}.$

Section - C

III. Answer any two of the following.

2 x 20 = 40M

14. What is audit report? What are the contents of Audit report?

$\sqcup \quad \& \quad \{ \wedge \sqcup \beta \sqcup \sigma \mathfrak{Z} T \dots \vee \theta > \pm H \sqcup \exists T? \quad \sqcup \quad \& \quad \{ \wedge \sigma \mathfrak{Z} T \beta \sqcup \sigma \mathfrak{Z} T \dots \sqcup \varphi \quad \vee + \Xi / \therefore T \cong \exists?$

15. What are the parts of a Business Letter?

$\psi \quad \leftrightarrow \beta \subseteq \sigma \mathfrak{Z} \rangle K \sqcup \varphi \quad \varepsilon TTK \leftrightarrow \vee \sqcup^{\text{TM}} > \pm \rangle \exists?$

16. What are the preliminaries should be taken by the auditor before commencing the Audit of Company?

$\sqcup \leq + \sqcup \mid \sqcup \quad \& \quad \{ \wedge \mid \beta \subseteq \sigma \mathfrak{Z} + \vee \sqcup + \# \sqcup \quad \delta \geq \sqcup \vee \& \quad T \quad \& \quad \geq \sigma \Psi \quad \rho \delta \quad T \sqcup \wp H \sqcup \mid \beta \subseteq <$
 $\sqcup \quad \exists T \sqcup \leq \# \langle \sigma \mathfrak{Z} \leftrightarrow \therefore T \cong \exists?$

J.M.JCOLLEGE FOR WOMEN, TENALI(Autonomous)

III B.Com General & Computers

Business Law

Semester – V

PPW:5

Objective: To make the students learn the basics of the Business laws and apply them in real life situations.

Unit – I: Contract Act:

Agreement and Contract: Definition and meaning, Essential of a valid contract, types of Contracts.

Offer and Acceptance: Definition, Essential of a valid offer and acceptance, communication and revocation of offer and acceptance.

Unit –II: Consideration:

Definition and importance- Essentials of valid consideration- the Doctrines of 'Stanger to Contract' and No Consideration-No Contract'- Capacity to contract- special rules regarding minor's agreements.

Consent: Free Consent-Flaw in consent: Coercion- Undue influence- Fraud- Misrepresentation and Mistake.

Unit – III: Legality of Contract:

Legality of object and consideration; illegal and immoral agreements, agreements opposed to public policy.

Agreements expressly declared to be void- wagering agreements and contingent contracts.

Unit – IV: Discharge of Contract

Discharge of a contract- various modes of discharge of a contract, performance of contracts.

Breach of a contract- types- remedies for breach of a contract.

Unit – V: Sale of Goods Act:

Contract of sale: Definition- features- definition of the term goods- types of good- rules of transfer of property in goods- differences between sale and agreement to sell.

Rights of an unpaid seller.

Conditions and warranties- meaning and distinction- express and implied conditions and warranties- sale by non-owners- auction sale.

Suggested Books:

Kapoor ND: Mercantile Law, Sultan Chand

Kapoor ND: Company Law, Sultan Chand

Balachandran V: Business Law, Tata

Tulsian: Mercantile Law, Tata

Tulsian: Business Law, Tata

Gogna: A Text Books of Business and Industrial Law, S.Chand

Gogna: A Text Book of Mercantile Law, S.Chand

Gogan: A Text Book of Company Law, S.Chand

Pillai Bhagavathi: Business Law, S.Chand

J.M.JCOLLEGE FOR WOMEN, TENALI(Autonomous)

III B.Com General & Computers

Business Law

Semester – VI

PPW:5

Objective: To make the students learn the basics of the Business laws and apply them in real life situations.

Unit –I: Consumer Protection Act and Intellectual Property Rights

Definitions of the terms consumer, unfair trade practices, restrictive trade practices and complainant-rights of consumers-consumer protection councils-consumer redressal agencies- penalties for violation.

Unit – II: Intellectual Property Rights

Intellectual property Rights: Meaning-Need and Objectives-Meaning of the terms industrial property, literary property, copy right, patents, trademarks, trade names, trade secrets, industrial designs, geographical indications. Information technology Act, 2000: aims and objectives, a brief overview of the Act.

Unit –III: Company Law

Doctrine of ultra vires and its effects-doctrine of constructive notice-doctrine of indoor management-exceptions.

Unit – IV:Management of companies

Management of companies-directors-qualifications-disqualifications-appointment-removal-rights and duties-company meetings and resolutions-appointment of a company secretary.

Unit – V:Winding up of companies

Winding up of companies-various modes-compulsory winding up-powers and duties of official liquidators-members and creditors voluntary winding up-winding up subject to the supervision of the court-dissolution.

Suggested Books:

Kapoor ND: Mercantile Law, Sultan Chand

Kapoor ND: Company Law, Sultan Chand

Balachandran V: Business Law, Tata

Tulsian: Mercantile Law, Tata

Tulsian: Business Law, Tata

Gogna: A Text Books of Business and Industrial Law, S.Chand

Gogna: A Text Book of Mercantile Law, S.Chand

Gogan: A Text Book of Company Law, S.Chand

Pillai Bhagavathi: Business Law, S.Chand

J.M.JCOLLEGE FOR WOMEN, TENALI(Autonomous)

III B.Com General & Computers

Business Law

Semester – VI

Time : 3Hrs.

Max.Marks:70

Section – A

I. Answer all of the following.

10 x 1 = 10M

1. Define consumer.

$\exists \varphi \mid \sqrt{>\bullet<} \sigma \mathfrak{T} \& \square \square \square \sigma \mathfrak{T} \cap \equiv + \mid \square \vee \varepsilon \mathfrak{T} \mathfrak{T}?$

2. Write about Rights of consumers?

$\exists \varphi \mid \sqrt{>\bullet<} \sigma \mathfrak{T} \mathfrak{T} \quad \zeta \square \text{"} \oplus \leq \square \neg \therefore \theta \mathfrak{T} > \bullet \mathfrak{T} \mid + \equiv \mid \psi \square \varphi \langle \mathfrak{T} \mathfrak{T} \varepsilon \mathfrak{T} \mathfrak{T}?$

3. What are the Trade secrets.

$\psi \square \leftrightarrow \beta \subseteq \mathfrak{S} \sigma \mathfrak{T} \zeta \square \text{"} \delta \square \leftrightarrow \varepsilon \mathfrak{T} \mathfrak{T} \therefore \theta \mathfrak{T}^{\text{TM}} \setminus \therefore \mathfrak{T} \mid \square \vee \varepsilon \mathfrak{T} \mathfrak{T}?$

4. What is the object of the Information Technology Act 2000?

$\delta \square \varepsilon \sqrt{\#} \square \sigma \mathfrak{Z} \# \langle \geq \dots \varepsilon \text{TT} \varphi \lfloor \text{TT} \downarrow \leq \neg \square \square \langle \rfloor \emptyset \Xi \rfloor \leftrightarrow \varepsilon \text{TT} \cong \exists \text{T} \{ \mid ?$

5. Who is Director?

$\& \lfloor \prod \mathfrak{R} \sigma \downarrow \leq \dots \sigma \mathfrak{Z} \text{T} \vee \theta > \pm \cong \varepsilon \sigma \mathfrak{Z} \text{T} ?$

6. Mention the qualifications of director?

$\& \lfloor \prod \mathfrak{R} \sigma \downarrow \leq \dots \sigma \mathfrak{Z}' \vee \sigma \mathfrak{Z} \mid \text{TM} \langle \therefore \theta \text{T}^{\text{TM}} \lfloor \therefore \mid \square + \& \square ?$

7. Mention the types of meetings.

$\downarrow \leq + \square \mid \mid \delta \square \varepsilon \sqrt{\psi} \lfloor \Xi \rfloor \varepsilon \text{TT} \therefore \theta \text{T}^{\text{TM}} \lfloor \therefore \mid \square + \& \square ?$

8. What is the meaning of winding up of a company?

$\downarrow \leq + \square \mid \mid \mid \square \rfloor \delta \square \varepsilon \sqrt{\mid} \mid \vee \theta > \pm \cong \exists \text{T} ?$

9. Define services under consumer protection Act 1986?

$\exists \square \varphi \lfloor \sqrt{\rangle \bullet \langle \square \sigma \mathfrak{Z}' \sigma \mathfrak{Z} \downarrow \leq \square \Delta \# \langle \geq \dots \varepsilon \text{TT} 1986 \mid \downarrow \rfloor + \langle \square \square \delta \varepsilon \therefore \theta \text{T} \square \sigma \mathfrak{Z} \cap \equiv + \mid \square \vee \varepsilon \text{TT} ?$

10. What is District forum?

$\square \{ \}''' \beta \square \rfloor \sigma \mathfrak{Z} \varepsilon \text{TT} > \bullet \text{T} \rfloor + \equiv \mid \psi \square \varphi \langle \text{TT} \varepsilon \text{TT} ?$

Section – B

II. Answer any two of the following.

2 x 10 = 20M

11. Write about Information Technology Act 2000?

$\delta \square \varepsilon \sqrt{\#} \square \sigma \mathfrak{Z} \# \langle \geq \dots \varepsilon \text{TT} 2000 > \bullet \text{T} \rfloor + \equiv \mid \psi \square \varphi \langle \text{TT} \varepsilon \text{TT} ?$

12. Explain the Doctrine of constructive notice in Company?

$\downarrow \leq + \square \mid \mid \therefore \# \langle \geq \dots + \rfloor \not\subset \delta \square + \vee \rfloor \text{TM} \langle \text{H} \wp \{ \{ \delta \square \text{T} \delta \text{---} \langle \square \emptyset + \text{TM} \langle \varepsilon \text{TT} \theta \text{T} \exists \varepsilon \rfloor + \# \langle \text{T} \varepsilon \text{TT} ?$

13. Who is Director? What is the Process for Appointment and removal of Directors?

$\& \lfloor \prod \mathfrak{R} \sigma \downarrow \leq \dots \sigma \mathfrak{Z} \text{T} \vee \theta > \pm \cong \varepsilon \sigma \mathfrak{Z} \text{T} ? \& \lfloor \prod \mathfrak{R} \sigma \downarrow \leq \dots \sigma \mathfrak{Z}' \oplus \leq \square \delta \square + \square + \sim + \equiv \theta \square \varphi \langle \sqrt{\varepsilon \text{T} \downarrow \leq \varepsilon \text{TT}, \text{TM} = \therefore \angle + \mid \square \vee \square \square + \langle \rfloor \square \theta \therefore \text{T} \mid \psi \square \varphi \langle \text{TT} \varepsilon \text{TT} ?$

Section - C

III. Answer any two of the following.

2 x 20 = 40M

14. Who is consumer? What is the redressal Agencies for settlement of industrial disputes?

$\exists \square \varphi \lfloor \sqrt{\rangle \bullet \langle \square \sigma \mathfrak{Z} \text{T} \& \square \text{T} \vee \theta > \pm \cong \varepsilon \sigma \mathfrak{Z} \text{T} ? \exists \square \varphi \lfloor \sqrt{\rangle \bullet \langle \square \sigma \mathfrak{Z}' \varepsilon \text{TT} \& \square + \# \lfloor \therefore \square \varepsilon \square \Leftarrow \mid \exists \psi \square \langle \square \mid \square \rfloor \chi \subseteq \neg \sigma \mathfrak{Z} \varphi \langle \text{T} + \mid \text{TM} \square + > \bullet \varepsilon \text{TT} > \bullet \text{T} \rfloor + \equiv \exists \varepsilon \rfloor + \# \langle \text{T} \varepsilon \text{TT} ?$

15. Explain Doctrine of ultra vires and its exceptions?

$v \sim \int \downarrow \pm \sigma \square \rho^{\text{TM}} \langle \delta \text{---} \square \uparrow +^{\text{TM}} \langle \varepsilon \text{TT } v\theta > \pm H \downarrow \exists T? \exists T\theta \zeta \square^{\text{TM}} \sigma \text{TT} + \square v \therefore^{\text{TM}} \wp \exists \varepsilon]$
 $+ \# \langle T\varepsilon \text{TT} ?$

16. What is meant by Winding up of a company? Explain the procedure for Winding up by court?

$\downarrow \leq + \square \mid \mid \square] \delta \square \varepsilon \vee \text{---} \mid v\theta > \pm H \downarrow \exists T? \downarrow \wp \sigma \mathfrak{T} T f \mid \square \sigma \mathfrak{T} \leftrightarrow \psi \downarrow \downarrow \leq \square \Delta \wr \varphi \mid \square] \delta \square \varepsilon \vee \text{---}$
 $\mid > \bullet T] + \equiv \exists \varepsilon] + \# \langle T\varepsilon \text{TT} ?$

III B.Com General & Computers

Business Law

Semester – V

Time: 3Hrs.

Max.Marks:70

Section – A

I. Answer all of the following.

10 x 1 = 10M

1. Define Contract?

$\downarrow \pm + \{ " \oplus \leq \square \dots \theta T \square \sigma \mathfrak{Z} \cap \equiv + | \square \vee \mathfrak{E} T$

2. Define offer?

$| \square \leftarrow \beta \subseteq < \square \theta \square \sigma \mathfrak{Z} \cap \equiv + | \square \vee \varepsilon T T ?$

3. Define Consideration?

$| \square \leftarrow | \square \square \therefore \varepsilon T T \theta T \square \sigma \mathfrak{Z} \cap \equiv + | \square \vee \varepsilon T T ?$

4. What is true Consent?

$\square T \sim \uparrow | \square \Pi \sigma \mathfrak{Z} \cap \downarrow \leq \psi \backslash T \rightarrow \theta \delta \square \varepsilon T \square \leftarrow v \theta > \pm H \downarrow \exists T ?$

5. Define Discharge of Contract?

$\downarrow \pm + \{ " \oplus \leq \square \dots v " < \square \leftrightarrow {}^{\text{TM}} \langle \exists \psi \backslash \sqrt{\#} \langle \theta \varepsilon T T \square \sigma \mathfrak{Z} \cap \equiv + | \square \vee \varepsilon T T ?$

6. What is meant by breach of contract?

$\downarrow \pm + \{ " \oplus \leq \square \dots v \int \square + > \bullet \varepsilon T T v + \phi \rangle \cong \exists T \{ \{ ?$

7. What is legality of object?

$H \square \leftrightarrow \varphi \langle \sqrt{{}^{\text{TM}}} \langle \square \downarrow \leq \psi \backslash T \rightarrow \theta \square < \downarrow \emptyset \Xi \rangle \leftrightarrow \varepsilon T T v \theta > \pm H \downarrow \exists T ?$

8. What are the agreements expressly declared to be void?

$\# \therefore ' \square \exists > \pm | \square \downarrow \leq \{ \int {}^{\text{TM}} \langle \varepsilon T T \downarrow \pm \square v \backslash \angle \psi \backslash T + \geq T' \cong \exists ? | \psi \square \varphi \langle T T \varepsilon T T ?$

9. Define contract of Sale?

$v \varepsilon T \square \downarrow \leq \varepsilon T T \downarrow \pm + \{ " \oplus \leq \square \dots \theta T \square \sigma \mathfrak{Z} \cap \equiv + | \square \vee \varepsilon T T ?$

10. What is the hire purchase agreement?

$v < \downarrow \uparrow \downarrow = \theta T > \wp \therefore T v \backslash \angle \psi \backslash T + \geq T > \bullet T \downarrow + \equiv | \psi \square \varphi \langle T T \varepsilon T T ?$

Section - B

II. Answer any two of the following.

2 x 10 = 20M

11. What is offer? Explain the essentials of a valid offer.

$| \square \leftarrow \beta \subseteq < \square \theta \theta T v + \phi \rangle \cong \exists T \{ ? | \downarrow \leq \varepsilon T \square < \square \uparrow \psi \backslash T \rightarrow \theta \int {}^{\text{TM}} \square \beta \subseteq < \square \theta \oplus \leq \square \square + \& \square$
 $\varepsilon \therefore \delta - \theta \therefore \downarrow \leq \square \Delta " \therefore T \cong \exists T \{ \{ ? \exists \varepsilon \downarrow + \# \langle T \varepsilon T T.$

12. What is capacity of contract? Explain the Special rules relating to Minors agreement?

$\beta \subseteq \downarrow \dots \therefore v \sigma \mathfrak{Z} \int {}^{\text{TM}} \langle v \theta > \pm H \downarrow \exists T ? \psi \backslash T \rightarrow \theta \sigma \mathfrak{Z}' \oplus \leq \square \delta \square + \square + \sim \int + \equiv \theta | \square \int {}^{\text{TM}} \langle \leftrightarrow \downarrow$
 $\leq \square \square + < \int \square \theta \therefore T \exists \varepsilon \downarrow + \# \langle + \& \square ?$

13. Write about legality of object? And Explain Illegal and Immoral agreements.

$H \leftrightarrow \phi(\sqrt{TM} \square \downarrow \leq \psi(T \rightarrow \theta \square < \uparrow \Xi) \varepsilon TT \therefore \downarrow \leq \square \Delta'' \therefore \theta T^{TM} \therefore \square + \& \square ? \# \langle \geq \dots \square$
 $< \square \uparrow + \downarrow \pm \square \varepsilon T] \phi(TT \vee H \sqcup \Pi \leftarrow \downarrow \leq \vee \mid \angle \psi(T + \geq \theta T, \psi \square \{ \mid \varepsilon T < \square \leftrightarrow > \bullet \therefore TM \sqcup \& \square$
 $\therefore \theta T^{TM} \therefore \square + \& \square ?$

Section - C

III. Answer any two of the following.

2 x 20 = 40M

14. Write any two definitions of contract? What are the essentials of a valid contract?

$\downarrow \pm + \mid \{ '' \oplus \leq \square \dots \square \sigma \Im \cap \# \langle \theta \varepsilon TT \therefore T \Re \sigma + \& \square T \mid \psi \square \phi(TT \varepsilon TT ? \downarrow \pm + \mid \{ '' \oplus \leq \square \dots$
 $\square \varepsilon \Xi \rangle \leftrightarrow \downarrow \pm \therefore T \exists \varepsilon] + \# \langle T \varepsilon TT ?$

15. What is Discharge of contract? Write about the Various modes of Discharge of contract?

$\downarrow \pm + \mid \{ '' \oplus \leq \square \dots \vee'' < \square \leftrightarrow^{TM} \square \exists \psi \mid \sqrt{\#} \langle \theta \varepsilon TT \vee \theta > \pm H \sqcup \exists T ? \exists \exists < \varepsilon \Im \downarrow \pm \mid \supset \Pi \theta$
 $\vee'' < \square \leftrightarrow^{TM} \square \exists \psi \mid \sqrt{\#} \langle \theta \varepsilon TT \mid \square < \square \uparrow^{TM} \langle T \therefore \theta T \mid \psi \square \phi(TT \varepsilon TT.$

16. Who is an unpaid seller? Explain the Rights of an unpaid seller?

$\# \mid *' + \mid \square \vee \cup \sigma \Im T > \bullet \square \vee \varepsilon T \square \downarrow \leq \varepsilon TT < \square \sigma \Im T \vee \theta > \pm \cong \varepsilon \sigma \Im T ? \vee^{TM} \langle \square \downarrow \mid > \bullet \therefore \varsigma \square ''$
 $\oplus \leq \square \neg \therefore \theta T \exists \varepsilon] + \# \langle + \& \square ?$

J.M.JCOLLEGE FOR WOMEN, TENALI(Autonomous)

III B.Com General

Management Accounting

Semester – V

Elective – II

PPW:5

Unit – I: Introduction

Definition, scope, objective of management Accounting - Management Accounting Vs. Financial Accounting and Cost Accounting. Installation of Management Accounting system- Role of Management Accounting – Controller functions – Management Information System (Theory only)

Unit –II: Financial Statement Analysis

Meaning, types, use and limitationsof financial statements. Meaning, process and techniques of analysis of financial statements – comparative, common size statements and trend analysis (including problems)

Lab: using Excel/ Accounting packages computation of problems on various techniques of financial statements analysis.

Unit –III:Ratio Analysis

Meaning, Classification, advantages and limitations of ratio analysis. Computation and interpretation of accounting ratios: liquidity, profitability, activity and solvency ratios(including problems).

Lab: using Excel/ Accounting packages computation of problems on Ratio Analysis

Suggested readings:

1. Introduction to Management Accounting : Charles t, Horn GaxyL.Sundem
2. Tools an Technique of Management Accounting: N.Vinayakam
3. Management Accounting: S.P.Gupta
4. Management Accounting: Manmohan&Goyal
5. Management Accounting: V.Krishna Kumar
6. Practical problems in Management Accounting: Dr.Kulsreshtha and gupta
7. Management Accounting: J.R.Monga&M.Prabhakar Reddy
8. Management Accountancy: H.Premraja, Srihamsarala
9. Management Accountancy: SudhindraBhat
10. Management Accounting: Bhattacharya
11. Management Accounting: Sharma ShashiK.Gupta

J.M.JCOLLEGE FOR WOMEN, TENALI(Autonomous)

III B.Com General

Management Accounting

Semester – VI

Elective – II

PPW:5

Unit – I: Funds Flow Analysis

Concepts of fund and fund flow – Preparation of funds flow statement.Uses and limitations of funds flow.

Lab: using Excel/Accounting packages computation of problems on fund flow statements.

Unit –II: Cash Flow Analysis

Concepts of cash and cash flow – preparation of cash flow statement as per Accounting Standard No.3- Uses and limitations of cash flow analysis (including problems)

Lab: using Excel/Accounting packages computation of problems on Cash Flow statements.

Unit – III: Capital Budgeting

Meaning and importance of capital budgeting- process of capital budgeting- Methods of capital budgeting: Traditional and time – adjustment methods (including problems).

Suggested readings:

1. Introduction to Management Accounting : Charles t, Horn GaxyL.Sundem
2. Tools an Technique of Management Accounting: N.Vinayakam
3. Management Accounting: S.P.Gupta
4. Management Accounting: Manmohan&Goyal
5. Management Accounting: V.Krishna Kumar
6. Practical problems in Management Accounting: Dr.Kulsreshtha and gupta
7. Management Accounting: J.R.Monga&M.Prabhakar Reddy
8. Management Accountancy: H.Premraja, Srihamsarala
9. Management Accountancy: SudhindraBhat
10. Management Accounting: Bhattacharya
11. Management Accounting: Sharma ShashiK.Gupta

J.M.JCOLLEGE FOR WOMEN, TENALI(Autonomous)

III B.Com General

Management Accounting

Semester – VI

Elective - II

Time : 3Hrs.

Max.Marks:70

Section – A

I. Answer all of the following.

10 x 1 = 10M

1. $\varepsilon_{TT} \therefore < \int \square \theta \square \& \square \blacklozenge \{ \mid + > \times v\theta > \pm H \} \exists T?$
2. $\varepsilon_{TT} \therefore < \int \square \theta \square \& \square \blacklozenge \{ \mid + > \times \exists \exists < \int \square \mid \square < \square \uparrow^{TM} \langle T \therefore \theta T^{TM} \mid \therefore T \in \varepsilon_{TT}.$
3. $\square \sigma \mathfrak{S} \cap \zeta \square " \Delta \varepsilon T \vee \therefore < \int \square \theta + v\theta > \pm H \} \exists T?$
4. $\mid \mid \square \delta \square T \mid^{TM} \langle \square \delta \square T \mid \therefore T v\theta > \pm H \} \exists T?$
5. $\mid \mid \square \delta \square T \mid^{TM} \langle v \mid \square \square \therefore \oplus \leq \square \square < \square \zeta \square " \sigma \mathfrak{S} \Delta \therefore T \mid \psi \square \varphi \langle TT \varepsilon TT.$

6. $v \Leftarrow^{TM} (*\mathfrak{R} \sqcup \Pi \theta \varepsilon T \vee \therefore < \int \square \theta \square \& \setminus \blacklozenge \{ \mid + > \phi \supset \sqcup \int \square \sqcup \} \cong \sim ?$
7. $\theta > \bullet < \square T \mid \mid \square \psi \square \zeta \square " \square \psi \sqcup \sim \sqcup \leq v\theta > \pm H \sqcup \exists T ?$
8. $\theta > \bullet < \square T \varepsilon T \vee \therefore < \int \square \sigma \square \therefore T \cong \exists ?$
9. $\square \sim \int v\theta > \pm H \sqcup \exists T ?$
10. $\sqcup \pm \sigma \mathfrak{Z} \leftrightarrow \sqcup \leq \} " \beta \subseteq \therefore T < \square \cap \sigma \square \varepsilon \# \sqcup \sqsubset \square < \int \square T \therefore \theta T < \sqcup \square \square \quad^{TM} \langle \varphi \langle \sqrt{\sigma \mathfrak{Z} T \#} \sqcup \varphi \langle T \& \square + < \square \cap \sigma \square \sqcup \leq \theta T > = + \{ " \sigma \mathfrak{Z} T.$

Section - B

II. Answer any two of the following.

2 x 10 = 20M

11. $\sim > \bullet T \varepsilon \square \delta \text{---} \mid v \mid \square \square \therefore \mid \square \{ Y \dots \therefore \theta T + \& \square \square \sigma \mathfrak{Z} \Delta \varepsilon T \vee \therefore < \int \square \theta + \} \not\subset \varepsilon \# \sqcup \sqsubset \varepsilon \sqrt{\sigma \mathfrak{Z} T} \in \therefore \theta T \sqcup \leq \theta T > = H \sqcup \square \psi \sqcup \sim \sqcup \leq \quad^{TM} \langle \varphi \langle \sqrt{\sigma \mathfrak{Z} T \#} \sqcup \varphi \langle T + \& \square .$

$v \mid \square \square \therefore T$	2008	2009	$\square \delta \square T \mid \therefore T$	2008	2009
$\varepsilon T \vee \therefore < \int \square \theta +$	3,00,000	3,75,000	$\varphi \langle T + \mid \quad^{TM} \square \therefore T$	70,000	1,00,00
$\square T T \Delta < \square \quad^{TM} \langle$	1,06,000	70,000	$\delta \square \sigma \mathfrak{Z} T \oplus \leq \square$	1,21,000	0
$\therefore T$	14,000	31,000	$\square T T \Delta \mid > \bullet \delta \square T \mid$	1,81,000	1,36,00
$\} " \cup \int " Y " \quad^{TM}$			$\therefore T$	48,000	0
\square			$\theta > \bullet < \square T$		1,70,00
					0
	4,20,000	4,76,000		4,20,000	70,000
					4,76,00
					0

12. $\sim > \bullet T \varepsilon \exists \varepsilon \sigma \square \therefore \theta T + \& \square \theta > \bullet < \square T \mid \delta \square \varepsilon + \Leftarrow \square \psi \sqcup \sim \sqcup \leq \theta T \quad^{TM} \langle \varphi \langle \sqrt{\sigma \mathfrak{Z} T \#} \sqcup \varphi \langle T T \varepsilon T T.$

$v \mid \square \square \therefore T$	2006	2007	$\square \delta \square T \mid \therefore T$	2006	2007
$\varepsilon T \vee \therefore < \int \square \theta +$	2,00,000	2,50,000	$\theta > \bullet < \square T$	30,000	47,000
$\square T T \Delta < \square \quad^{TM} \langle \therefore T$	70,000	45,000	$\square T T \Delta \mid > \bullet \delta \square T$	1,20,000	1,15,00
$\} " \cup \int " \theta \chi \subseteq \dots \therefore$	10,000	23,000	$\mid \therefore T$	80,000	0
$Y " \quad^{TM} \square$			$\delta \square \sigma \mathfrak{Z} T \oplus \leq \square$	50,000	90,000
			$\cup \int \square \sqrt{\exists T}$		66,000
	2,80,000	3,18,000		2,80,000	

					3,18,000
--	--	--	--	--	----------

13. $\varepsilon T \vee \therefore < \int \square \theta \square \& \blacklozenge \{ \mid + > \times v \theta > \pm H \} \exists T? < \square \square \mid \beta \subseteq \varepsilon T T K \leftarrow \theta T \left[\exists \varepsilon \right] + \equiv \varepsilon T \vee \therefore$
 $< \int \square \theta \square \& \blacklozenge \{ \wedge \theta T \mid \psi \square \varphi \langle T T \varepsilon T T.$

Section - C

III. Answer any two of the following.

2 x 20 = 40M

14. $\square \mid \downarrow \mid + \sim \square \equiv c \theta \mid \beta \subseteq X \supset \oplus \leq \square \dots \mu \varepsilon T \mid \varphi \langle T T \mid \beta \subseteq X \supset \oplus \leq \square \dots _ \therefore \delta \square \varepsilon \vee \# \square \sigma \mathfrak{Z} +$
 $\square < \int \square \sigma \mathfrak{Z} + > \pm \delta \square > \bullet \geq T \sigma \square \square \& \square \neq \sigma \geq T \theta T \downarrow \leq \theta T > = \theta T \varepsilon T T.$

$\square \mid \geq T \dots \square \& \square$ $v + \# \langle H \square \mathfrak{Z} \exists^{TM} \langle \downarrow \pm \therefore +$ $\delta \square + \varepsilon^{TM} \langle \diamond \sigma \square \therefore T$	$\sigma \mathfrak{Z} \vee .20,000$ $4 \delta \square + \varepsilon^{TM} \langle \diamond \sigma \square \therefore T$ $\mid \beta \subseteq X \supset \oplus \leq \square \dots \mu$	$\sigma \mathfrak{Z} \vee .30,000$ $5 \delta \square + \varepsilon^{TM} \langle \diamond \sigma \square \therefore T$ $\mid \beta \subseteq X \supset \oplus \leq \square \dots _$
1	2,000	3,000
2	1,500	3,000
3	1,500	2,000
4	1,000	1,000
5	1,000	1,000
	6,000	10,000

$\square \downarrow \leq \psi \mid \Rightarrow \mid v \varepsilon \delta \square \sigma \mathfrak{Z} \psi \mid T \rightarrow \theta \sigma \square \square \& \square \neq \sigma \geq T 12\% v \sigma T T^{TM} \mid \equiv \mid \beta \subseteq X \supset \oplus \leq \square \dots$
 $\theta T \mu \theta T \square \downarrow \wp \psi \square *?$

15. $\sim > \bullet T \varepsilon \square \delta \text{---} \mid v \mid \square \square \therefore \mid \square \{ \mid \dots \square 1.1.2006, 2.2006 \mu, _ \therefore \oplus \leq \square \delta \square + \square + \sim + \equiv \theta$
 $\exists.$

$v \mid \square \square \therefore T$	1.1.2006	31.12.2006	$\square \delta \square T \mid \therefore T$	1.1.2006	31.12.2006
$\square T T \Delta < \square^{TM} \langle \therefore T$	40,000	40,000	$\theta > \bullet < \square T$	10,000	7,000
$\mu v \mid \sigma \mathfrak{Z} \leftrightarrow \theta T + \& \square$	25,000		$\square T T \Delta \mid > \bullet \delta \square$	30,000	50,000
$v \mid \square \square \therefore T$	40,000	50,000	$T \mid \therefore T$	35,000	25,000
$v'' + \oplus \leq \square \theta T + \& \square \mid \wp$	1,25,000	1,53,000	$\delta \square \sigma \mathfrak{Z} T \oplus \leq \square$	80,000	55,000
θT			$\varphi \langle T + \mid^{TM} \square \therefore$	40,000	50,000

$\varepsilon T \vee \therefore < \int \square \theta +$			T $\cup \int \square \sqrt{\exists T}$ $\cup \int \square \varepsilon H \square \therefore T$	35,000	60,000
	2,30,000	2,47,000		2,30,000	2,47,000
				0	0

$\delta \square + \varepsilon^{TM} \langle \diamond \sigma \mathfrak{S} + \rangle \not\leq \sigma \mathfrak{S} \vee .10,000 \therefore T K \downarrow < \square T \# \square \delta \varphi \langle T + \mid^{TM} \square \square \square (\delta \square + \equiv^{TM} \langle^{TM} \langle \sigma \mathfrak{S} T > \bullet T < \square \therefore 3,000) \sigma \mathfrak{S} \vee .5,000 : \oplus \leq \square \vee \exists T \square H \square \sigma \mathfrak{S} T. \langle \sigma \mathfrak{S} T > \bullet T < \square \therefore \cong \sigma \square \in \geq T \square \varphi \langle T + \mid^{TM} \langle + \square \mid \Pi 1.1.2006 H \square \& \square T \sigma \mathfrak{S} \vee .25,000 \varepsilon T \mid \varphi \langle TT 31.12.2006 H \square \& \square T \sigma \mathfrak{S} \vee .40,000 \square \theta \square \sim.$

$2006 \rangle \not\leq \sigma \mathfrak{S} \vee .45,000 \therefore T \square \lhd \leq \sigma \mathfrak{S} \rangle \vee \int \square + \varepsilon \equiv \subset + \sim. \square \mid \Pi \exists \varepsilon \sigma \square \therefore \langle^{TM} \not\leq \theta > \bullet < \square T \mid \square \psi \square \zeta \square \text{"} \square \psi \mid \sim \lhd \leq \theta T \langle \varphi \langle \sqrt{\sigma \mathfrak{S} T} \# \mid \varphi \langle TT \varepsilon TT.$

16. $\sim > \bullet T \varepsilon \square \equiv \subset \theta \chi$

$\text{Ltd.} \square \delta \text{---} \mid \vee \mid \square \square \therefore \mid \square \{ \mid \dots \theta T + \& \square \square < . \mid \square \square T \psi \square \zeta \square \text{"} \square \psi \mid \sim \lhd \leq \langle^{TM} \langle \varphi \langle \sqrt{\sigma \mathfrak{S} T} \# \mid \varphi \langle TT \varepsilon TT.$

$\vee \mid \square \square \therefore T$	2005	2006	$\square \delta \square T \mid \therefore T$	2005	2006
$\psi \square \{ \text{"} \varepsilon T \vee \therefore < \int \square \theta +$	1,00,000	1,25,000	$\cup \int \square \sqrt{\exists T}$	1,00,000	95,000
$\kappa \subseteq < \int \square \sigma \mathfrak{S} \Delta \mid \cup \sigma$	0	30,000	$\beta \subseteq' + \geq T$	75,000	84,500
$\mathfrak{S} T \cap$	25,000	15,300	$\delta \square \sigma \mathfrak{S} T \oplus \leq \square$	50,000	37,000
$\rangle \vee \int \text{"} \theta \chi \subseteq \dots \therefore$	15,250	20,000	$\square T T \Delta \mid > \bullet \delta \square T$	40,000	32,100
$Y''^{TM} \square$	35,000	47,600	$\mid \therefore T$	250	300
$\vee \text{"} \leftrightarrow + \oplus \leq \square \rangle \not\leq \theta T$	75,000	17,500	$\theta > \bullet < \square T$		6,500
$\square T T \Delta < \square \langle^{TM} \langle \therefore T$	15,000		$> \bullet T \& \square \exists \rangle \wedge$		
$\mid \square \theta T \in \therefore \oplus \leq \square \cong \sigma$		2,55,400		2,65,250	2,55,400
$\square \in \geq T$	2,65,250				0

$\vee < \square \theta \mid \vee \delta \square \varepsilon \vee \# \square \sigma \mathfrak{S} + \exists$

$\mu. \# \mid *' + \equiv \theta \& \square \exists \& \mid + \& \square T' \sigma \mathfrak{S} \vee .11,500$

$_ . \beta \subseteq' + \geq T \square \mid \Pi \sigma \mathfrak{S} < \square T \hat{\#} \mid \delta \text{---} \theta \langle^{TM} \langle \sigma \mathfrak{S} T > \bullet T < \square \therefore \sigma \mathfrak{S} \vee .2000$

$\delta \text{---} . \# \mid *' + \equiv \theta \square < \square \varphi \langle T \mid \square \theta T \square \sigma \mathfrak{S} \vee .16,500$

J.M.JCOLLEGE FOR WOMEN, TENALI(Autonomous)

III B.Com General

Management Accounting
Semester – V
Elective - II

Time : 3Hrs.

Max.Marks:70

Section – A

I. Answer all of the following.

10 x 1 = 10M

1. $\square \int \partial \leq \square \psi \sim \leq \therefore T \cong \exists ?$
2. $\psi \setminus TH \setminus X \wedge \psi \setminus T + \{ \wedge v \leq \square + \{ \{ + > \times v + \phi \} \cong \exists T \{ \{ ?$
3. $\square \int \partial \leq > \bullet \Delta \Xi / \delta \square \mid \mid \square \int \exists T^{TM} \langle T \therefore T \Re \sigma + \& \square T^{TM} \setminus \therefore T \mid \square v \in TT.$
4. $\square \sigma \Im \cap \varsigma \square " \Delta \delta \square \varepsilon \sqrt{\#} \square \sigma \Im \varepsilon \leftrightarrow \varepsilon \delta \square \emptyset v \theta > \pm H \int \exists T ?$
5. $^{TM} \langle T \therefore H \square ^{TM} \langle \square \leq \square \delta \text{---} \mid v \mid \square \square \therefore \mid \square \{ \{ \dots v \theta > \pm H \int \exists T ?$
6. $\square \sigma \Im \cap \varsigma \square " \Delta \rangle ^{TM} \langle \sigma \Im \varepsilon \leftrightarrow \varphi \sqrt{\cdot} \therefore T \cong \exists ?$
7. $v \mid \square \square \square \leq \{ \cap \{ \{ \square \omega \square \in \leftarrow \mid v \theta > \pm H \int \exists T$
8. $\} \sigma \Im \emptyset \cap \exists \Xi \otimes ' \omega \square \Delta v \theta > \pm H \int \exists T ?$
9. $\square \int \partial \leq \exists \Xi \otimes ' \omega \square \Delta \oplus \leq \square \square \mid \square \varphi \setminus \sqrt{\angle + \#} \rfloor \kappa \subseteq < \int \square H \square \therefore T \cong \exists ?$
10. $\square \omega \square \in \leftarrow \mid v \theta > \pm H \int \exists T ?$

Section - B

II. Answer any two of the following.

2 x 10 = 20M

11. $\sim > \bullet T \varepsilon \setminus " v \int " \theta \chi \subseteq \dots \therefore Y^{TM} \square \theta T + \& \square 31.12.2007, 2008 \delta \square + \varepsilon ^{TM} \langle \diamond \sigma \square \therefore \oplus \leq \square$
 $\varepsilon TT \therefore H \square ^{TM} \langle \square \leq \square < \square \varphi \langle T \square \psi \sim \leq ^{TM} \langle \varphi \sqrt{\sigma \Im T \#} \rfloor \varphi \langle T + \& \square .$
 $\setminus " v \int " \theta \chi \subseteq \dots \therefore Y^{TM} \square$
 $(\therefore \leq \square \therefore \setminus \varnothing)$

	2007	2008		2007	2008
To v $\exists T \square \theta \varepsilon \delta \square T \mid \varepsilon v \therefore \varepsilon$	600	750	By	800	1000
$\leftrightarrow \varphi \langle T +$	20	20	$\square \leq \sigma \Im v \varepsilon T \square \leq$		
To $\square \sigma \Im \cap \varsigma \square " \Delta K \sigma \Im T \subset$	30	40	$\pm \therefore T$		
$\therefore T$	150	190			
To v $\varepsilon T \square \leq + K \sigma \Im T \subset \therefore$					
T					
To $\square \leq \sigma \Im \setminus " v \int \square +$	800	1,000		800	1,000

12. $\square \leq \leq + \square \mid \mid \square \delta \text{---} v \mid \square \square \therefore \mid \square \{ \{ \dots \theta T + \& \square \mid \leq \{ + \sim \psi \square \{ \{ \square \} \supset \leq \{ \neg + \# \langle + \& \square 1.$
 $\mid \mid \square \delta \square T \mid ^{TM} \square \omega \square \in \leftarrow \mid 2. \mid < \square \varepsilon \leftrightarrow ^{TM} \langle \cap \square \omega \square \in \leftarrow \mid$

3. $\varphi(\sqrt{\cup}\varepsilon\sqrt{\theta}\leftrightarrow \square \omega \square \in \Leftarrow |.$

$v \square\square\therefore T$	$\sigma\mathfrak{Z}\sqrt{.}$	$\square\delta\square T \therefore T$	$\sigma\mathfrak{Z}\sqrt{.}$
5,000 $\square \downarrow\cap\{\mid \psi\square\}\therefore T\psi$		$\upsilon\int\square\sqrt{\varepsilon}TT\therefore T\upsilon\int\square\varepsilon\theta$	6,00,000
$\square\{\}\text{''}1\downarrow\mid$	5,00,000	$TT\therefore T$	5,00,000
$\sigma\mathfrak{Z}\sqrt{.}100$		$\beta\subseteq'+\geq T\varphi\langle T+\mid^{\text{TM}}\square\therefore T$	2,40,000
8% 2000 $\square\sim\int\downarrow\leq\leftrightarrow \square\vee$	2,00,000	$\delta\square\sigma\mathfrak{Z}T\oplus\leq\square$	2,00,000
$\psi\square\{\}\therefore T$	4,00,000	$\square T\Delta\mid>\bullet\delta\square T \therefore T$	55,000
$\&\square\upsilon\supset+\#\langle\sigma\mathfrak{Z}T'\text{ }9\%$	3,00,000	$\upsilon''\leftrightarrow+\oplus\leq\square\}\not\subset\theta>\bullet<\square$	5,000
$] \cup \sigma\mathfrak{Z}T\cap\therefore T$	1,50,000	T	
$\square T\Delta<\square^{\text{TM}}\langle\therefore T$	50,000	$\varepsilon TT+<\square T>\pm\#\mid*'+\equiv\theta$	
$\upsilon''\leftrightarrow+\oplus\leq\square\zeta\varepsilon\sigma\Psi\mid\&\square \square\tau$		$Y''^{\text{TM}}\square$	
...			
	16,00,000		16,00,000
	0		

13. $\mid\downarrow\mid+\sim\square\delta\text{---}\mid v|\square\square\therefore|\square\{\mid\ldots\therefore\theta T\delta\square\varepsilon T|\square]\varepsilon\sqrt{\Delta}\square\delta\text{---}\mid v|\square\square\therefore|\square\{\mid\ldots>\pm\varepsilon\sqrt{\sigma}$
 $\mathfrak{Z}\subset+\&\square.$

$v \square\square\therefore T$	2006	2007	$\square\delta\square T \therefore T$	2006	2007
$\varepsilon T\sqrt{\therefore}<\int\square\theta+$	1,000	1,200	$ \square\delta\square T \text{TM}\langle\square\delta\square$		
$] \cup \sigma\mathfrak{Z}T\cap$	90	185	$ \therefore T\mathfrak{z}$	450	390
$\kappa\subseteq<\int\square\sigma\mathfrak{Z}\Delta\text{]}\cup\sigma$	500	450	$\square T\Delta\mid>\bullet\delta\square T \therefore T$	200	15
$\mathfrak{Z}T\cap$	90	100	$\theta>\bullet<\square T$	320	250
$\square\neq\downarrow\square \square\square\sim\int$	450	650	$\delta\square\sigma\mathfrak{Z}T\oplus\leq\square$	800	1,400
$\&\square\#\mid+\#\langle\sigma\mathfrak{Z}T'$	200	150	$\upsilon\int\square\varepsilon H\square\therefore T$	198	345
$\square T\Delta<\square^{\text{TM}}\langle\therefore T$	15	20	$\upsilon\int\square\sqrt{\exists}T$	77	105
$\square^{\text{TM}}\langle\sigma\square\therefore T$			$ \square\square\downarrow\square\#\langle\sigma\Psi$		
	2,345	2,755		2,345	2,755

Section - C

III. Answer any two of the following.

2 x 20 = 40M

14. $\sim>\bullet T\varepsilon\delta\square\varepsilon\sqrt{\#}\square\sigma\mathfrak{Z}+\theta T+\&\square\square\downarrow\leq\square^{\text{TM}}\langle\varepsilon\Leftarrow+\mid\delta\square\emptyset\varepsilon\leftrightarrow\varepsilon\zeta\square^{\text{TM}}\sigma\square\therefore|\square\square*^{\text{TM}}$
 $\square\square\square\mid|\square\varepsilon\square\Leftarrow\mid\Xi\langle^{\text{TM}}\langle\varepsilon TT\therefore\theta T\square|\square\varphi\mid\sqrt{\angle}\delta\square T|\upsilon\theta\cap\sigma TT+\#\langle+\&\square$

$\exists \varepsilon \sigma \square \therefore T$	2002 $\sigma \mathfrak{Z} \vee$	2003 $\sigma \mathfrak{Z} \vee$	2004 $\sigma \mathfrak{Z} \vee$	2005 $\sigma \mathfrak{Z} \vee$
$\square \downarrow \leq \sigma \mathfrak{Z} \vee \varepsilon T \square \downarrow \pm \therefore T$	100.00	95.00	120.00	130.00
$\bar{\vee} \exists T \square \theta \varepsilon \delta \square T \mid \varepsilon \vee \therefore \varepsilon \leftrightarrow \varphi \langle T$	60.00	58.90	69.60	72.80
$\delta \square \sqrt{\emptyset} \therefore \mathfrak{Z}'' \vee \int \square +$	40.00	36.10	50.40	57.20
$\square \sigma \mathfrak{Z} \cap \varsigma \square " \Delta K \sigma \mathfrak{Z} T \subset \therefore T$	10.00	9.70	11.00	12.00
$\square \sigma \mathfrak{Z} \cap \varsigma \square " \Delta \mathfrak{Z}'' \vee \int \square +$	30.00	26.40	39.40	45.20

15. $\sim > \bullet T \varepsilon \square \equiv \subset \theta \exists \varepsilon \sigma \square \therefore {}^{\text{TM}} \wp \exists \therefore T \varepsilon \therefore \theta T \downarrow \leq \theta T > = \square \square \delta \text{---} \mid \vee \mid \square \square \therefore \mid \square \{ \{ \dots \square {}^{\text{TM}} \langle$
 $\varphi \langle \sqrt{\sigma \mathfrak{Z} T} \# \mid \varphi \langle T T \varepsilon T T.$
 $\mid \mid \square \delta \square T \mid {}^{\text{TM}} \langle \square \omega \square \in \Leftarrow \mid 2.5$
 ${}^{\text{TM}} \langle \cap \mid {}^{\text{TM}} \langle \square \omega \square \in \Leftarrow \mid 1.5$
 $\delta \text{---} \emptyset \sigma \square \delta \square T \mid \therefore T / \varphi \langle \sqrt{\cup \varepsilon \vee \theta} \leftrightarrow \square < \int \square T \therefore T 0.75$
 $\square \sigma \mathfrak{Z} \cap \varsigma \square " \Delta \varepsilon T \vee \therefore < \int \square \theta + \sigma \mathfrak{Z} \vee .60,000$
 $\mid \cup \sigma \mathfrak{Z} T \cap \therefore T \exists T > \bullet T \Rightarrow \mid \square \Downarrow \sigma \mathfrak{Z} \vee .40,000$
 $B \sigma \mathfrak{Z} \lceil \downarrow \pm * \downarrow \leq \sigma \mathfrak{Z} T \Delta " \therefore T, \downarrow \leq * \in {}^{\text{TM}} \langle \square \delta \square T \mid \therefore T \downarrow \pm \varepsilon \vee$
 16. $\square \sigma \mathfrak{Z} \cap \varsigma \square " \Delta > \bullet \Delta \downarrow \leq \Xi \mid \delta \square \mid \varepsilon T T \theta T \square \sigma \mathfrak{Z} \cap \equiv + \equiv < \square \square \mid \square \sim \int, \varepsilon T T K \leftrightarrow \square < \mid \emptyset \Xi \lceil$
 $\leftrightarrow \therefore \theta T > \bullet \vee \mid \subset \mid \psi \square \varphi \langle T T \varepsilon T T.$

J.M.JCOLLEGE FOR WOMEN, TENALI(Autonomous)

III B.Com General & Computers

Corporate Accounting

Semester – V

PPW (4+1)

Objective:

1. To provide the knowledge relating to the Accounting Standards
2. To enable students to company final accounts using computers
3. To enable the students to prepare financial statements of insurance and bank companies.

Unit- I: Accounting standards - Valuation of goodwill

Accounting standards- need and importance-an overview of Indian Accounting standards
Valuation of goodwill-Need and methods-Normal profit method, Super profits method-capitalization method.

Unit –II: Valuation of Shares

Need for Valuation-methods of valuation-Net assets Method, yield Basis method, Fair Value Method.

Unit-III: Company Final Accounts

Preparation of Final Accounts-Provisions relating to preparation of Final accounts-Profit and Loss Account and balance sheet-Preparation of final accounts using computers.

Unit-IV: Issue of bonus shares

Provisions of Company's Act and SEBI guidelines Acquisition of business and profits prior to incorporation-accounting treatment.

Unit-V: Amalgamation

In nature of merger and purchase-Calculation of purchase consideration-Treatment in the books of transferor and transferee (as per Accounting Standard 14, excluding inter- Company holdings) Recordings of transactions relating to mergers using computers.

Suggested Readings:

1. Principles and Practice of Accounting , R.L. Gupta & V.K. Gupta, Sulthan Chand & Sons
2. Accountancy-III ,Tulasian,TataMcgraw Hill Co
3. Financial Accounting, Dr. V.K. Goyal, Excel books
4. Introduction to Accountancy., T.S. Grewal, S. Chand
5. Modern Accountancy Vol-II. , Haneef and MukherjeeTataMcgraw Hill CO
6. Advanced Accountancy,Arulanandam , Himalaya publishers
7. Advanced Accountancy Vol-II ,S.N.Maheswary& V.L. MaheswaryVikash Publishing co.
8. Advanced Accountancy,Shukla and grewal S. Chand & sons
9. Advanced Accountancy, R.L. Gupta and Radhaswamy, Sulthanchand& sons
10. Corporate Accounting , GoyalVK,Excel

J.M.JCOLLEGE FOR WOMEN, TENALI(Autonomous)**III B.Com General & Computers****Corporate Accounting****Semester – VI****PPW (4+1)****Objective:**

1. To provide the knowledge relating to the Accounting Standards
2. To enable students to company final accounts using computers

3. To enable the students to prepare financial statements of insurance and bank companies.

Unit –I: Internal Reconstruction

Internal Reconstruction-Accounting Treatment-Preparation of final statements after reconstruction-Recording of transactions relating to Internal Reconstruction using computers.

Unit –II: Bank Accounts

Bank Accounts-Books and Registers to be maintained by banks-Slip system of posting- rebate on bills discounted-Schedule of advances-Non-performing assets-Legal provisions relating to Preparation of Final accounts-Preparation of bank Final Accounts using computers.

Unit-III

Life Insurance Companies-Preparation of Revenue Account, Profit and Loss account, Balance Sheet and Valuation Balance Sheet.

Unit-IV

General insurance Preparation of Final accounts-with special reference to fire & marine insurance only.

Suggested Readings:

1. Principles and Practice of Accounting , R.L. Gupta & V.K. Gupta, Sulthan Chand & Sons
2. Accountancy-III ,Tulasian,TataMcgraw Hill Co
3. Financial Accounting, Dr. V.K. Goyal, Excel books
4. Introduction to Accountancy., T.S. Grewal, S. Chand
5. Modern Accountancy Vol-II. , Haneef and MukherjeeTataMcgraw Hill CO
6. Advanced Accountancy,Arulanandam, Himalaya publishers
7. Advanced Accountancy Vol-II ,S.N.Maheswary& V.L. MaheswaryVikash Publishing co.
8. Advanced Accountancy,Shukla and grewal S. Chand & sons
9. Advanced Accountancy, R.L. Gupta and Radhaswamy, Sulthanchand& sons
10. Corporate Accounting , GoyalVK,Excel
11. Corporate Accounting,Verma KK,Excel
12. International Accounting,Saudagaran,Cengage

J.M.JCOLLEGE FOR WOMEN, TENALI(Autonomous)

III B.Com General & Computers

Corporate Accounting

Semester – V

Time : 3Hrs.

Max.Marks:70

Section– A

I. Answer all of the following.

10 x 1 = 10M

1. Define Accounting Standards.

$$\forall x \in A, \{ \{ + > x \} \mid \mid x \in \sqrt{\Delta} \} \therefore T \in \sigma \mathfrak{Z} \cap \equiv + \mid \mid \forall \varepsilon T T.$$

2. What is the need for valuation of goodwill?

$\text{Goodwill} = \text{Purchase Price} - \text{Fair Value of Identifiable Intangible Assets}$

3. What is the Importance of valuation of shares?

Valuation of shares is important for determining the fair value of the company and for the purpose of issuing shares at a premium or discount.

4. What is meant by preliminary expenses?

Preliminary expenses are the expenses incurred by a company before its incorporation, such as legal fees, printing costs, etc.

5. What is Discount on issue of shares?

Discount on issue of shares is the difference between the face value of the shares and the price at which they are issued.

6. What is meant by profits prior to incorporation?

Profits prior to incorporation are the profits earned by the promoters of a company before its incorporation.

7. What is meant by purchase consideration?

Purchase consideration is the value of the assets acquired by a company in exchange for its shares.

8. Define amalgamation.

Amalgamation is the process of combining two or more companies into a single entity.

9. What is Bonus share?

Bonus share is a share issued by a company without any consideration, out of its reserves.

10. Mention the methods of calculating purchase consideration?

The methods of calculating purchase consideration are: (i) Cost of Assets Acquired, (ii) Fair Value of Assets Acquired, (iii) Book Value of Assets Acquired, (iv) Liquidation Value of Assets Acquired.

Section- B

II. Answer any two of the following.

2 x 10 = 20M

11. From the following information calculate the value of goodwill of the Business of Samson.

Average capital employed in the business Rs.40,000 Net trading profit of the firm for the past 4 years 2006: Rs.12,200, 2007: Rs.11,000, 2008: Rs.2,000 and 2009: Rs.21,000

Rate of interest expected from capital Rs.10% Fair remuneration to the services of Samson Rs.3,600.

3 years purchase of additional profits on the basis of average profits of previous. Four years be treated as goodwill.

$\text{Goodwill} = \text{Average Capital Employed} \times \text{Rate of Interest} + \text{Fair Remuneration} - \text{Net Trading Profit}$

$\text{Goodwill} = 40,000 \times 10\% + 3,600 - 12,200 = 3,600$

2008: Rs.2,000, 2009: Rs.21,000

$\text{Goodwill} = 40,000 \times 10\% + 3,600 - 21,000 = 3,600$

$\text{Goodwill} = 40,000 \times 10\% + 3,600 - 2,000 = 3,600$

12. The balance sheet of 'A' Ltd. As on 31.12.2000 is given below.

The company decided to make partly paid shares fully paid out of P/L account. It was also decided to issue one fully paid bonus share for every two shares held and for this purpose the share premium was to be fully used first and later general reserve. Give Journal entries for the above.

$v \Box \Box \therefore T$	$\sigma\mathfrak{I}\sqrt{}$	$\Box \delta\Box T \therefore T$	$\sigma\mathfrak{I}\sqrt{}$
$v\sim \int \lrcorner \leq \Box^{\text{TM}}\langle \varepsilon T\sqrt{}\therefore <\div \Box \theta + 1,00,000$		$\delta\text{---}\emptyset \sigma\Box \delta\Box T $	15,00,000
$\psi\Box \{''\therefore T \psi\Box \{'' 1 \lrcorner 10\sigma\mathfrak{I}\sqrt{}. \#=\Box$	10,00,000	$\therefore T$	5,00,000
$\vee \theta$	7,50,000	$\# \langle \sigma\Box \delta\Box T \therefore T$	
$\psi\Box \{'' \lrcorner 1 \lrcorner \sigma\mathfrak{I}\sqrt{}.7.50 \#=\Box \vee \theta \# \lfloor$	4,00,000		
$*'+\equiv \theta \sim$	2,00,000		
$\kappa \subseteq < \int \Box \sigma\mathfrak{I}\Delta] \cup \sigma\mathfrak{I}T \cap$	2,50,000		
$\psi\Box \{'' \odot \exists T \varphi \langle T +$	4,00,000		
$\wr'' \cup \int'' \theta \chi \subseteq \dots \therefore Y''^{\text{TM}}\Box$			
$\Box TT\Delta < \Box^{\text{TM}}\langle \therefore T$	20,00,000		20,00,000

$$\begin{aligned} & \{^{\circ} \nu \{^{\circ} \theta \chi \subseteq \dots \vdash Y^{\circ \text{TM}} \square \theta T + \& \square \beta \subseteq \neg \square \neg \leq + \geq \# \{^{\circ} *' + \equiv \theta \psi \square \{^{\circ} \mid \square \Pi \} \mid \geq \pm \# \{^{\circ} *' + \mid \\ & \square \vee \nu \sigma T T \theta \exists \geq \pm \# \lfloor \varphi \langle T \varepsilon \rangle \supset \theta T. \varepsilon T \rfloor \varphi \langle T T \mid \mid \square \leftarrow \Re \sigma + \& \square T \psi \square \{^{\circ} \vdash \oplus \leq \square \square \neg \leq \psi \mid \vee \theta \\ & \delta \tau \psi \square \{^{\circ} \square \varepsilon \wedge \varepsilon \rangle \supset \theta T. \square \square \sigma \Im \square \varphi \langle \sqrt{\square \square \square \square} \# \langle \sigma \Im \Delta \square \mid \geq \dots \{^{\circ} \square \neg \mid \psi \square \{^{\circ} \mid \mid \odot \exists T \varphi \langle T + \\ & Y^{\circ \text{TM}} \square \theta T \psi \mid T T < \square \geq \exists \square \varphi \mid \sqrt{\angle + \equiv \varepsilon T \sigma \Im} \{^{\circ} \kappa \subseteq < \mid \square \sigma \Im \Delta \rfloor \cup \sigma \Im T \cap \theta T \exists \square \varphi \mid \sqrt{\angle + \\ & \# \langle \varepsilon \rangle \supset \theta T. \equiv \{^{\circ} \dots \mid \square < \square T \uparrow \vdash T \mid \psi \square \varphi \langle T T \mathfrak{T} T \end{aligned}$$

- Total sales up to 31.3.2003 Rs.10,00,000. Sales from 1.4.2002 to 31.7.2002 Rs.2,50,000.
- Gross profit for the year Rs.2,12,000
- Expenses debited to P/L a/c are as follows:

Particulars	Rs.
Rent	6,000
Insurance	1,500
Salaries	27,000
Selling expenses	9,000
Advertisement	8,000
Interest on debentures	4,000
Audit fees	1,200
Printing of Stationary	4,200
Depreciation on Machinery	30,000
Commission on sales	12,600
Bad debit(Rs.850 related to prior to incorporation)	2,400
General expenses	4,800
Director fees	2,600
Preliminary expenses	7,200

$$\begin{aligned} & \square \lhd \leq \lhd \leq + \square \mid \mid \cong \mid \vdash \neg \langle T \rangle \wedge 1, 2002 \theta \square \lhd \leq \theta \& \square T \delta \square T \mid \theta \square \psi \square \leftrightarrow \beta \subseteq \sigma \square \square \square \lhd = \theta T \\ & > = . : T \# \mid \delta \dashv + \sim . \varepsilon T \mid \varphi \langle T T \mid 31.7.2002 \theta \psi \square \leftrightarrow \beta \subseteq \sigma \mathfrak{T} \mid \beta \subseteq \sigma \mathfrak{T} + \nu \int \square \mid < \square T \varepsilon \mid \square \mid ^{\text{TM}} \\ & \square \square \square \beta \mathcal{J} + \sim \theta \sim . 31.3.2003 H \square \{ \mid \lhd \mid \exists \varepsilon \sigma \square \therefore T \mid \lhd \mid + \sim \psi \square < \int \square + > \pm \langle \mathbf{TH} \rangle \square \varphi \\ & \theta \psi \mid \sqrt{< \square T \oplus \leq \square \varepsilon T T + < \square T \varepsilon T \mid \varphi \langle T T^{\text{TM}} \langle \sigma \square \cap ^{\text{TM}} \langle \text{"} \nu \int " : T \lhd \leq \theta T > = H \mid \square \{ \mid \dots \lhd \\ & \leq \theta T^{\text{TM}} \langle \varphi \langle \sqrt{\sigma \mathfrak{T} T \# \mid \varphi \langle T T \varepsilon T T . \end{aligned}$$
$$(\) \delta \square + \varepsilon^{\mathrm{TM}} \langle \diamond \sigma \square \square \lrcorner \rceil \delta \square \sqrt{\emptyset} \therefore \}'' \mathfrak{u} \int \square + \sigma \mathfrak{S} \sqrt{.2, 12, 000}$$
 $\sigma\sqrt{v}$

6,000

$\int \varepsilon \sqrt{\quad} \quad 1,500$
 $9^{TM} \square \therefore T \quad 27,000$
 $v \varepsilon T \square \downarrow \leq + K \sigma \mathfrak{T} T \subset \therefore T \quad 9,000$
 $| \square \downarrow \leq \geq \theta \therefore T \quad 8,000$
 $\square \& \square \{ \wedge | \square \odot E \quad 1,200$
 $| \text{---} + \{ \{ + > \times / \square \delta \dots \omega \square \theta \downarrow \quad 4,200$
 $\phi \langle T + |^{TM} \langle + \square | \Pi^{TM} \langle \sigma \mathfrak{T} T > \bullet T < \square \therefore \quad 30,000$
 $v \varepsilon T \square \downarrow \pm \therefore \square | \Pi \downarrow \leq M T \omega \square H \square 12,600$
 $\sigma \square \square \mathfrak{b}'' \downarrow Y \therefore T \quad 2,400$
 $(M \{ " \} \not\subset \sigma \mathfrak{T} \sqrt{.850} \theta \psi \setminus \sqrt{< \square T \varepsilon T T + < \square T \downarrow \leq \therefore \varepsilon \vee)$
 $\kappa \subseteq < \int \square \sigma \mathfrak{T} \Delta K \sigma \mathfrak{T} T \subset \therefore T \quad 4,800$
 $\& \setminus \Pi \mathfrak{R} \sigma \downarrow \leq \dots \sigma \mathfrak{T}' | \square \odot E \quad 2,600$
 $| \beta \subseteq < \int \square \exists T \downarrow \leq K \sigma \mathfrak{T} T \subset \therefore T \quad 7,200$
 $1.9.2002 \varepsilon \sigma \mathfrak{T} \oplus \leq \square v \varepsilon T \square \downarrow \leq + < \square \sigma \mathfrak{T} T \therefore \oplus \leq \square \varepsilon \& \square f \# \setminus *' + | \square \vee \sigma \mathfrak{T} \sqrt{.5,00}$
0

Section– C

III. Answer any two of the following.

2 x 20 = 40M

14. The Balance Sheet of Deepak limited as on 31.3.2004 was as under.

Liabilities	Rs.	Assets	Rs.
4000 equity shares of Rs.100 each	4,00,000	Land of Building	2,50,000
General reserve	50,000	Machinery	1,20,000
P/L account	50,000	Investment at cost	70,000
Creditors	90,000	(Market value Rs.60,000)	
Provision for Taxation	40,000	Debtors	1,00,000
		Stock	80,000
		Cash at Bank	10,000
	6,30,000		6,30,000

Additional Information:

- Land and Building and Machinery are valued at Rs.2,40,000 and Rs.95,000
- Bad debts Rs.5,000
- Good will is to be taken at Rs.50,000

- d. The normal rate of dividend declared by such type of companies is 15% on paid up capital
- e. The average rate of dividend declared and paid by this company is 20% on its paid up capital. Calculate fair value of equity shares.

31.3.2004

H \square { | B | \square \downarrow } * \exists T $\phi \supset \& \square$ $\downarrow \leq + \square$ | | ϕ (T T $\downarrow \leq \neg \square$ δ — | v | \square \square \therefore | \square { | ... $\sim > \bullet$ T $\varepsilon \square$ $\varepsilon \cap$ \square & \square $\theta \sim$.

v \square \square \therefore T	$\sigma \mathfrak{Z} \sqrt{}$	\square $\delta \square$ T \therefore T	$\sigma \mathfrak{Z} \sqrt{}$
4,000 \square \downarrow \cap { $\psi \square$ { " \therefore T 100 $\sigma \mathfrak{Z}$	4,00,000	v \square $\sqrt{\exists}$ T v \square ε H \square \therefore	2,50,00
$\sqrt{}$. # = $\backslash \theta$	50,000	T	0
$\kappa \subseteq < \int \square$ $\sigma \mathfrak{Z} \Delta$] $\cup \sigma \mathfrak{Z} T \cap$	50,000	$\phi \langle T + ^{\text{TM}} \square$ \therefore T	1,20,00
$\wr'' \cup \int'' \theta \chi \subseteq \dots \therefore Y''^{\text{TM}} \square$	90,000	\square $ \geq T \dots \square$ & \square T \therefore (K \downarrow	0
\square T T $\Delta < \square$ $^{\text{TM}} \langle \therefore$ T	40,000	\square T)	70,000
\square θ T \square \therefore $\oplus \leq \square$ $\cong \sigma \square$ $\in \geq T$		($\varepsilon \sqrt{\mathfrak{R}} \sigma \neg \{ \wedge \exists \therefore T \varepsilon 60$	1,00,00
		,000)	
		\square T T $\Delta > \bullet \delta \square$ T \therefore T	0
		$\delta \square$ $\sigma \mathfrak{Z} T \oplus \leq \square$	80,000
	6,30,000	v'' $\leftrightarrow + \oplus \leq \square$ $\wr \not\subset \theta > \bullet < \square$	10,000
		T	
			6,30,00
			0

v < \square θ | v $\delta \square$ $\varepsilon \sqrt{\# \square}$ $\sigma \mathfrak{Z} \varepsilon$ T T \exists

1.

v | \square $\sqrt{\exists}$ T v | \square ε H \square \therefore T ε T] $\phi \langle$ T T $\phi \langle$ T + | $^{\text{TM}} \square$ \therefore T $\sigma \mathfrak{Z} \sqrt{}$. 24,000 ε T] $\phi \langle$ T T $\sqrt{}$ 95,000 \therefore $\oplus \leq \square$ $\exists \therefore T \varepsilon$ $\downarrow \leq \dots \square$ & \square $\theta \exists$.

2. $\sigma \square$ \square v'' \downarrow Y \therefore T $\sigma \mathfrak{Z} \sqrt{}$. 5,000

3. $> \bullet$ T & \square $\exists \wr \wedge$ $\sigma \mathfrak{Z} \sqrt{}$. 50,000 \therefore T $> \pm$ $\rho \delta \square$ T $\downarrow = \psi \square$ *.

4. \square $\sigma \mathfrak{Z} \downarrow \leq \psi$ (T $\rightarrow \theta$ $\downarrow \leq + \square$ | | \therefore $\wr \not\subset \kappa \subseteq < \int \square$ $\sigma \mathfrak{Z} \Delta$ & \square $\exists \&$ (+ & \square T $\neq \sigma \geq T$ # (* ' + # = θ ε T T \therefore < $\int \square$ $\theta + \square$ | Π 15% $> \pm \square$ $\sigma \mathfrak{Z} \square$ σ T T + # (& \square ψ (T $\rightarrow \theta \sim$.

5. $\delta \square$ $> \bullet \geq T$ & \square $\exists \&$ (+ & \square T $\neq \sigma \geq T$ 20% # (* ' + $\equiv \theta$ ε T $\sqrt{}$ \therefore < $\int \square$ $\theta + \square$ | Π \square \downarrow | \cap { | $\psi \square$ { " $\phi \langle$ T T $\downarrow \leq$ | $\exists \therefore T \varepsilon$ θ T $\downarrow \leq \theta$ T $> = \theta$ T ε T T.

15. The following trail balance has been extracted from the books of XYZ Ltd. As on 31.3.2001. you are required to prepare profit and loss account and Balance sheet as on that date.

Debit	Rs.	Credit	Rs.
Land of Buildings	34,000	Share Capital	1,00,000
Furniture	6,000	General reserve	5,000
Plant & Machinery	15,000	10% Debentures	40,000
Stock 31.3.2001	75,000	Creditors	4,000
Salaries	25,000	Gross Profit	75,000
Debtors	10,000	Interest on investments	1,000
5% Investments	20,000	Profit & Loss a/c on 1.4	35,000
Bank	5,000		
Advance income Tax	2,000		
Debenture interest	2,000		
Directors fee	7,000		
Rent rates & Insurance	24,000		
Goodwill	35,000		
	<u>2,60,000</u>		<u>2,60,000</u>

1. Depreciation on assets

Land and buildings at 10%p.a

Plant and Machinery at 8% p.a

2. Provision for bad debts at 6%

3. The directors have recommended

a. Transfer Rs.3,000 to general reserve account

b. Equity dividend at 10% on the paid up capital

c. Provision for income Tax for Rs.4,000

31.3.2001 H□ { XYZ Ltd. v+↓≤ ~>•Tε □ ε∩□ &□ θ~. }"υ { " θχ⊆....∴ Y"™[T] ε
φ<TT □ δ—| v|□ □ ∴ |□ { |...□ ™<φ<√σΣT #]φ<TTεTT.

&ℓ_{^	σΣ√.	ℝ↓&□ {^	σΣ√.
υ { □ √∃T υ { □ εH□ ∴	34,000	εT√.∴< { □ θεTT	1,00,000
□ □ ↓□ #<σΨ	6,000	κ⊆< { □ σΣΔ]∪σΣT∩	5,000
β⊆'+≥T φ<T+ ™□ ∴ T	15,000	10% &□ υ⊃+<σΣT'	40,000
δ□ σΣT⊕≤□ 31.3.200	75,000	□ TTA<□ ™<∴ T	4,000
9™□ ∴ T	25,000	δ□ √ ∴ }"υ { □ +	75,000
□ TTA >•δ□ T ∴ T	10,000	□ v≥T... □ &□ T∴□ Π ε	1,000
5% □ ≥T... □ &□ T∴	20,000	□ f	35,000

$v'' \leftrightarrow + \oplus \leq \square$	5,000	$\{''v \{'' \theta \chi \subseteq \dots \therefore Y'''^{TM} \square 1.4$	
$v \& \square \cap \theta T \diamond \{'' \oplus \leq \square \diamond$	2,000		
$\& \square v \supset + \# \langle \sigma \mathfrak{S}' \square \mid \Pi \varepsilon \& \mid$	2,000		
f	7,000		
$\& \mid \Pi \mathfrak{R} \sigma \downarrow \leq \dots \sigma \mathfrak{S}' \square \mid \odot$	24,000		
E	35,000		
$v < \mid \uparrow \neq \sigma \geq T' ; \int \varepsilon \vee$			
$> \bullet T \& \square \exists \mid \wedge$			
	2,60,000		2,60,000

- $v \int \square \vee \exists T v \int \square \varepsilon H \square \therefore \square \mid \Pi \delta \square + \varepsilon^{TM} \langle \delta \square \sigma \square \square \downarrow \int 10\% . \beta \subseteq ' + \geq T \varphi \langle T + \mid^{TM} \square \therefore \square \mid \Pi 8\%^{TM} \langle \sigma \mathfrak{S} > \bullet T < \square \therefore \cong \sigma \square \in \geq T \# \mid \varphi \langle TT \varepsilon TT .$
- $\sigma \square \square v'' \downarrow \int \therefore \square \sim \int \square T T \Delta \mid > \bullet \delta \square T \mid \therefore \square \mid \Pi 6\%$
- $\kappa \subseteq < \int \square \sigma \mathfrak{S} \Delta \mid \cup \sigma \mathfrak{S} T \cap \oplus \leq \square \varepsilon T [\downarrow + \mid \square \vee \sigma \mathfrak{S} \vee . 3,000$
- $\square \downarrow \int \cap \{ \mid \psi \square \{'' \# \mid *' + \equiv \theta \varepsilon T \vee \therefore < \int \square \theta + \square \mid \Pi 10\% \& \square \exists \& \mid + \& \square T'$
- $\square < \square \varphi \langle T \mid \square \theta T \square \square \sim \int \sigma \mathfrak{S} \vee . 4,000 \cong \sigma \square \in \geq T \# \mid \varphi \langle TT \varepsilon TT .$

16. X Company Ltd. Was taken over by Y come up on the following terms.

- The 'Y' Company is to assume the liabilities and to take over the assets at book value.
- The 'Y' Company is to discharge the debentures in 'X' Company at a premium of 5% is the issue of debentures in Y company.
- The Y Company is to pay the share holders in the X Company Rs.10 per share in cash and to give three Rs.10 shares in Y Company for every share in X Company.

The following is the Balance Sheet of X Company Ltd. As on 31 Dec.2005

Liabilities	Rs.	Assets	Rs.
Capital 47,500 shares paid up 20 each	9,50,000	Goodwill	7,00,000
5% Debentures	2,40,000	Buildings	3,13,000
Reserve Fund	3,00,000	Plant	64,200
Creditors	1,53,000	Fixtures	17,000
P/L account	99,200	Debtors	2,19,800
		Stock	3,86,200
		Cash	42,000
	17,42,000		17,42,000

Show ledger accounts to close the books of X and opening entries in the books of Y.

$\mid \downarrow \int + \sim \omega \square \sigma \mathfrak{S}^{TM} \langle T \therefore \square \mid \mathfrak{M} \downarrow \leq + \square \mid k \downarrow \leq + \square \mid \downarrow \int \delta \square + \heartsuit \theta + \# \mid \delta \square T \oplus \leq \square + \geq T + \sim .$

$(\mu) \gamma \leq + \square \mid \kappa \leq + \square \mid \square \delta \square T \mid \therefore \theta T \square \square \therefore \theta T \mid \square \vee \delta \square \mid \perp \pm \therefore \exists \therefore T \varepsilon \psi \mid T \sigma \geq \oplus \leq$
 $\square \rho \delta \square T \leq \theta T \theta T.$

$(\square) x \leq + \square \mid \mid \& \square \cup \supset + \# \langle \sigma \geq \theta T \ 5\% \mid \mid \odot \exists T \varphi \langle T + ^{TM} \wp \leq + \square \mid \mid \& \square \cup \supset + \# \langle \sigma \geq \theta' \rangle \varphi$
 $\# \mid *' + \# \langle T \theta T$

$(\delta \rightarrow) \gamma \leq + \square \mid \kappa \leq + \square \mid \mid \varphi \square \mid \mid \square \leftarrow \psi \square \geq \oplus \leq \square \sigma \geq \vee. 10 \theta > \bullet < \square T \# \mid *' + \# \langle T \geq \oplus \leq$
 $\square x \leq + \square \mid \mid \varphi \square \mid \mid \square \leftarrow \psi \square \{ " \oplus \leq \square \mid \mid \varphi \sqcup \mid 3 \psi \square \{ " \therefore T \sigma \geq \vee. 10 \exists \therefore T \varepsilon$
 $> \bullet \therefore \exists X'' \downarrow \# \sqcup \varphi \langle TT \geq \oplus \leq \square \vee + \perp \leq \sqcup + \equiv \sqcup \}.$

31.12.2005 $\theta \leq + \square \mid \mid \square \delta \rightarrow \mid \vee \mid \square \square \therefore \mid \square \{ \mid \dots$

$\vee \mid \square \square \therefore T$	$\sigma \geq \vee.$	$\square \delta \rightarrow \mid$	$\sigma \geq \vee.$
47,500 $\psi \square \{ " \oplus \leq \square \sigma \geq \vee. 20 \#$	9,50,000	$> \bullet T \& \square \exists \mid \wedge$	7,00,000
$\backslash \theta$	2,40,000	$\cup \mid \square \varepsilon H \square \therefore T$	3,13,000
5% $\& \square \cup \supset + \# \langle \sigma \geq T'$	3,00,000	$\beta \subseteq ' + \geq T$	64,200
$\sqcup \cup \sigma \geq T \cap \square \sim \mid$	99,200	$\square \mid \square \leq \sigma \geq \Delta \therefore T$	17,000
$\mid " \cup \mid " \theta \chi \subseteq \dots \therefore Y'^{TM} \square$	1,53,000	$\square T T \Delta \mid > \bullet \delta \square T \mid \therefore$	2,19,800
$\square T T \Delta < \square ^{TM} \langle \therefore T$		T	3,86,200
		$\delta \square \sigma \geq T \oplus \leq \square$	42,000
		$\theta > \bullet < \square T$	
	17,42,200		17,42,200

$x \leq + \square \mid \mid \square \vee \delta \square \mid \perp \pm \therefore \mid \varphi \vee \varepsilon \delta \square \sigma \geq \psi \mid (T \rightarrow \theta Y'^{TM} \square \therefore T \# \langle \vee \mid \square \vee \& \square \vee \delta \square \mid \perp$
 $\pm \therefore \mid \varphi \mid \beta \subseteq \sigma \geq + \cup \mid \square \mid \theta T \therefore T \mid \psi \square \varphi \langle T + \& \square .$

J.M.JCOLLEGE FOR WOMEN, TENALI(Autonomous)

III B.Com General & Computers

Corporate Accounting

Semester – VI

Time : 3Hrs.

Max.Marks:70

Section– A

I. Answer all of the following.

10 x 1 = 10M

1. What is meant by Internal Reconstruction?

$v + \text{TM} \langle \sigma \mathfrak{Z} Z^{\text{TM}} \langle \lfloor \square \vee \theta \rfloor \square \sigma \square \square \Delta \varepsilon \text{TT} \vee \theta \rangle \pm H \rfloor \exists T?$

2. Why capital Reduction Account is Opened?

$\varepsilon T \vee \therefore < \int \square \theta^{\text{TM}} \langle \angle Z + \lfloor \square \vee Y^{\text{TM}} \square \theta T \mu + < \square T \oplus \leq \square^{\text{TM}} \langle \varphi \langle \vee \sigma \mathfrak{Z} T \# \rfloor k \subseteq \lfloor \sigma \mathfrak{Z} T?$

3. What is the difference between Internal Reconstruction and external Reconstruction?

$v + \text{TM} \langle \sigma \mathfrak{Z} Z^{\text{TM}} \langle \lfloor \square \vee \theta \rfloor \square \sigma \square \square \Delta'' \square \downarrow \lfloor \square \zeta \text{---}'' \sigma \mathfrak{Z} Z^{\text{TM}} \langle \lfloor \square \vee \theta \rfloor \square \sigma \square \square \Delta'' \square \downarrow \lfloor > \bullet \therefore \text{TM} \rfloor \& \square \cong \exists T?$

4. Mention the important books maintained by Bank.

$v'' \leftrightarrow + \oplus \leq \square \wr \varphi \square \sigma \mathfrak{Z} \cap \zeta \text{---}'' + \# \langle \square \& \rfloor \varepsilon \text{TTK} \leftrightarrow \psi \lfloor T \rightarrow \theta \lfloor \square \vee \delta \square \lfloor \downarrow \pm \therefore \theta T^{\text{TM}} \lfloor \therefore \lfloor \square + \& \square .$

5. What do you mean by Non performing Assets?

$\square \sigma \mathfrak{Z} \sigma \mathfrak{Z} \emptyset \downarrow \leq \square \delta \square T \lfloor \therefore T \vee + \phi \rangle \cong \exists T \{ \lfloor ?$

6. What are different types of insurances?

$; \int \varepsilon \vee \wr \varphi \sigma \mathfrak{Z} \downarrow \pm \therefore T \cong \exists ?$

7. What is meant by valuation Balance Sheet?

$\varepsilon \text{TT} \wr'' \leftrightarrow + \downarrow \leq \theta \square \delta \text{---} \lfloor \vee \lfloor \square \square \therefore \lfloor \square \{ \lfloor \dots \vee \theta \rangle \pm H \rfloor \exists T?$

8. What is meant by fire Insurance?

$v \angle \square ; \int \varepsilon \vee \vee \theta \rangle \pm H \rfloor \exists T?$

9. Define Rebate on bills discounted.

$_ \therefore T' \therefore T \& \square \kappa \Sigma \text{---} + \geq T \square \lfloor \Pi \rfloor \vee \geq T \theta T \square \sigma \mathfrak{Z} \cap \equiv + \# \langle + \& \square ?$

10. What is Endorsement and Guarantees?

$\square \sim \heartsuit \therefore T > \pm \leftrightarrow \sigma \mathfrak{Z} + \{ Y \therefore T \vee \theta \rangle \pm H \rfloor \exists T?$

Section– B

II. Answer any two of the following.

2 x 10 = 20M

11. The following is an extract from the Trial Balance of Andhra Bank as at 31.3.2008.

	Rs.	Rs.
Bills discounted	51,50,000	
Rebate on bills discounted due April 2007		30,501
Discount received		1,45,500

An analysis of bills discounted as shown above shows the following.

Due date of bills	Amount	Term(months)	Discounts @ %PA
Jan. 13 th	7,50,000	4	12
Feb 17 th	6,00,000	3	10
March 6 th	4,00,000	4	11

March 16 th	2,00,000	2	10
------------------------	----------	---	----

Find out the amount of discount to be credited to Profit and Loss Account and pass appropriate entries.

31.12.2002 $\square + | < \int \square \vee'' \leftrightarrow + \oplus \leq \square \varphi \{ TT \downarrow \leq \neg v + \downarrow \leq \Delta'' \} \downarrow \int + \sim \exists < \int \square + > \pm \varepsilon v \theta \square \sim.$
 $\sigma \mathfrak{Z} \vee.$ $\sigma \mathfrak{Z} \vee.$

$\& \square \kappa \Sigma \neg + \{ \wedge \# \downarrow \delta - \theta _ \therefore T' \therefore T$ 51,50,000
 $\cong | \neg \varphi \{ T \} \wedge 1, 2007 \& \square \kappa \Sigma \neg + \{ \wedge \# \downarrow \delta - \theta _ \therefore T' \therefore T \square | \Pi] \vee \} \geq T$
 30,501

$\varepsilon \delta \square \vee \downarrow \supset \Pi \theta \& \square \kappa \Sigma \neg + \{ \wedge$ 1,45,500
 $\square | \Pi \theta^{\text{TM}} \{ * | \neg \theta \& \square \kappa \Sigma \neg + \{ \wedge \# \downarrow \delta - \theta _ \therefore T' \therefore T \exists \Xi \textcircled{R}' \omega \square \Delta | \downarrow \int + < \square \# \langle \vee | \square \& \square \psi \downarrow$
 $T \rightarrow \theta \sim.$

$_ \therefore T' \text{TM} \downarrow \sim$	$\psi \downarrow TT^{\text{TM}} \langle +$	$\downarrow \pm \therefore \varepsilon \leftrightarrow \varepsilon \sim 6 H \downarrow \therefore \therefore T$	$\& \square \kappa \Sigma \neg + \{ \wedge \neq \sigma \therefore T$ ($\delta \square + \varepsilon^{\text{TM}} \langle \diamond \sigma \square \square \downarrow \int$
$\cup \theta \varepsilon] 13$	7,50,000	4	12%
$ \square - \square \varepsilon] 1$	6,00,000	3	10%
$\varepsilon \vee] \subset 6$	4,00,000	4	11%
$\varepsilon \vee] \subset 16$	2,00,000	2	10%

$\square | \Pi \exists \varepsilon \sigma \square \therefore T \theta T + \& \square \delta \square + \square + \sim \int^{\text{TM}} \langle v + \Xi \beta 1. \mathfrak{B}. 2008^{\text{TM}} \wp v +^{\text{TM}} \langle \varepsilon T \varphi \downarrow T \leftrightarrow$
 $\delta \square + \varepsilon^{\text{TM}} \langle \diamond \sigma \square \square \downarrow \int \vee'' + \oplus \leq \square \downarrow'' \vee \int \square \theta \chi \subseteq \dots \therefore Y''^{\text{TM}} \square \theta T$
 $\varepsilon T] \varphi \{ TT \square \text{TM} \downarrow \sim \theta \square \theta \square \square \delta \textcircled{C} | \vee | \square \square \therefore | \square \{ \{ \dots \downarrow \leq \} \varphi \cong \exists < \int \square + > \pm \downarrow \leq \square | \neg \kappa \subseteq | \varphi \downarrow$
 $\vee \# \langle \vee | \square + \& \square . v \varepsilon \delta \square \sigma \mathfrak{Z} \psi \downarrow (T \rightarrow \theta \equiv \{'' \dots | \square < \square T \uparrow \therefore \theta T \oplus \leq \Lambda \& \square$
 $\# \langle \vee | \square + \& \square .$

12. From following particulars prepare fire revenue a/c for year ending 31.3.2006.

	Rs.
Claims paid	9,60,000
Claims as on 1.4.2005	80,000
Claims intimated but not accepted on 31.3.06	20,000
Claims intimated and accepted but not paid on 31.03.06	1,20,000
Premium received	24,00,000
Re-insurance premium	2,40,000
Commission	4,00,000
Commission on reinsurance ceded	20,000
Commission on reinsurance accepted	10,000
Expenses of management	6,10,000
Provision for unexpired risk on 1.04.05	8,00,000

Additional provision of unexpired risk 40,000
 Bonus in reduction of premium 24,000

You are required to provide for additional reserve for required risks at 1% of net premium in addition to opening balance.

31.03.06 H□ { | ↱± | ↱ | + ~ ∃ ε σ □ ∴ θ T + & □ □ | □ Π σ Ψ ℔ σ (∃ θ √ ↔ Y''™ □ θ T™ < φ
 < √ σ ℔ T # | φ < T + & □ .

σ ℔ √.

(* ' + ≡ θ ℔ ↱ ' σ T T ψ □ T 9,60,000

(* ' + ≡ ε ∴ δ — θ ℔ ↱ ' σ T T ψ □ T ∴ T 1.4.05 80,000

31.3.06 θ™ (* φ < T | □] ≡ θ ℔ ↱ ' σ T T ψ □ T ∴ T ↱ ± | v + ⊥ ↱ ≤] + | □ □ & □ □ ∃
 20,000

31.3.06 θ™ (* φ < T | □] ≡ θ ℔ ↱ ' σ T T ψ □ T ∴ T ε T] φ < T T v + ⊥ ↱ ≤] + ≡ θ ∃ ↱ ± | # (* ' + ≡
 □ ∃ 1,20,000

ε ≡ ⊂ θ | | — M T φ < T + 24,00,000

| □ v θ ↓ ® ↔ ε √ | | © ∃ T φ < T + 2,40,000

↱ ≤ M T ω □ θ T 4,00,000

ε < □ T ∴ T ⊕ ≤ □ θ □ | □ v θ ↓ ® ↔ ε √ □ | Π ↱ ≤ M T ω □ θ T
 20,000

v + ⊥ ↱ ≤] + ≡ θ | □ v θ ↓ ® ↔ ε √ □ | Π ↱ ≤ M T ω □ θ T
 10,000

ψ] T H \ X ∧ ψ \ T + ≥ T K σ ℔ T ⊂ ∴ T
 6,10,000

1.4.05 > • & □ T ε v ρ σ ℔] δ τ — ℔ ↱ Π □ ~ ∫ 8,00,000

> • & □ T ε v ρ σ ℔] δ τ — ℔ ↱ Π v < □ θ | □ v □ ~ ∫
 40,000

™ < ∠ Z + ≡ θ | | © ∃ T φ < T + □ | Π v ≠ θ δ τ
 24,000

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13. Prepare revenue Account of LIC – West Zone from the following.

Particulars	Rs.	Particulars	Rs.
Claims by death	76,000	Claims by maturity	30,250

Premiums	7,26,690	Transfer fees	129
Consideration for annuities granted	82,120	Annuities paid	53,454
Bonus paid in cash	2,420	Expenses of management	31,924
Commission	9,570	Interest dividend	97,836
IT on Interim dividend	35,710	Surrenders	13,140
Bonus in reduction of premium	980	Dividend paid on capital	5,500
Life Insurance fund on 1.4.2003	15,00,000		

Paid up capital of the corporation is Rs.5,00,000 and the net liability as per actuary's valuation is Rs.10,00,000 on 31.12.2004.

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Section– C

III. Answer any two of the following.

2 x 20 = 40M

14. The Balance Sheet of unsuccessful company was as following on 31.3.2004.

Liabilities	Rs.	Assets	Rs.
Share Capital		Buildings	1,60,000
5,000, 8% Pref. shares of 10 each	50,000	Machinery	80,000
30,000 Equity shares of Rs.10 each	3,00,000	Furniture	20,000
Creditors	50,000	Debtors	50,000
		Discount on issue of shares	10,000
		Profit & Loss Account	80,000
	4,00,000		4,00,000

On the above data the following scheme of internal reconstruction was accepted.

- a. Rs.10 preference shares be reduced on an equal number of fully paid reference shares of Rs.6 each.
- b. Rs.10 equity share be reduced by Rs.6 each through total number of equity shares will remain the same.
- c. That the remaining amount thus available is apportioned as follows.
 - i. To write off Rs.60,000 from buildings, Rs.30,000 from machinery, Rs.6,000 from furniture and the balance available from debtors.

Prepare the Balance sheet of the company after implementation of above scheme.

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15. Prepare the Balance sheet of Aravind Bank Ltd. As on 31st December 2004 from the following particulars.

Debit	Rs.	Credit	Rs.
Money at call and short notice	5,000	Paid up capital	10,000
Investments	30,000	Authorised capital Rs.50,000	
Bills discounted and purchased	4,000	Bills payable	5,000
Furniture and fixtures	1,000	Current accounts	25,000
Land and Buildings	17,000	Fixed deposits	14,000
Loans	8,000	Profit for the year	4,000
Cash credits	3,000	Savings Bank accounts	10,000
Cash on hand and at bank	10,000	Reserve fund	10,000.
	78,000		78,000

The profit for the year is arrived at before making adjustments for unexpired discount Rs.50 on bills discounted during the year not matured on 31st December 2004.

Acceptances and endorsements on behalf of customers Rs.2,000 and claims against the bank not acknowledged as debts amounted to Rs.500.

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31 $\&\square\square\delta+\square\sigma\mathfrak{Z}T$ 2004 $\theta\square+\lrcorner\pm>\bullet\&\square T\epsilon\vee\rho\sigma\mathfrak{Z}\square\&\square\kappa\Sigma\lrcorner+\geq T\#\rfloor\delta\text{---}\theta\square\varsigma\Theta+\&\square\therefore\square\mid\Pi\square\varsigma\Theta+\&\square\&\square\kappa\Sigma\lrcorner+\{\wedge\sigma\mathfrak{V}.50\delta\square\sigma\mathfrak{Z}T\uparrow\vee''\geq T\#\rfloor\wp\langle T\lrcorner\leq\epsilon TT+\<\square T\square\delta\square\cap^{\text{TM}}\langle\diamond\sigma\mathfrak{Z}+\}\text{'}\vee\int\square+\square\sigma\mathfrak{Z}\square\wp\langle TT+\#\square\sigma\mathfrak{Z}T.Y^{\text{TM}}\square<\square\sigma\mathfrak{Z}T\therefore^{\text{TM}}\langle\sigma\mathfrak{Z}T\mid\square\vee\theta\vee+\lrcorner\lrcorner\leq\rfloor+\equiv\theta,\mu+\&\square\sigma\mathfrak{Z}T\diamond\#\rfloor\delta\text{---}\theta\square\varsigma\Theta+\&\square\therefore T\sigma\mathfrak{V}.2,000\epsilon T]\wp\langle TT\vee\mid\square\square>\pm>\bullet T\rfloor\mid+\#\langle\square\vee''\oplus\leq\square MT<\square\mathfrak{R}\lrcorner'\wp\langle TT\psi\square T\sigma\mathfrak{V}.500.$

16. From the following particulars, prepare Revenue Account and Balance Sheet of Life Insurance Corporation as on 31.12.2004.

Debit Balance	Rs.	Credit Balance	Rs.
Claims by death	1,00,000	Capital	1,00,000
Claims by maturity	3,00,000	Insurance fund	8,00,000
Surrenders	30,000	Reserve fund	3,00,000
Annuities	20,000	Premiums	3,00,000
Cash bonus	10,000	Registration fee	1,00,000
Bonus in reduction of		Consideration for annuities	50,000
premiums	20,000	Bills payable	5,000
Buildings	3,70,000		
Investments	5,00,000		
Loans	3,00,000		
Bills receivable	5,000		
	16,55,000		16,55,000

Adjustments:

- i. Claims admitted by maturity but not paid Rs.15,000

- ii. Further bonus utilized for reduction of premiums Rs.5,000
- iii. Outstanding premium Rs.25,000
- iv. Reinsurance claims recoveries by death Rs.10,000

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